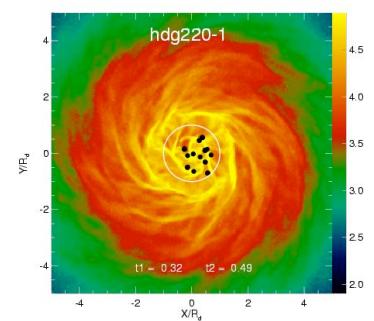
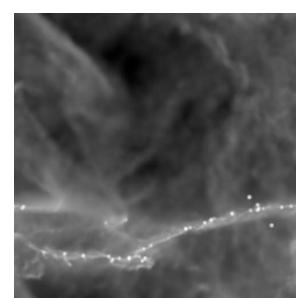
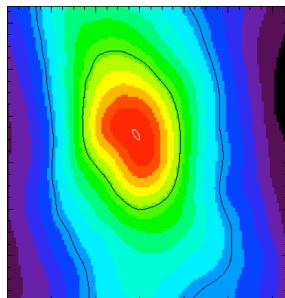
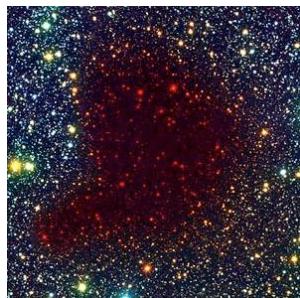


ISM Dynamics and Star Formation



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thanks to ...

- many thanks to

- Robi Banerjee (ITA)
- Paul Clark (ITA)
- Clare Dobbs (Exeter)
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- Thomas Greif (ITA)
- Patrick Hennebelle (ENS)
- Mordecai Mac Low (AMNH)
- Dominik Schleicher (ITA)
- Enrique Vazquez-Semadeni (UNAM)





agenda

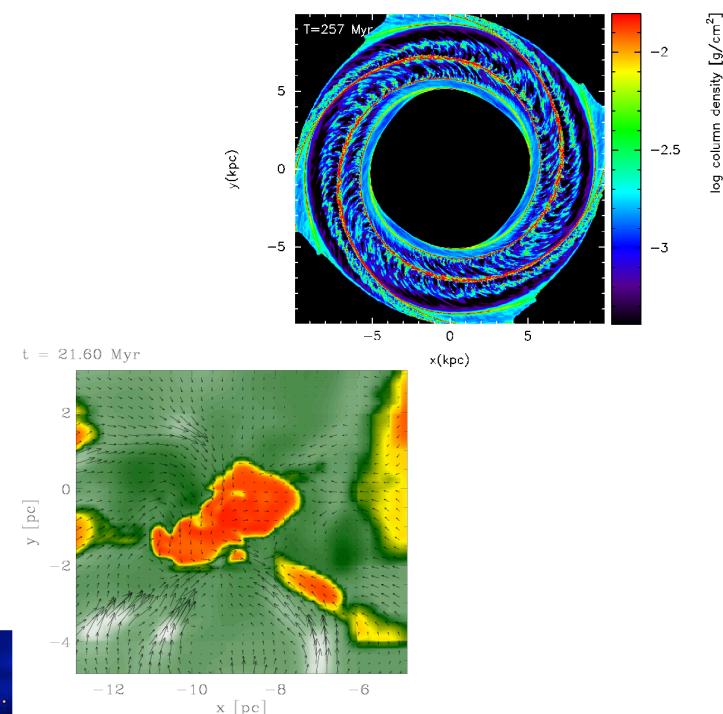
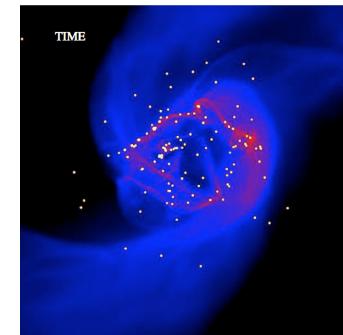
- importance of *chemistry* and *thermodynamics* on formation and evolution of *molecular cloud* and their ability to *form stars*
 - formation of molecular clouds in galactic disks (H_2 & CO chemistry)
 - universal IMF:
influence of thermodynamics





agenda

- importance of *chemistry* and *thermodynamics* on formation and evolution of *molecular cloud* and their ability to *form stars*
 - formation of molecular clouds in galactic disks (H₂ & CO chemistry)
 - universal IMF: influence of thermodynamics



dynamical SF in a nutshell

- interstellar gas is highly *inhomogeneous*
 - *gravitational instability*
 - *thermal instability*
 - *turbulent compression* (in shocks $\delta\rho/\rho \propto M^2$; in atomic gas: $M \approx 1\dots 3$)
 - cold *molecular clouds* can form rapidly in high-density regions at *stagnation points* of convergent *large-scale flows*
 - chemical *phase transition*: atomic \rightarrow molecular
 - process is *modulated* by large-scale *dynamics* in the galaxy
 - inside *cold clouds*: turbulence is highly supersonic ($M \approx 1\dots 20$)
 \rightarrow *turbulence* creates large density contrast,
gravity selects for collapse
- density
- space
- GRAVOTUBULENT FRAGMENTATION**
- *turbulent cascade*: local compression *within* a cloud provokes collapse
 \rightarrow formation of individual *stars* and *star clusters*



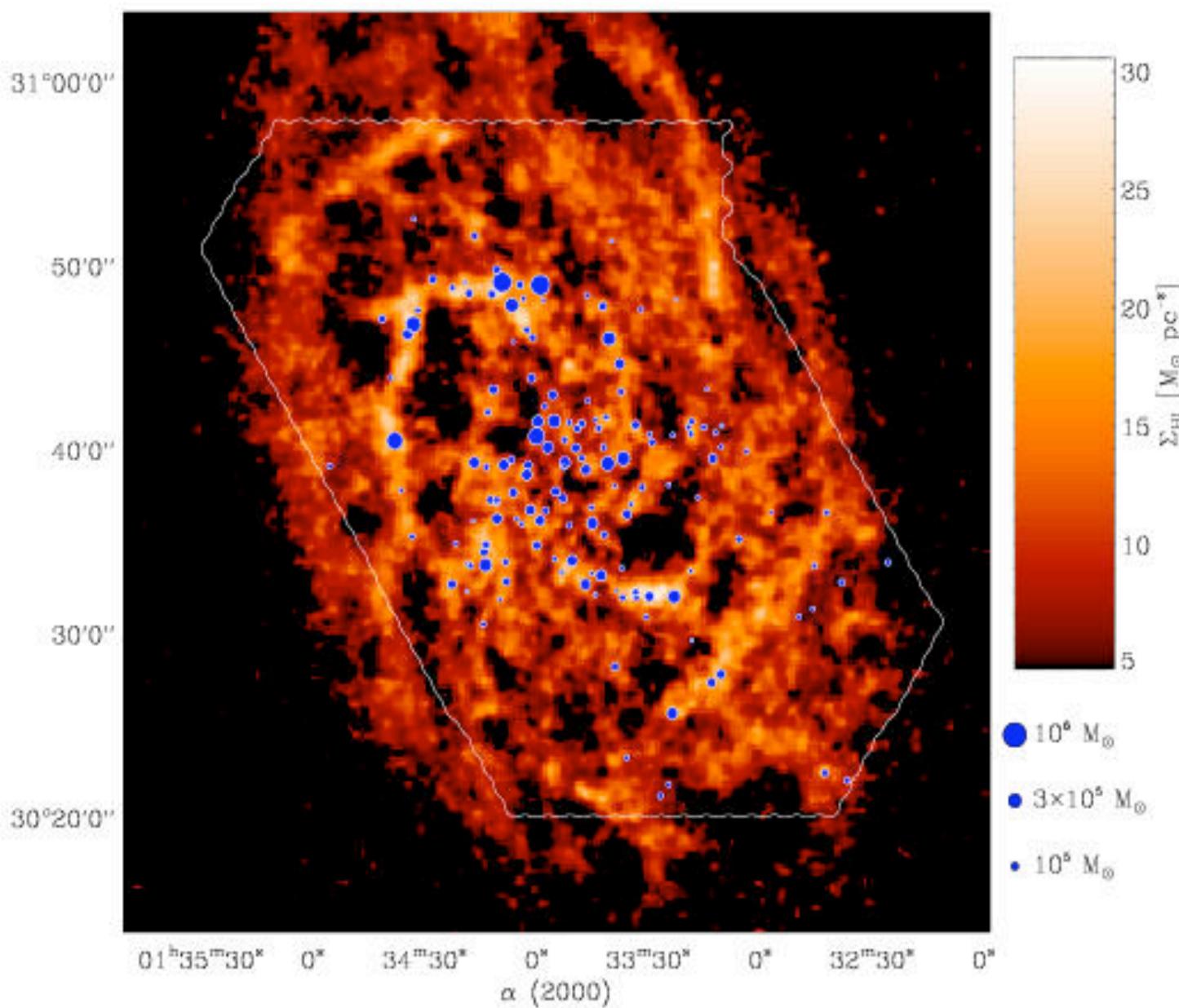
molecular cloud formation



molecular cloud formation

- star formation on galactic scales
→ missing link so far:
formation of molecular clouds
- questions
 - *where and when* do molecular clouds form?
 - *what* are their properties?
 - *how* does that correlation to star formation?
 - global correlations? → *Schmidt law*

molecular cloud formation



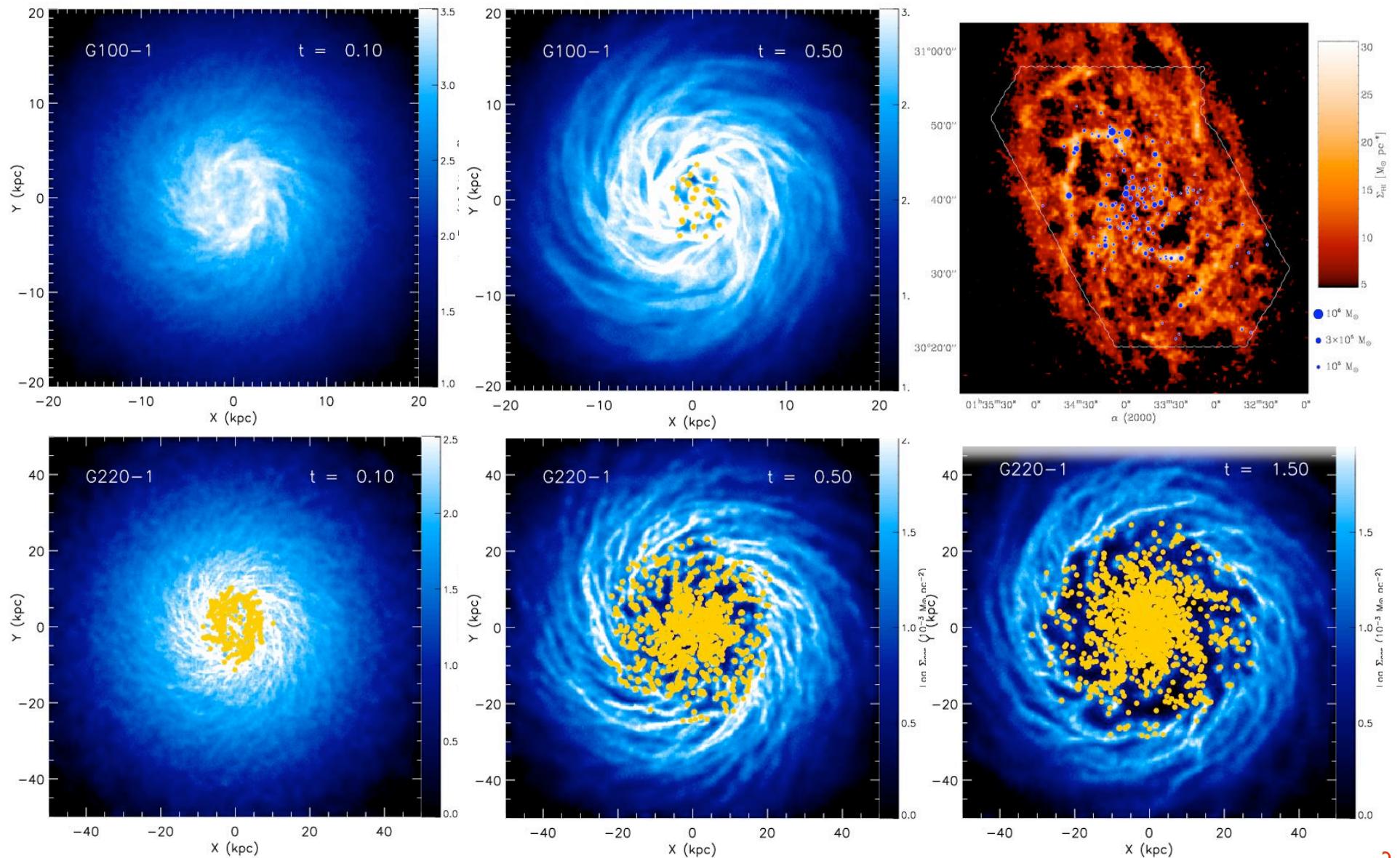
Thesis:

Molecular clouds form at stagnation points of large-scale convergent flows, mostly triggered by global (or external) perturbations.



