

Modelling mass functions of clumps formed during the early MC evolution

Todor V. Veltchev^{1,2}

¹ Faculty of Physics, University of Sofia, Bulgaria

² Institute of Theoretical Astrophysics, Heidelberg, Germany



Basic assumptions of our statistical approach

- 1) Turbulent cascade in isothermal medium in the scale range $0.5 \lesssim L \lesssim 20$ pc, conditioning **scaling laws of velocity and density** according to Larson (1981).
- 2) **Lognormal probability density distribution (PDF)** at each scale L
- 3) **Mass-density power-law relationship**:

$$\ln\left(\frac{\rho}{\langle\rho\rangle}\right) = x \ln\left(\frac{m}{m_0}\right), \quad x < 0, \quad x = x(L)$$

- 4) **Self-similar density scaling** as expected for turbulent structures
- 5) **Equipartition of energies**:

$$|W| \sim f_{\text{gk}} E_{\text{kin}}, \quad 1 \lesssim f_{\text{gk}} \lesssim 4, \quad (\text{wkin}\{1-4\})$$

$$|W| \sim 2E_{\text{kin}} + 2E_{\text{th}}, \quad (\text{wkin}2\text{th}2)$$

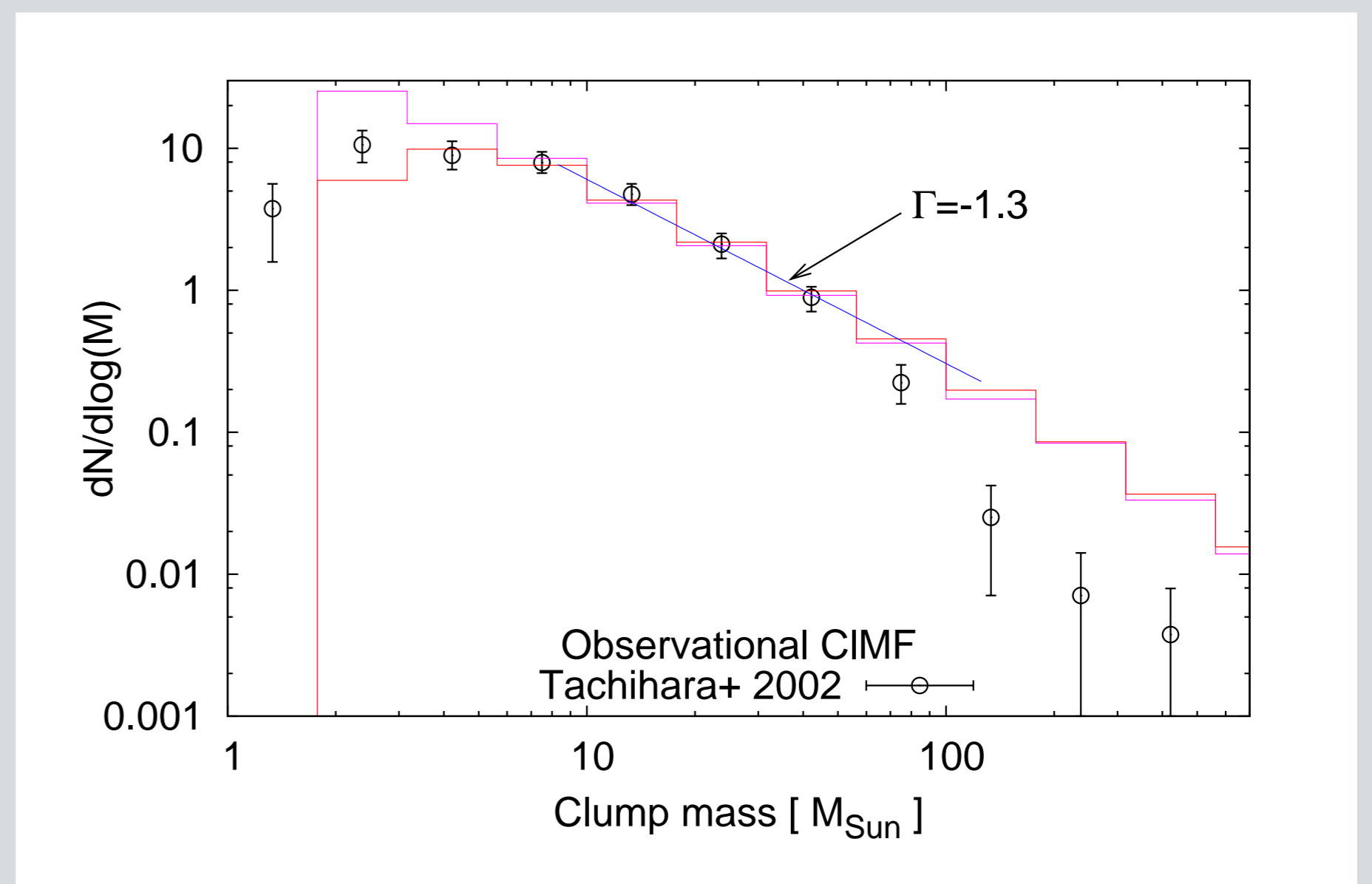
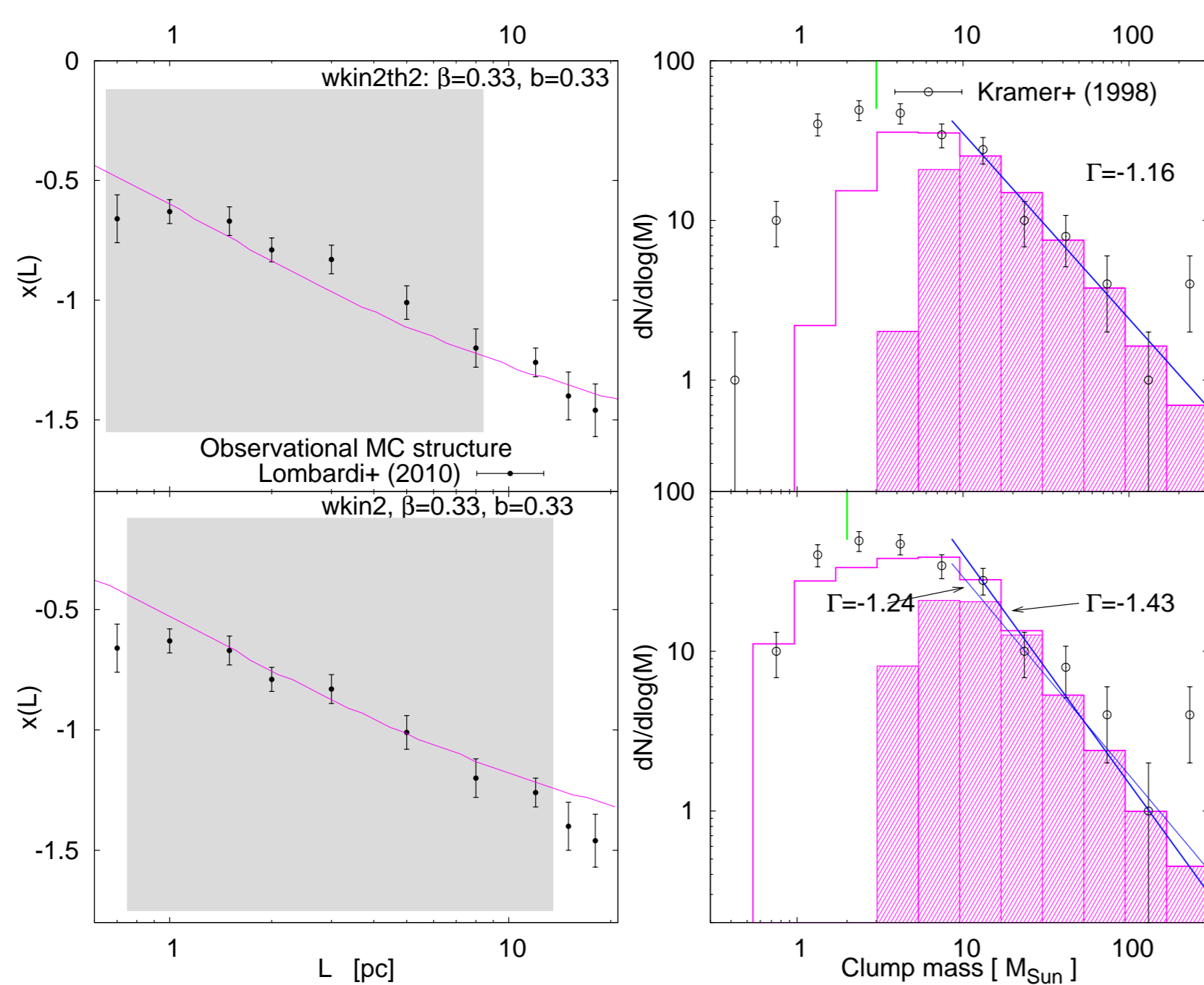
$$|W| \sim 2E_{\text{kin}} + E_{\text{mag}}, \quad (\text{wkin}2\text{mag})$$