modeling galactic SF

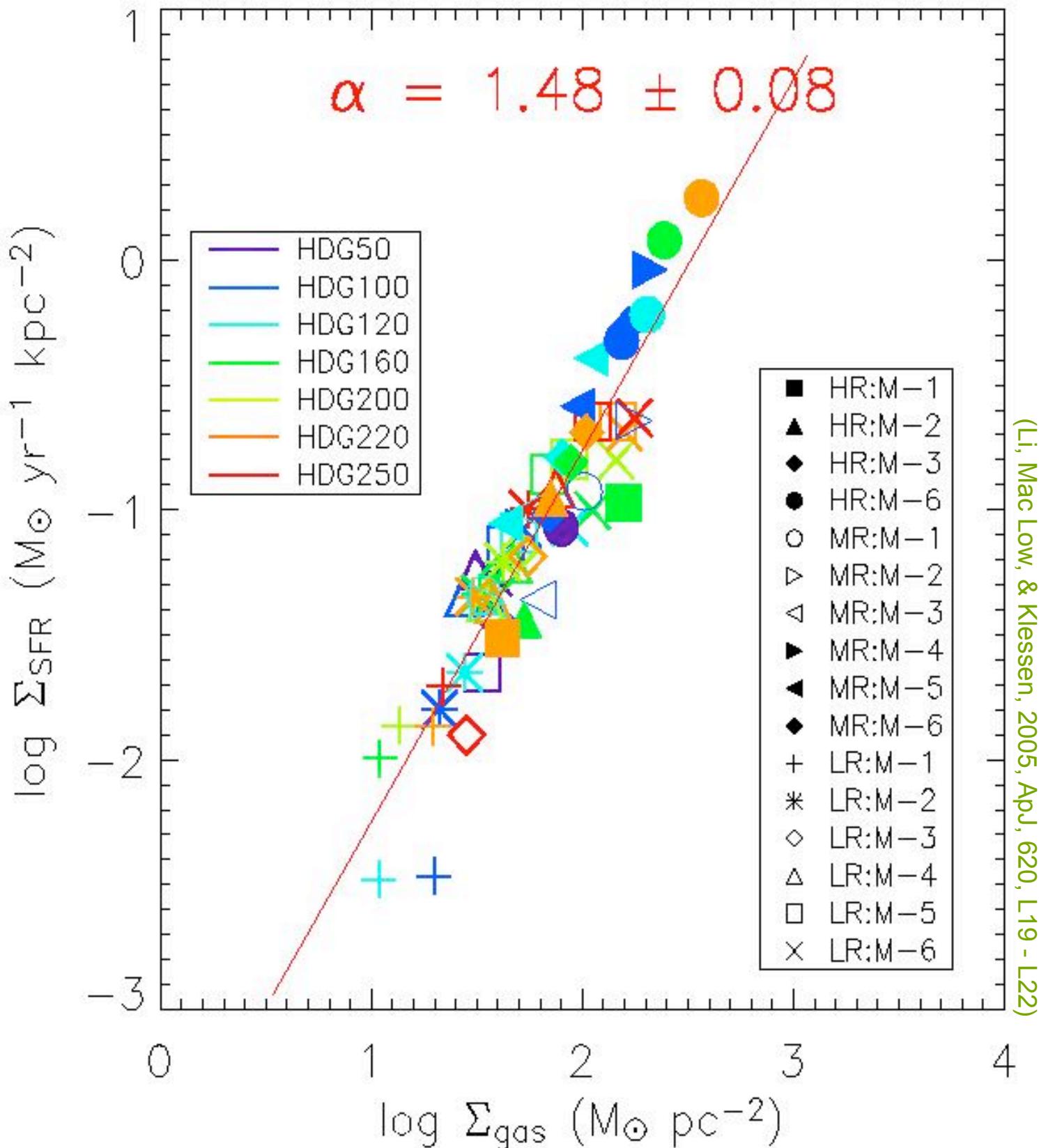
SPH calculations of self-gravitating disks of stars and (isothermal) gas in dark-matter potential, sink particles measure local collapse --> star formation



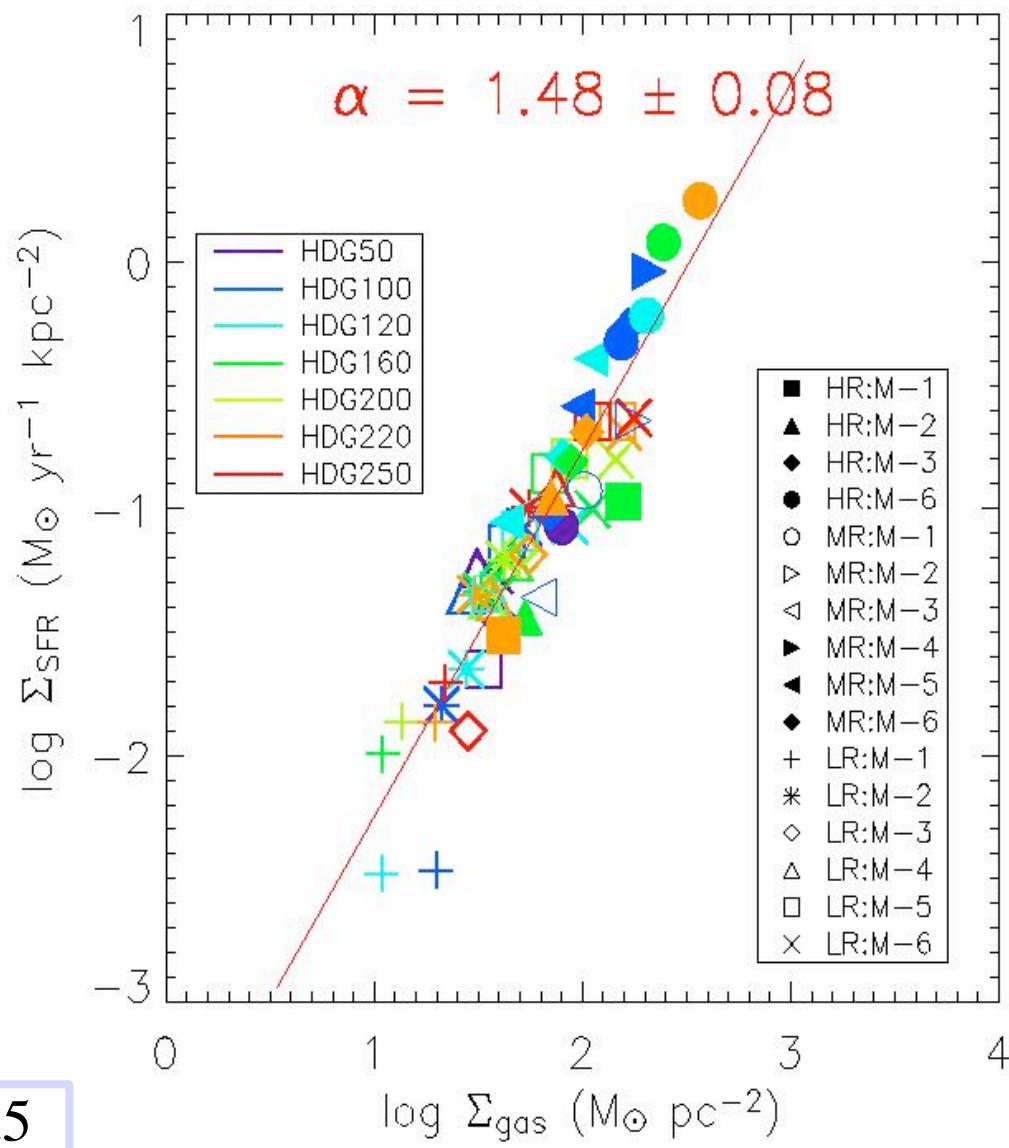
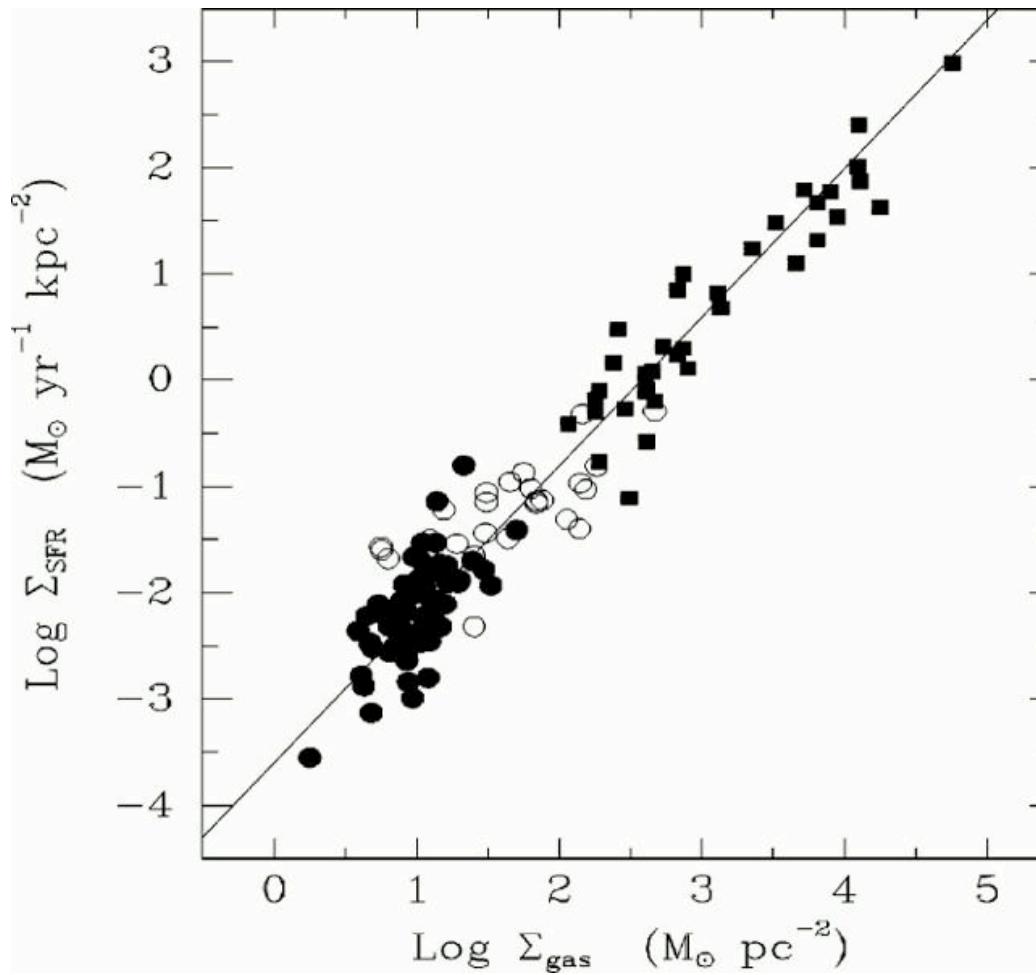
We find correlation between star formation rate and gas surface density:

$$\Sigma_{\text{SFR}} \propto \Sigma_{\text{gas}}^{1.5}$$

global Schmidt law



observed Schmidt law



in both cases:

$$\Sigma_{\text{SFR}} \propto \Sigma_{\text{gas}}^{1.5}$$

local Schmidt law

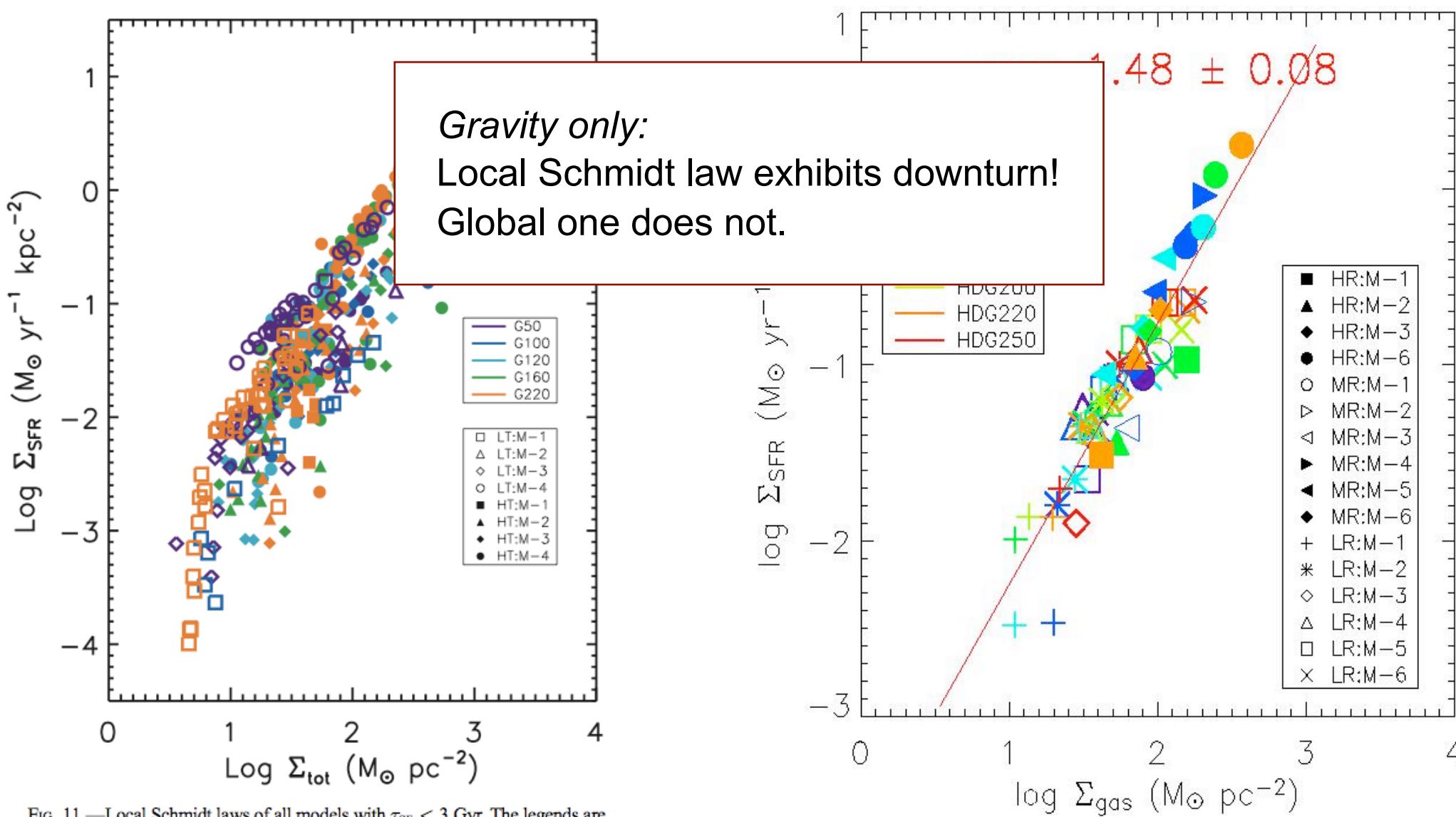


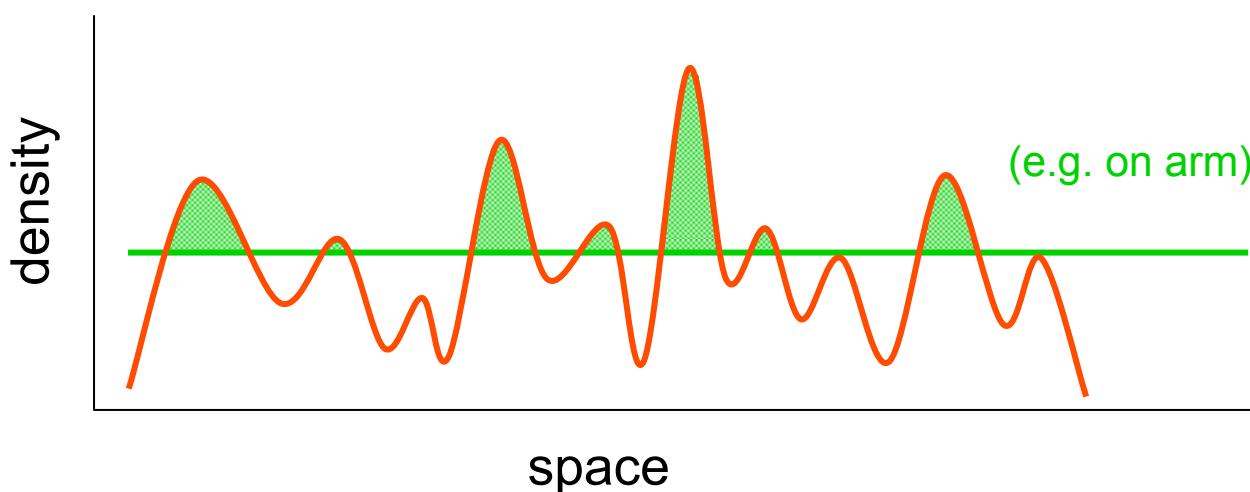
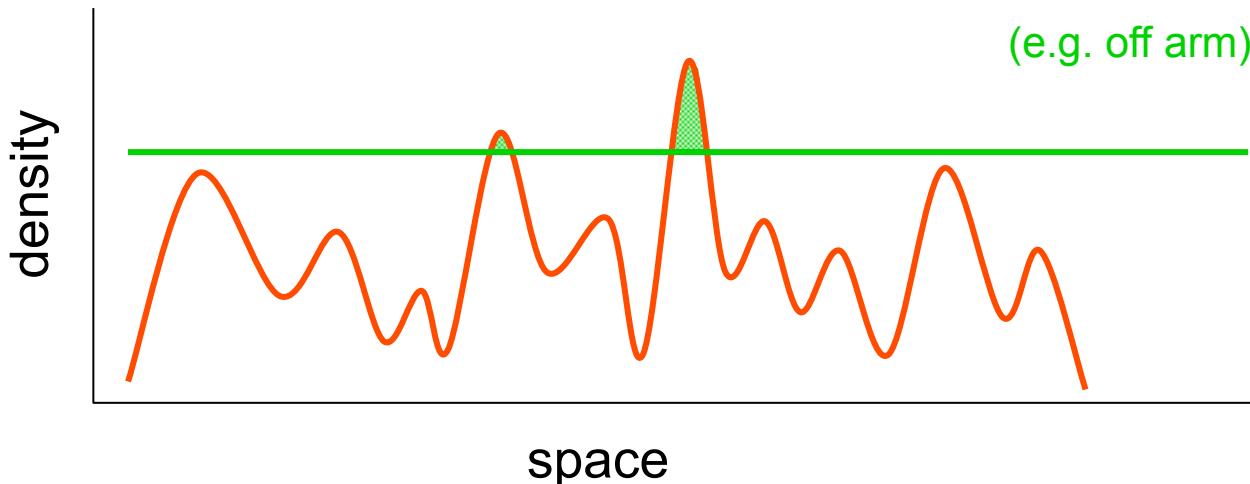
FIG. 11.—Local Schmidt laws of all models with $\tau_{\text{SF}} < 3$ Gyr. The legends are the same as in Fig. 5: the color of the symbol indicates the rotational velocity for each model as given in Table 1, the shape indicates the submodel classified by gas fraction, and open and filled symbols represent low- and high- T models, respectively.

(Li et al. 2006)

Ralf Klessen: Spineto 09.07.09



correlation with large-scale perturbations

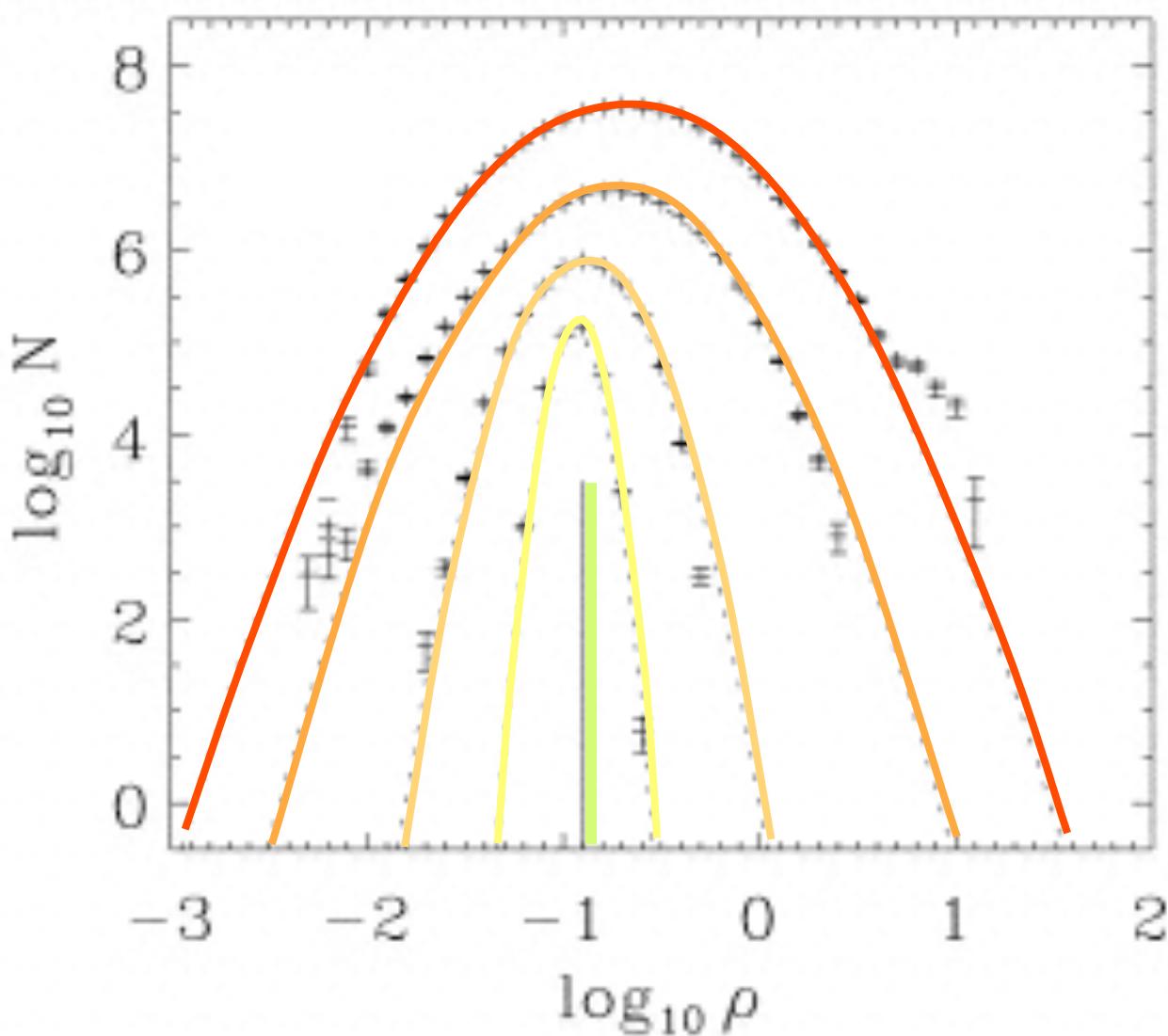


density/temperature fluctuations in warm atomar ISM are caused by *thermal/gravitational instability* and/or *supersonic turbulence*

some fluctuations are *dense* enough to *form H₂* within “*reasonable time*”
→ **molecular cloud**

(Glover & Mac Low 2007a,b)
external perturbuations (i.e. potential changes) *increase likelihood*

star formation on *global* scales

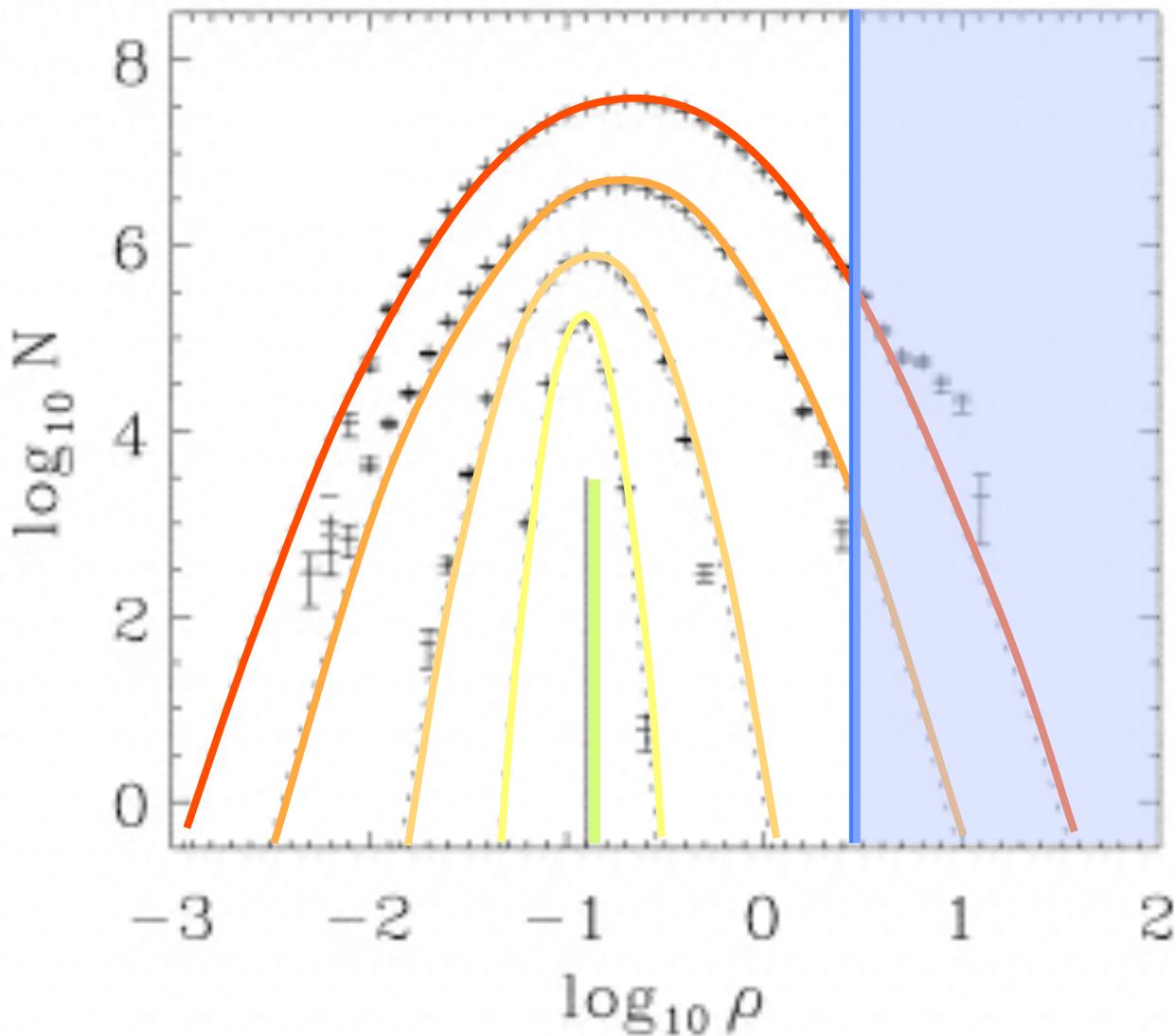


probability distribution
function of the density
(ρ -pdf)

varying rms Mach
numbers:

M1 > M2 >
M3 > M4 > 0

star formation on *global* scales



(rate from Hollenback, Werner, & Salpeter 1971)

H_2 formation rate:

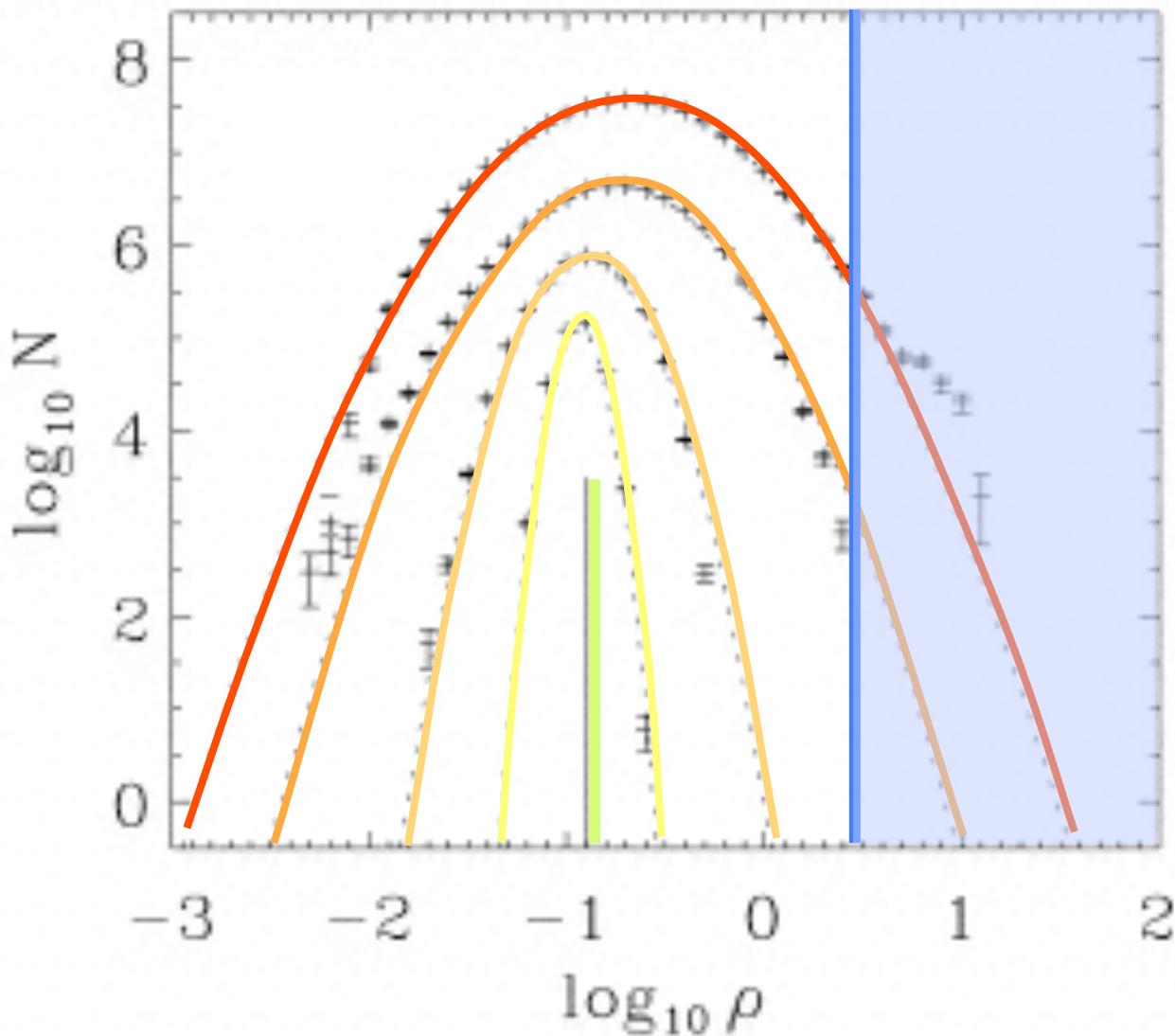
$$\tau_{H_2} \approx \frac{1.5 \text{ Gyr}}{n_H / 1 \text{ cm}^{-3}}$$

for $n_H \geq 100 \text{ cm}^{-3}$, H_2 forms within 10 Myr, this is about the lifetime of typical MC's.

in turbulent gas, the H_2 fraction can become very high on short timescale

(for models with coupling between cloud dynamics and time-dependent chemistry, see Glover & Mac Low 2007a,b)

star formation on *global* scales



(rate from Hollenback, Werner, & Salpeter 1971)

BUT: *it doesn't work*
(at least not so easy):

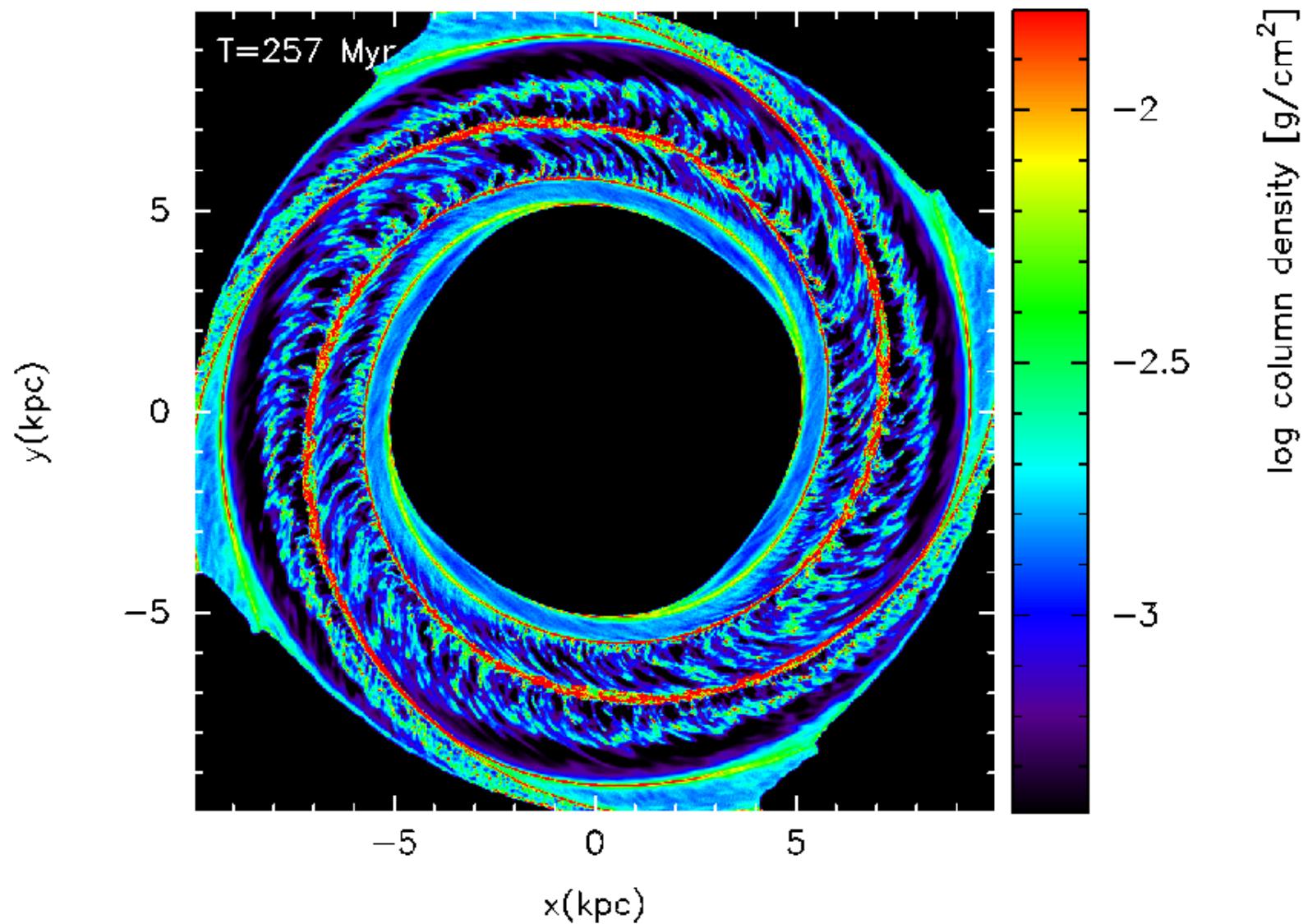
*Chemistry has a
memory effect!*

H₂ forms more quickly
in high-density
regions as it gets
destroyed in low-
density parts.

(for models with coupling
between cloud dynamics and
time-dependent chemistry,
see Glover & Mac Low
2007a,b)



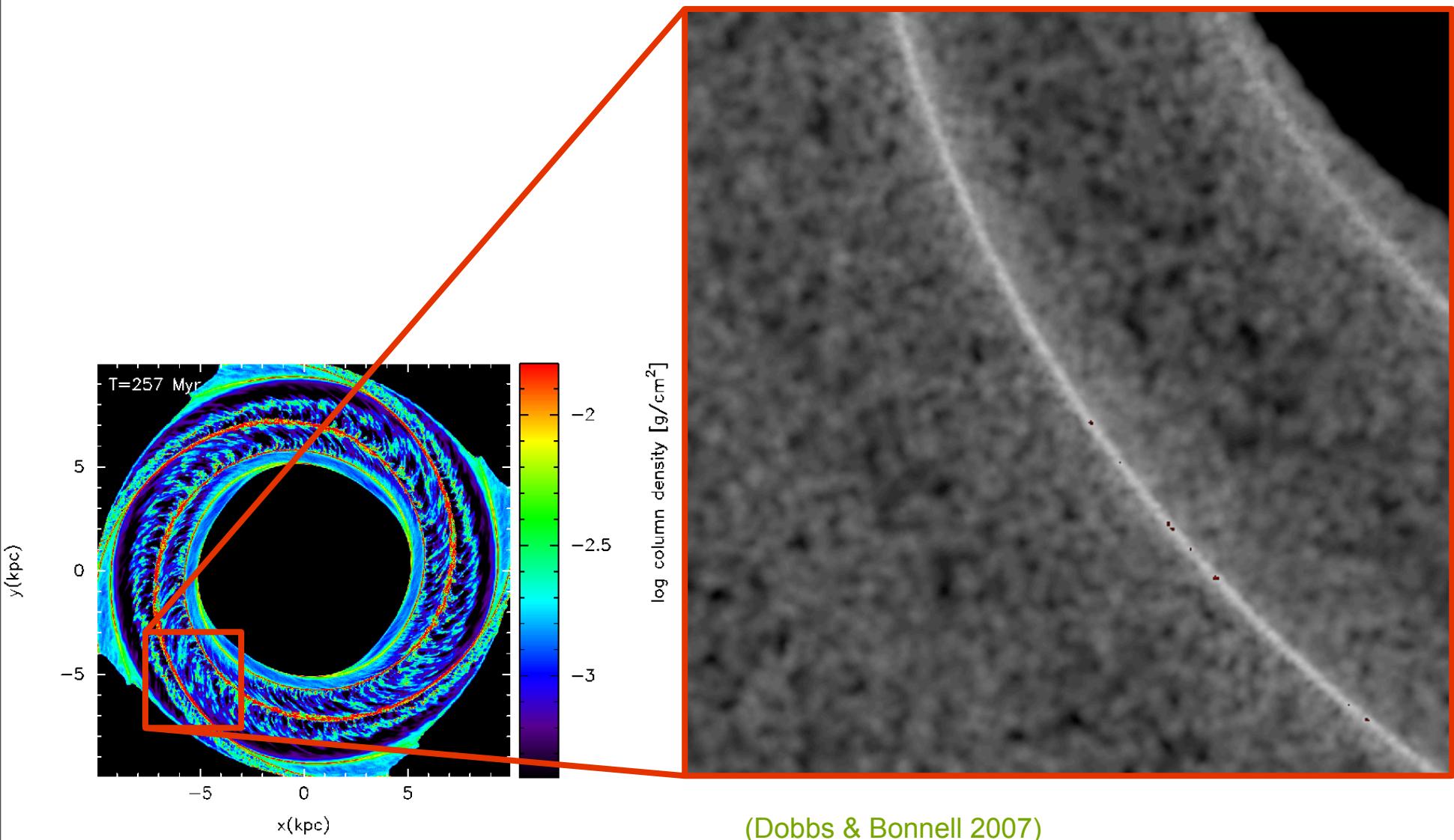
molecular cloud formation



(from Dobbs, Glover, Clark, Klessen 2008)