ALTERNATIVE MODELS WITHIN THE CHOSEN APPROACH

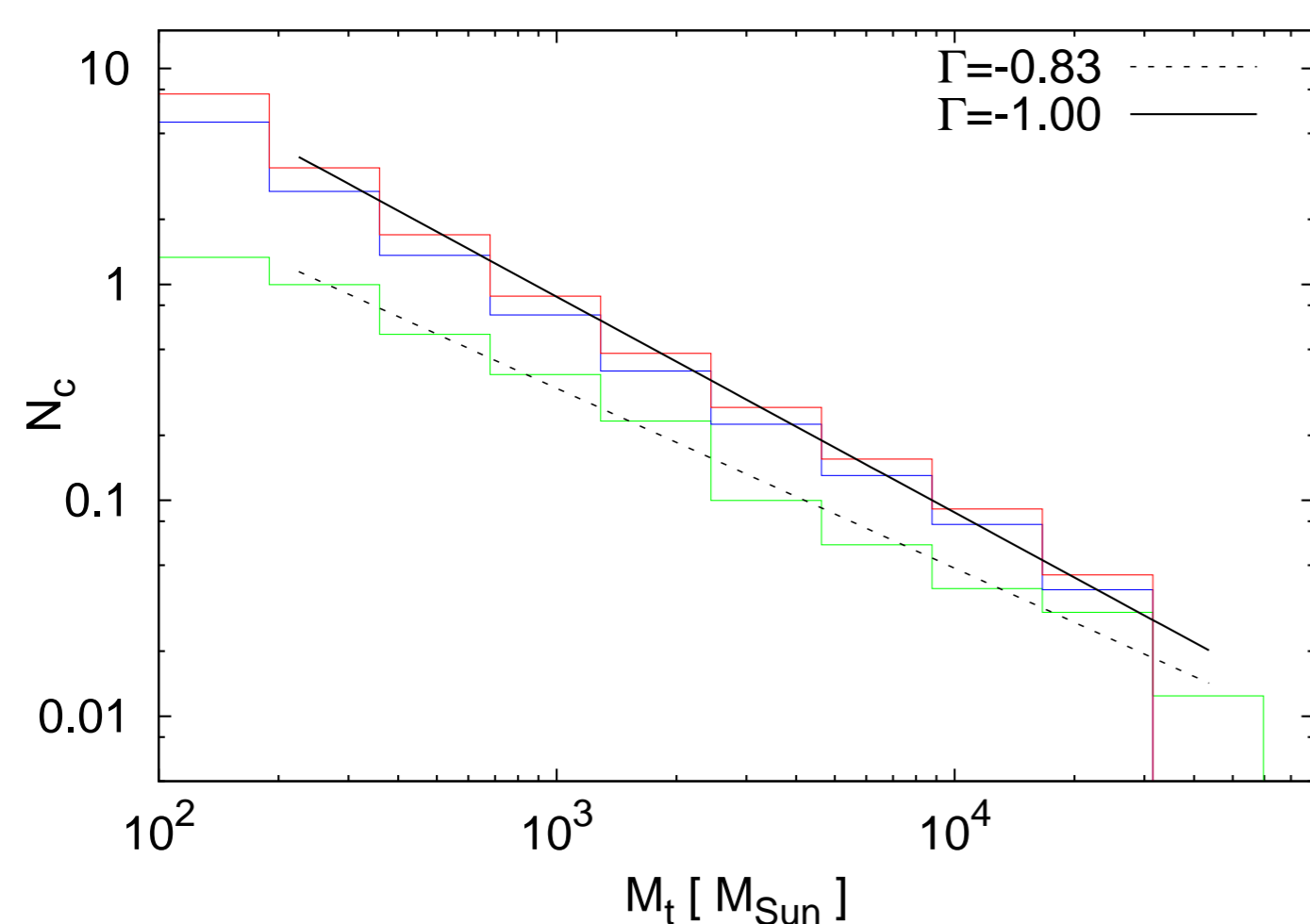
They are built according to the type of object for which the assumptions of mass-density relationship (3) and equipartition of energies (5) hold:

- Statistical **ensemble of clumps** ('ensemble model'): Populations (ensembles) of clumps generated at abstract spatial scale L obey a mass-density relationship with power-law index $x(L)$, derived from equipartition relation for their representative members ('typical clumps').
- **Cloudlet**, defined by a density cut-off ('cloudlet model'): A chosen energy equipartition (assumption 5) determines a density threshold in respect to the mean local density $\langle\rho\rangle_L$. Then the relationship (3) with a power-law index $x(L)$ describes the intrinsic mass-density scaling of structures built into the delineated cloudlet.

Clump mass function from the 'ensemble model'



Clump mass function from the 'cloudlet model'



Discussion

- ▶ The modelled high-mass CIMFs exhibit power-law slopes $\Gamma \sim -1$, as expected for fractal clouds (Elmegreen 1997). When only gravitationally unstable clumps are considered, the slope of their time-weighted high-mass mass function is similar to that of the stellar IMF: $\Gamma \sim -1.3$.
- ▶ The cloudlet mass function exhibit power-law slopes $-0.8 \lesssim \Gamma \lesssim -1$, typical for CO clumps.
- ▶ Further insights into physics of the dendrogram objects would allow for derivation of the CIMF within the 'cloudlet model'.