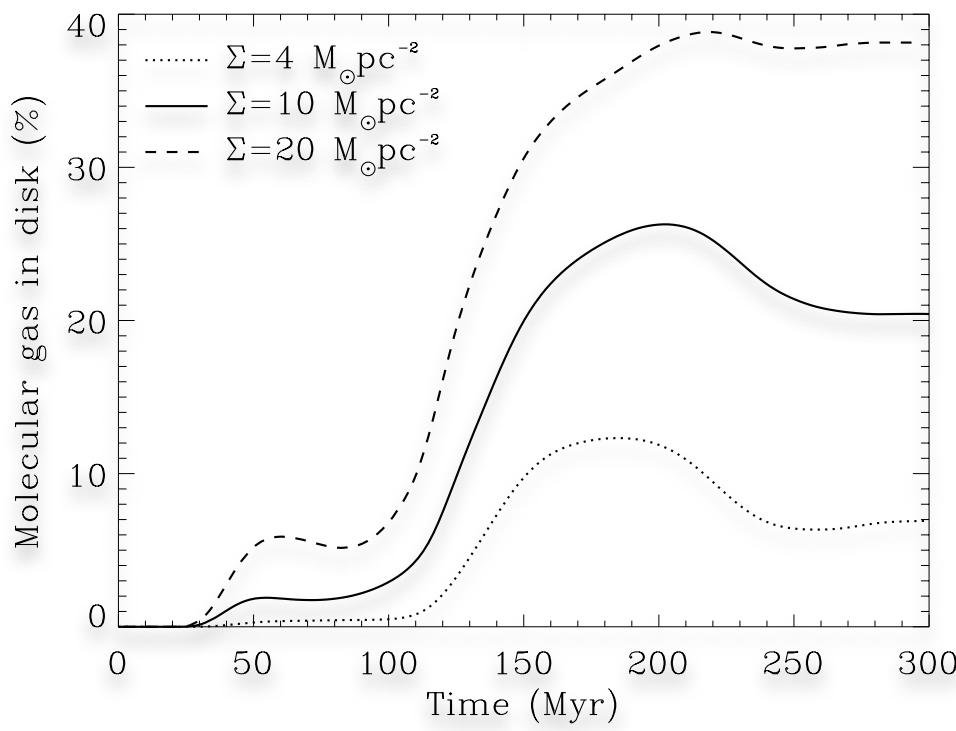
molecular cloud formation





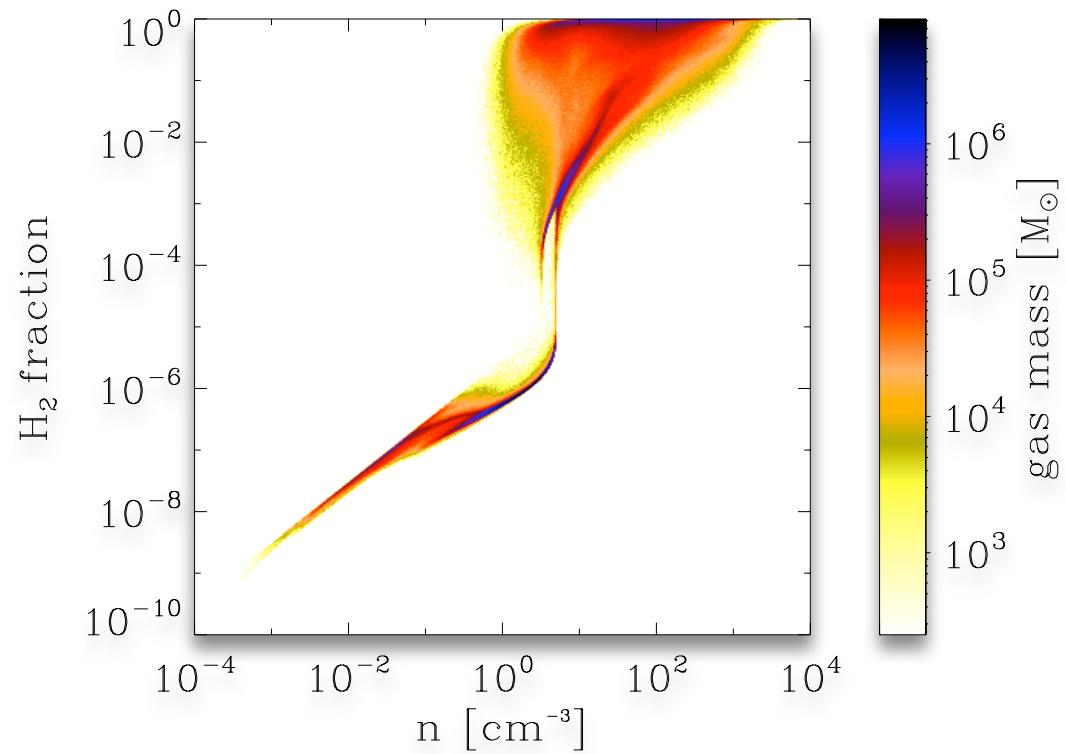
molecular cloud formation

molecular gas fraction as function of time



(Dobbs et al. 2008)

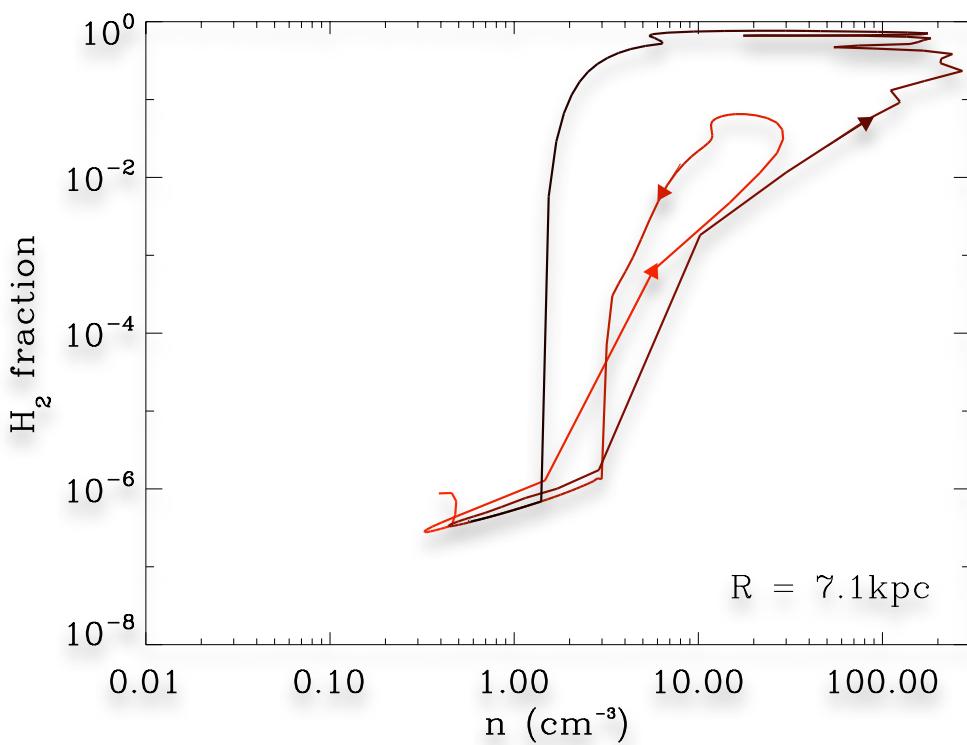
molecular gas fraction as function of density





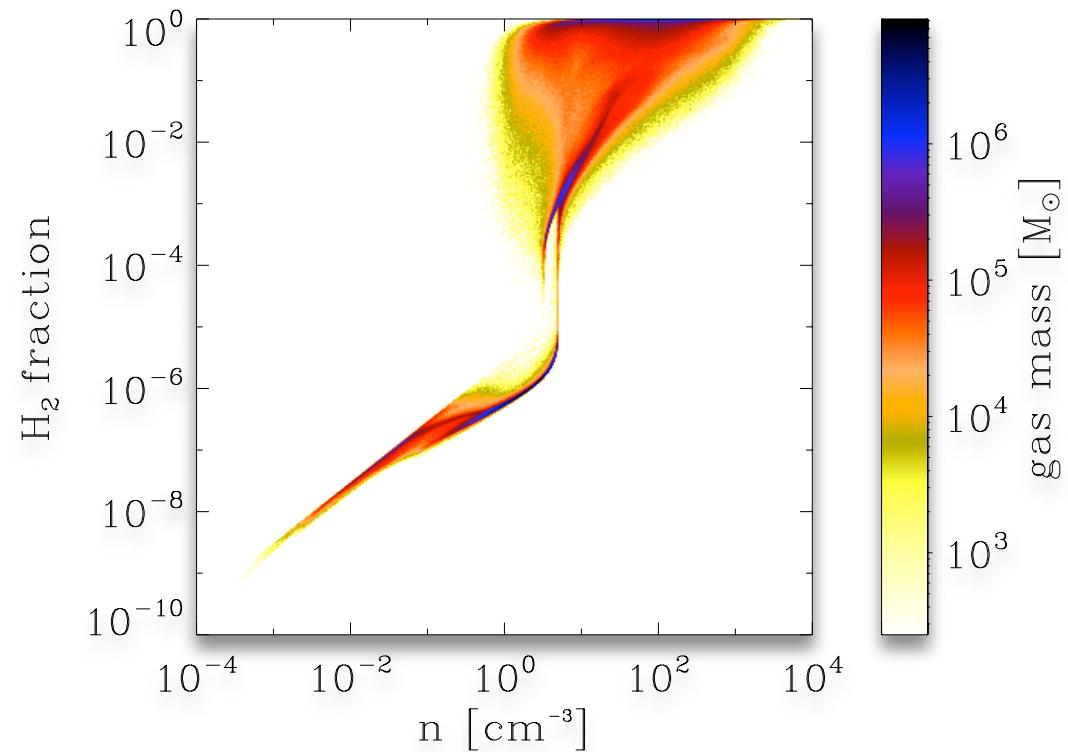
molecular cloud formation

molecular gas fraction of fluid element as function of time



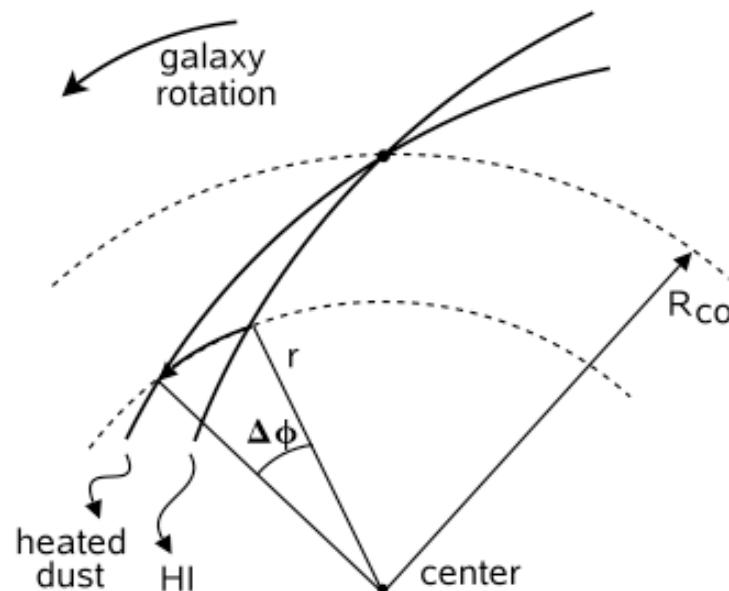
(Dobbs et al. 2008)

molecular gas fraction as function of density





observed timescales



Tamburro et al. (2008)

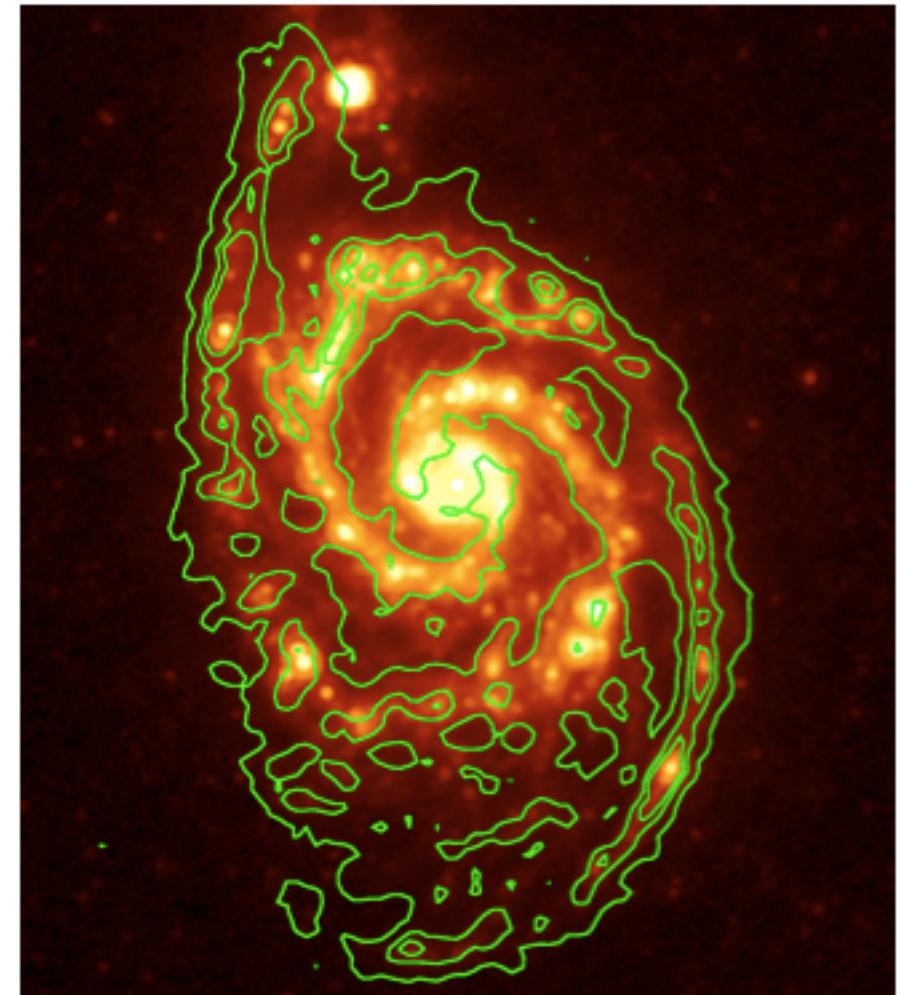
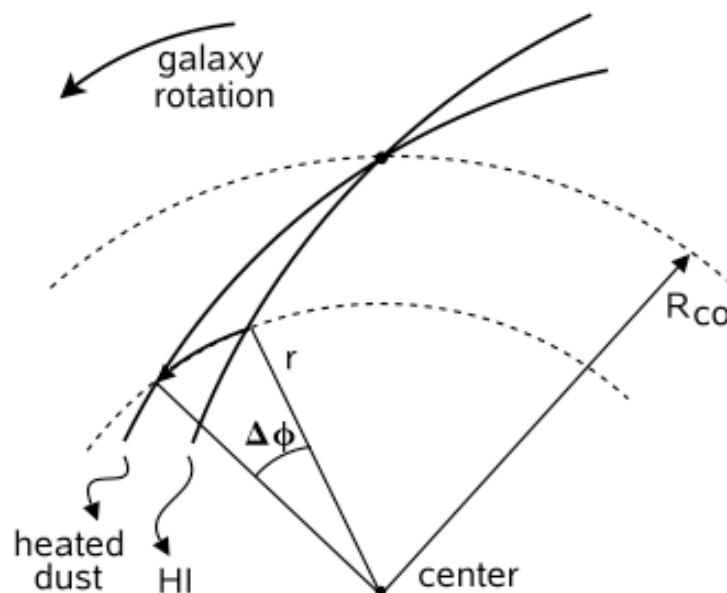


Fig. 1.— NGC 5194: the $24 \mu\text{m}$ band image is plotted in color scale; the HI emission map is overlaid with green contours.



observed timescales



Tamburro et al. (2008)

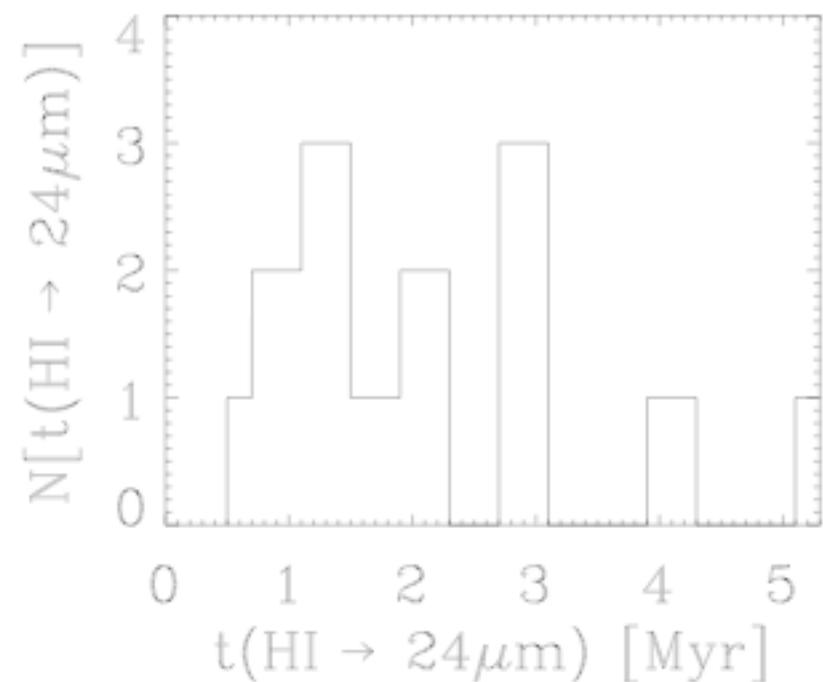
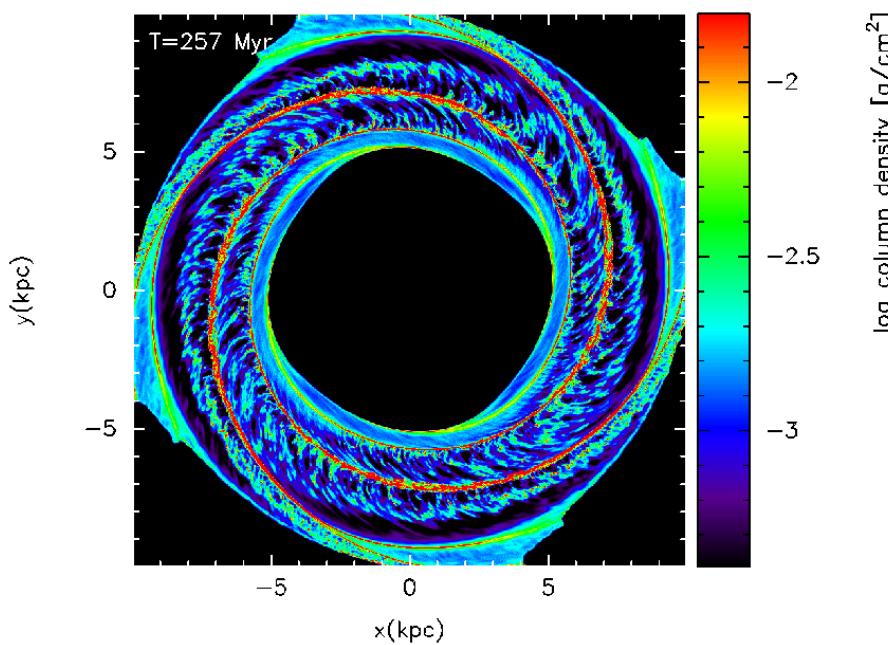


Fig. 5.— Histogram of the time scales $t_{\text{HI} \rightarrow 24 \mu\text{m}}$ derived from the fits in Figure 4 and listed in Table. 2 for the 14 sample galaxies listed in Table. 1. The timescales range between 1 and 4 Myr for almost all galaxies.

calculated timescales



Dobbs et al. (2008)

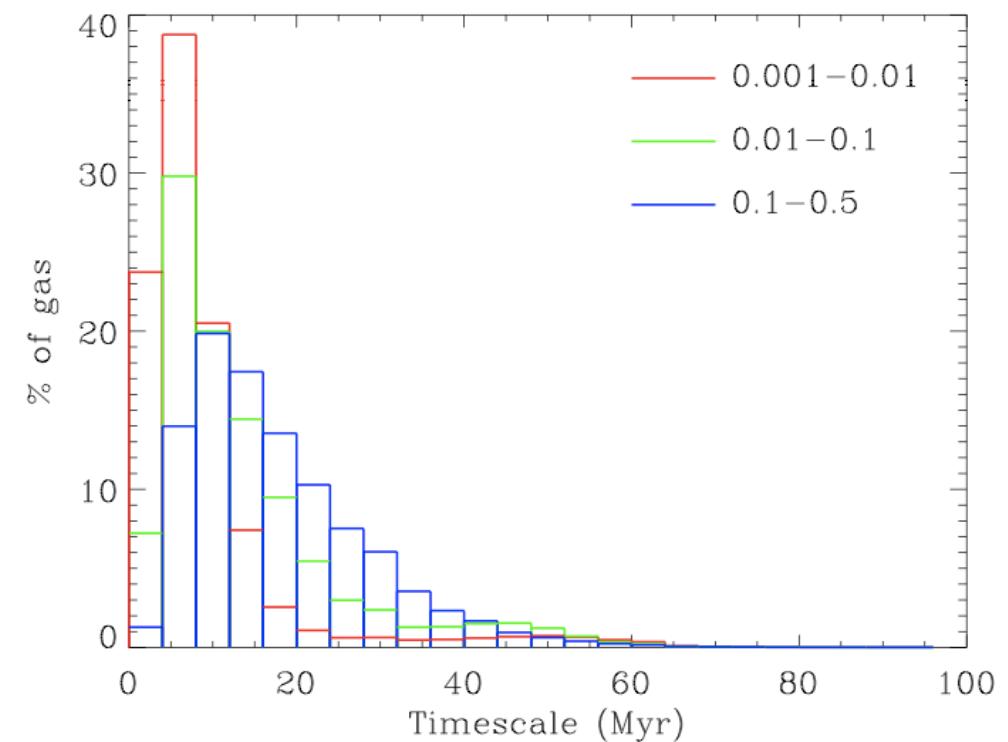
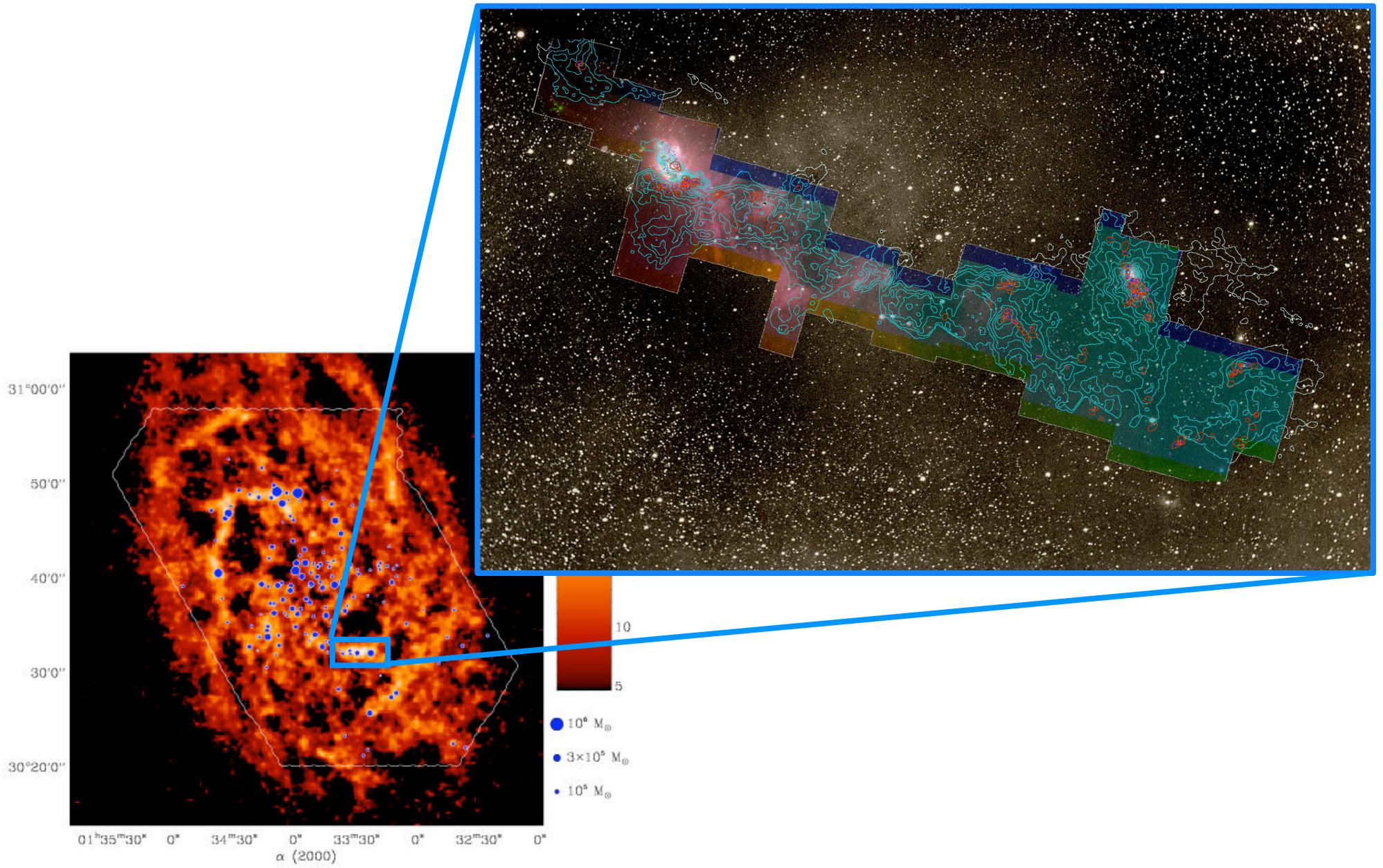
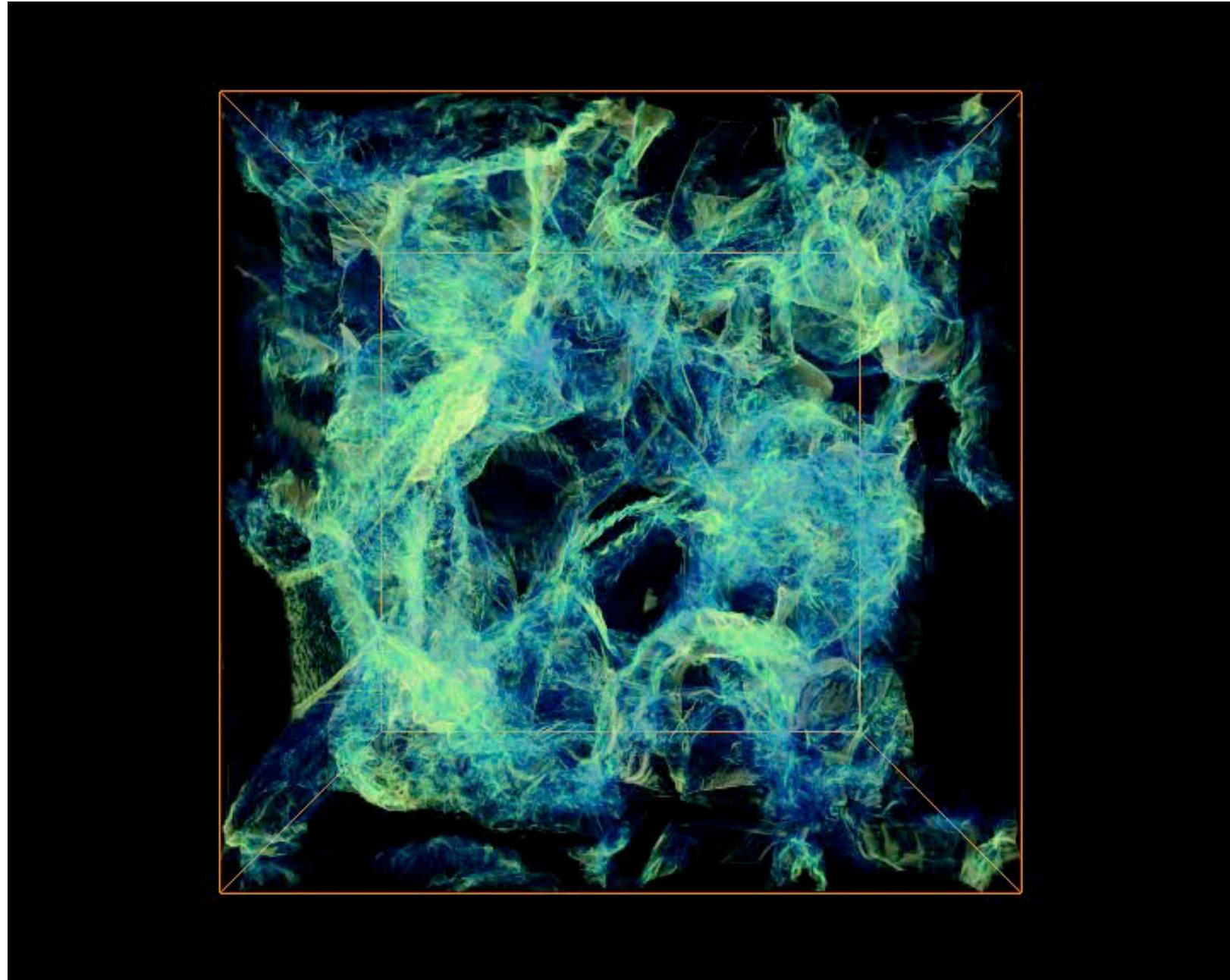


Figure 16. This histogram gives the distribution of timescales over which the gas reaches certain molecular gas fractions. The timescales denote the time for the H₂ fraction of a particle to increase from 0.001 to 0.01, 0.01 to 0.1 and 0.1 to 0.5, as indicated.



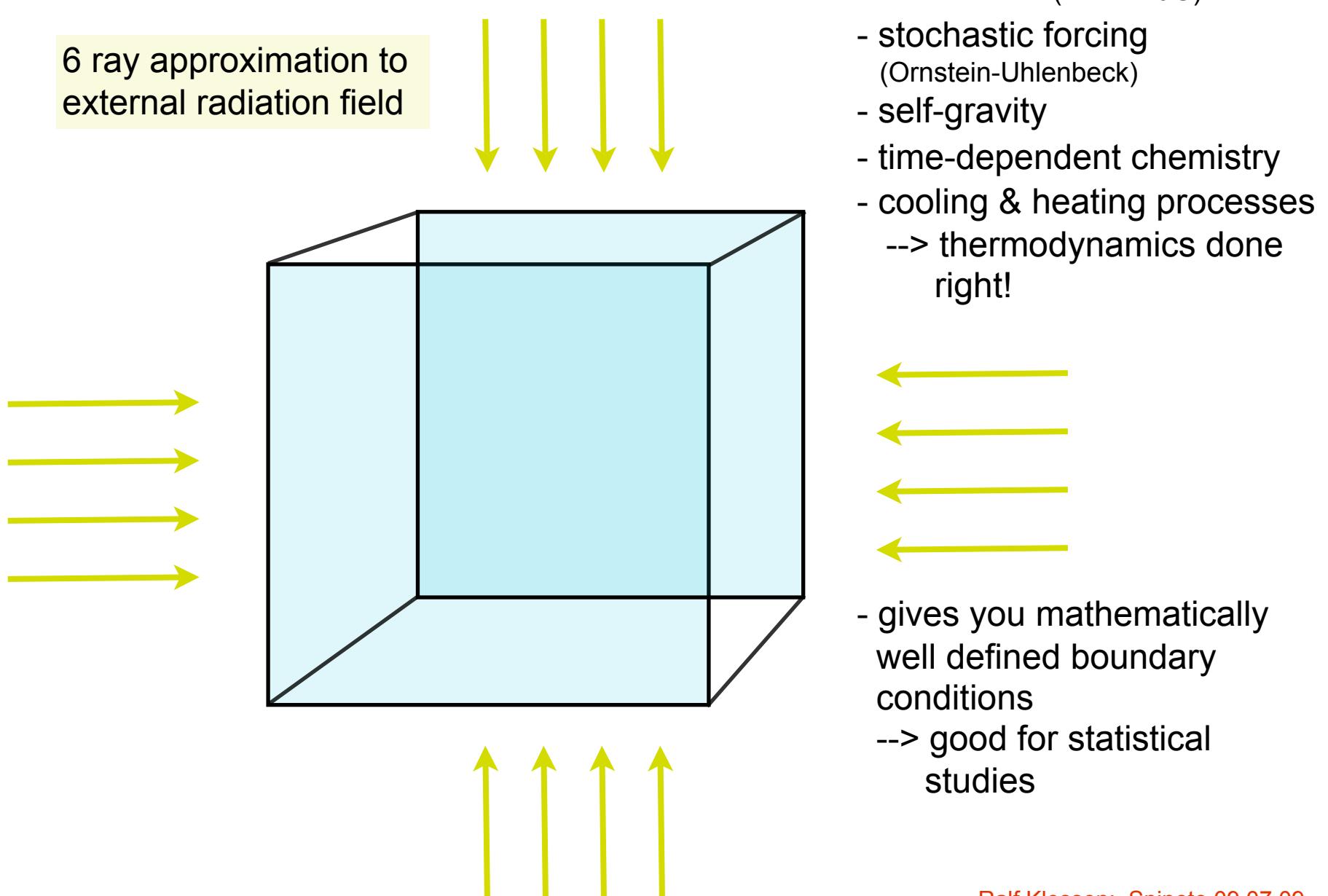
zooming in ...





(movie from Christoph Federrath)

experimental set-up





chemical model 0

- 32 chemical species
 - 17 in instantaneous equilibrium:
 H^- , H_2^+ , H_3^+ , CH^+ , CH_2^+ , OH^+ , H_2O^+ , H_3O^+ , CO^+ , HOC^+ , O^- , C^- and O_2^+
 - 19 full non-equilibrium evolution
 - e^- , H^+ , H , H_2 , He , He^+ , C , C^+ , O , O^+ , OH , H_2O , CO ,
 - C_2 , O_2 , HCO^+ , CH , CH_2 and CH_3^+
- 218 reactions
- various heating and cooling processes

(Glover, Federrath, Mac Low, Klessen, in prep)



Process

chemical model 1

Cooling:

C fine structure lines

Atomic data – Silva & Viegas (2002)

Collisional rates (H) – Abrahamsson, Krems & Dalgarno (2007)

Collisional rates (H_2) – Schroder et al. (1991)

Collisional rates (e^-) – Johnson et al. (1987)

Collisional rates (H^+) – Roueff & Le Bourlot (1990)

C^+ fine structure lines

Atomic data – Silva & Viegas (2002)

Collisional rates (H_2) – Flower & Launay (1977)

Collisional rates (H, $T < 2000$ K) – Hollenbach & McKee (1989)

Collisional rates (H, $T > 2000$ K) – Keenan et al. (1986)

Collisional rates (e^-) – Wilson & Bell (2002)

O fine structure lines

Atomic data – Silva & Viegas (2002)

Collisional rates (H) – Abrahamsson, Krems & Dalgarno (2007)

Collisional rates (H_2) – see Glover & Jappsen (2007)

Collisional rates (e^-) – Bell, Berrington & Thomas (1998)

Collisional rates (H^+) – Pequignot (1990, 1996)

Le Bourlot, Pineau des Forêts & Flower (1999)

Neufeld & Kaufman (1993); Neufeld, Lepp & Melnick (1995)

Pavlovski et al. (2002)

Hollenbach & McKee (1989)

Wolfire et al. (2003)

Sutherland & Dopita (1993)

Abel et al. (1997)

See Table B1

Cen (1992)

H_2 rovibrational lines

CO and H_2O rovibrational lines

OH rotational lines

Gas-grain energy transfer

Recombination on grains

Atomic resonance lines

H collisional ionization

H_2 collisional dissociation

Compton cooling

Heating:

Photoelectric effect

Bakes & Tielens (1994); Wolfire et al. (2003)

H_2 photodissociation

Black & Dalgarno (1977)

UV pumping of H_2

Burton, Hollenbach & Tielens (1990)

H_2 formation on dust grains

Hollenbach & McKee (1989)

Cosmic ray ionization

Goldsmith & Langer (1978)



Table B1. I

No.	Reaction					
1	H +					
14	H ⁻ + H → H + H + e ⁻	88	H ₂ + He ⁺ → He + H ₂ ⁺	$k_{88} = 7.2 \times 10^{-15}$	63	
36	CH + H ₂ →	89	H ₂ + He ⁺ → He + H + H ⁺	$k_{89} = 3.7 \times 10^{-14} \exp\left(\frac{35}{T}\right)$	63	
37	CH + C →	90	CH + H ⁺ → CH ⁺ + H	$k_{90} = 1.9 \times 10^{-9}$	28	
38	CH + O →	91	CH ₂ + H ⁺ → CH ₂ ⁺ + H	$k_{91} = 1.4 \times 10^{-9}$	28	
		92	CH ₂ + He ⁺ → C ⁺ + He + H ₂	$k_{92} = 7.5 \times 10^{-10}$	28	
39	C ₂ + H →	93	C ₂ ⁺ + H → C ₂ + H ⁻	$k_{93} = 1.0 \times 10^{-9}$	28	
40	CH ₃ + C →	94	DH + H ⁺ → OH ⁺	$k_{94} = 1.1 \times 10^{-9}$	28	
41	CH ₂ + O →	95	DH + H ₂ ⁺ → OH + H + H	$k_{95} = 1.5 \times 10^{-9}$	28	
42	C ₂ + O →	96	H ₂ O + H ⁺ → H ₂ O ⁺ + H	$k_{96} = 6.9 \times 10^{-9}$	64	
		97	H ₂ O + He ⁺ → OH + He + H ⁺	$k_{97} = 2.04 \times 10^{-10}$	65	
		98	H ₂ O + H ₂ ⁺ → OH ⁺ + H ₂	$k_{98} = 2.88 \times 10^{-10}$	65	

chemical model 2

Table B2. List of photochemical reactions included in our chemical model

No.	Reaction	Optically thin rate (s ⁻¹)	γ	Ref.
166	H ⁻ + γ → H + e ⁻	$R_{166} = 7.1 \times 10^{-7}$	0.5	1
167	H ₂ ⁺ + γ → H + H ⁺	$R_{167} = 1.1 \times 10^{-9}$	1.9	2
168	H ₂ + γ → H + H	$R_{168} = 5.6 \times 10^{-11}$	See §2.2	3
169	H ₃ ⁺ + γ → H ₂ + H ⁺	$R_{169} = 4.9 \times 10^{-13}$	1.8	4
170	H ₃ ⁺ + γ → H ₂ ⁺ + H	$R_{170} = 4.9 \times 10^{-13}$	2.3	4
171	C + γ → C ⁺ + e ⁻	$\dots = 2.1 \times 10^{-10}$	—	—
172	C ⁻ + γ →			
173	CH + γ →			
174	CH + γ →			
175	CH ⁺ + γ →			

25 × 10 ⁻¹⁵	81
0 × 10 ⁻¹⁷	82
0 × 10 ⁻¹⁷	82
36 × 10 ⁻¹⁸ $\left(\frac{T}{300}\right)^{0.35} \exp\left(-\frac{161.3}{T}\right)$	83
1 × 10 ⁻¹⁹	T ≤ 300 K
0.9 × 10 ⁻¹⁷ $\left(\frac{T}{300}\right)^{0.33} \exp\left(-\frac{1629}{T}\right)$	T > 300 K
46 × 10 ⁻¹⁶ T ^{-0.5} exp $\left(-\frac{4.93}{T^{2/3}}\right)$	86
0 × 10 ⁻¹⁶ $\left(\frac{T}{300}\right)^{-0.2}$	87
5 × 10 ⁻¹⁸	T ≤ 300 K
14 × 10 ⁻¹⁸ $\left(\frac{T}{300}\right)^{-0.15} \exp\left(\frac{98}{T}\right)$	T > 300 K

Table B3. List of reactions included in our chemical model that involve cosmic rays or cosmic-ray induced UV emission

No.	Reaction	Rate (s ⁻¹ ζ _H ⁻¹)	Ref.
199	H + c.r. → H ⁺ + e ⁻	$R_{199} = 1.0$	—
200	He + c.r. → He ⁺ + e ⁻	$R_{200} = 1.1$	1
201	H ₂ + c.r. → H ⁺ + H + e ⁻	$R_{201} = 0.037$	1
202	H ₂ + c.r. → H + H	$R_{202} = 0.22$	1
203	H ₂ + c.r. → H ⁺ + H ⁻	$R_{203} = 6.5 \times 10^{-4}$	1
204	H ₂ + c.r. → H ₂ ⁺ + e ⁻	$R_{204} = 2.0$	1
205	C + c.r. → C ⁺ + e ⁻	$R_{205} = 3.8$	1
206	O + c.r. → O ⁺ + e ⁻	$R_{206} = 5.7$	1
207	CO + c.r. → CO ⁺ + e ⁻	$R_{207} = 6.5$	1
208	C + γ _{c.r.} → C ⁺ + e ⁻	$R_{208} = 2800$	2
209	CH + γ _{c.r.} → C + H	$R_{209} = 4000$	3
210	CH ⁺ + γ _{c.r.} → C ⁺ + H	$R_{210} = 960$	3
211	CH ₂ + γ _{c.r.} → CH ₂ ⁺ + e ⁻	$R_{211} = 2700$	1
212	CH ₂ + γ _{c.r.} → CH + H	$R_{212} = 2700$	1
213	C ₂ + γ _{c.r.} → C + C	$R_{213} = 1300$	3
214	OH + γ _{c.r.} → O + H	$R_{214} = 2800$	3
215	H ₂ O + γ _{c.r.} → OH + H	$R_{215} = 5300$	3
216	O ₂ + γ _{c.r.} → O + O	$R_{216} = 4100$	3
217	O ₂ + γ _{c.r.} → O ₂ ⁺ + e ⁻	$R_{217} = 640$	3
218	CO + γ _{c.r.} → C + O	$R_{218} = 0.21 T^{1/2} x_{H_2} x_{CO}^{-1/2}$	4
197	O ₂ + γ → O + O	$R_{197} = 7.0 \times 10^{-10}$	1.8
198	CO + γ → C + O	$R_{198} = 2.0 \times 10^{-10}$	See §2.2

86	HCO ⁺ + C →	140	O ⁻ + C → CO + e ⁻	$k_{140} = 5.0 \times 10^{-10}$
87	HCO ⁺ + H ₂ O → CO + H ₃ O ⁺			$k_{87} = 2.5 \times 10^{-9}$

HI to H₂ conversion rate

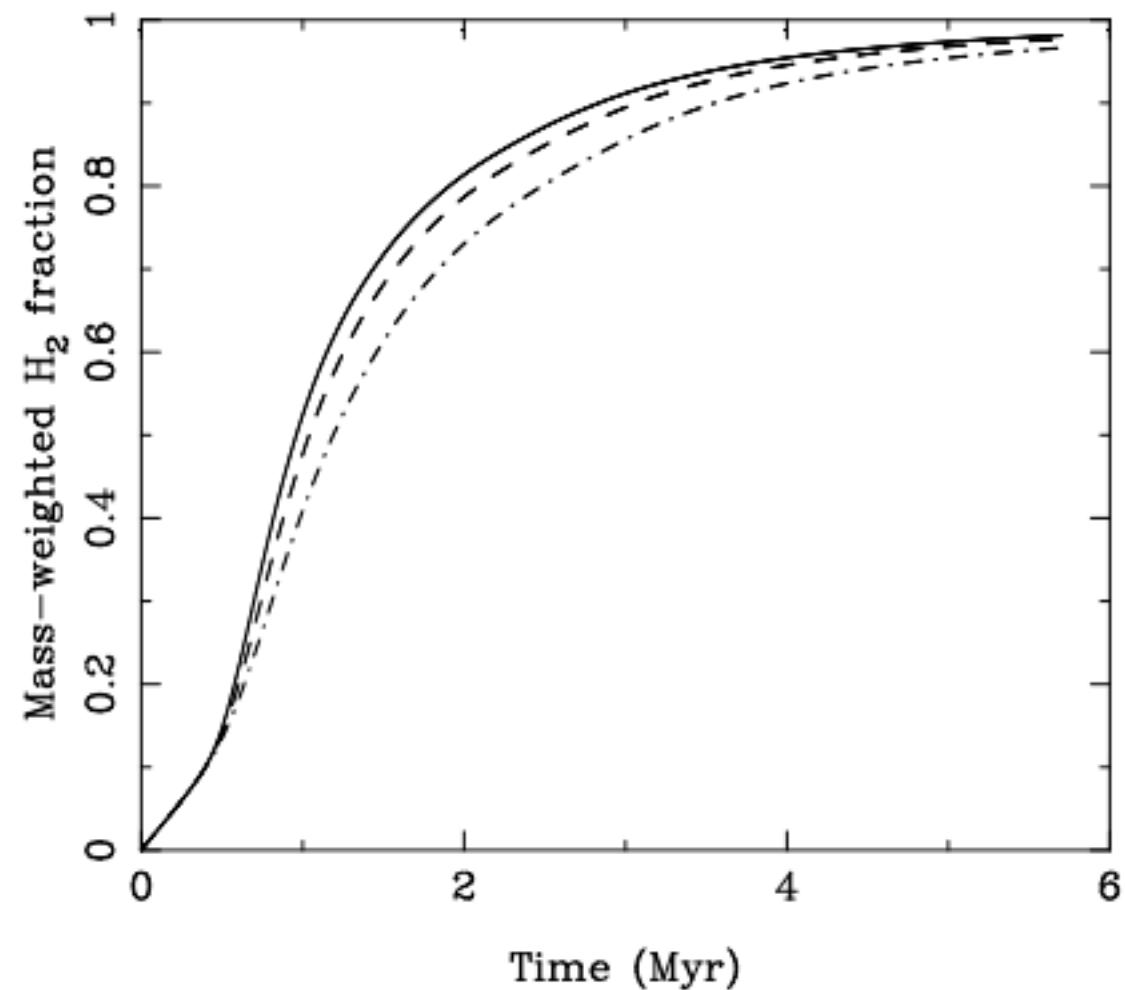
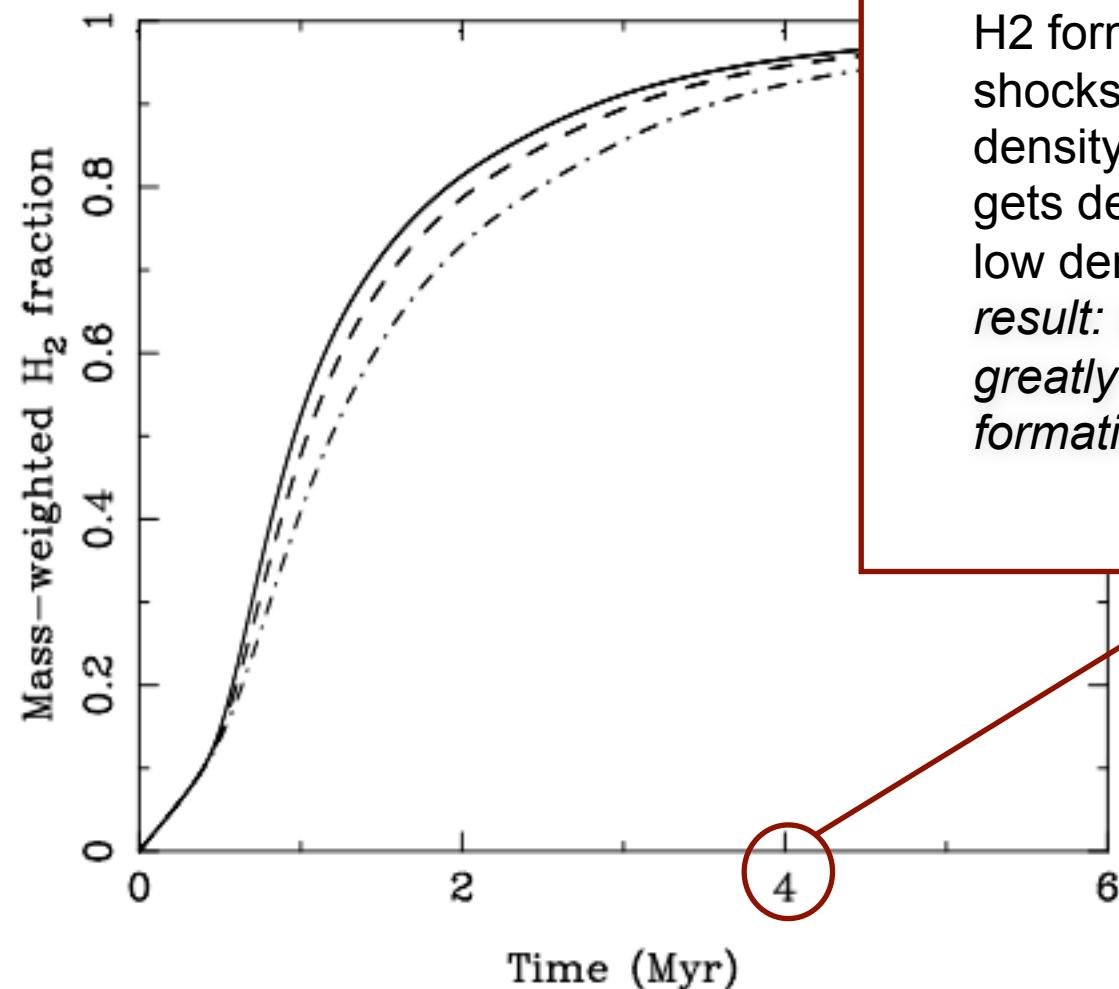


Figure 4. Time evolution of the mass-weighted H₂ abundance in simulations R1, R2 and R3, which have numerical resolutions of 64³ zones (dot-dashed), 128³ zones (dashed) and 256³ zones (solid), respectively.

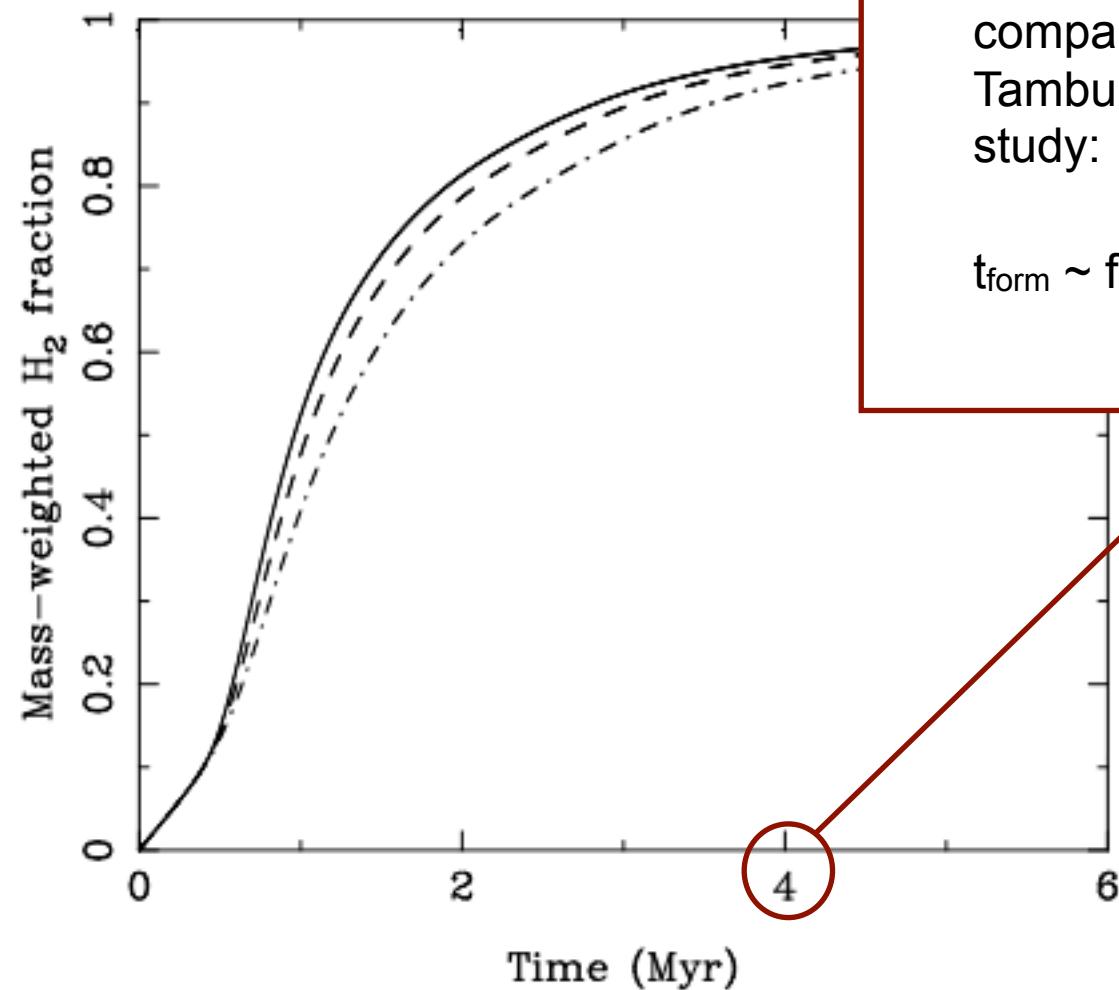
HI to H₂ conversion rate



H₂ forms rapidly in shocks / transient density fluctuations / H₂ gets destroyed slowly in low density regions / *result: turbulence greatly enhances H₂-formation rate*

Figure 4. Time evolution of the mass-weighted H₂ abundance in simulations R1, R2 and R3, which have numerical resolutions of 64³ zones (dot-dashed), 128³ zones (dashed) and 256³ zones (solid), respectively.

HI to H₂ conversion rate



compare to data from
Tamburro et al. (2008)
study:

$t_{\text{form}} \sim \text{few} \times 10^6 \text{ years}$

Figure 4. Time evolution of the mass-weighted H₂ abundance in simulations R1, R2 and R3, which have numerical resolutions of 64³ zones (dot-dashed), 128³ zones (dashed) and 256³ zones (solid), respectively.

CO, C⁺ formation rates

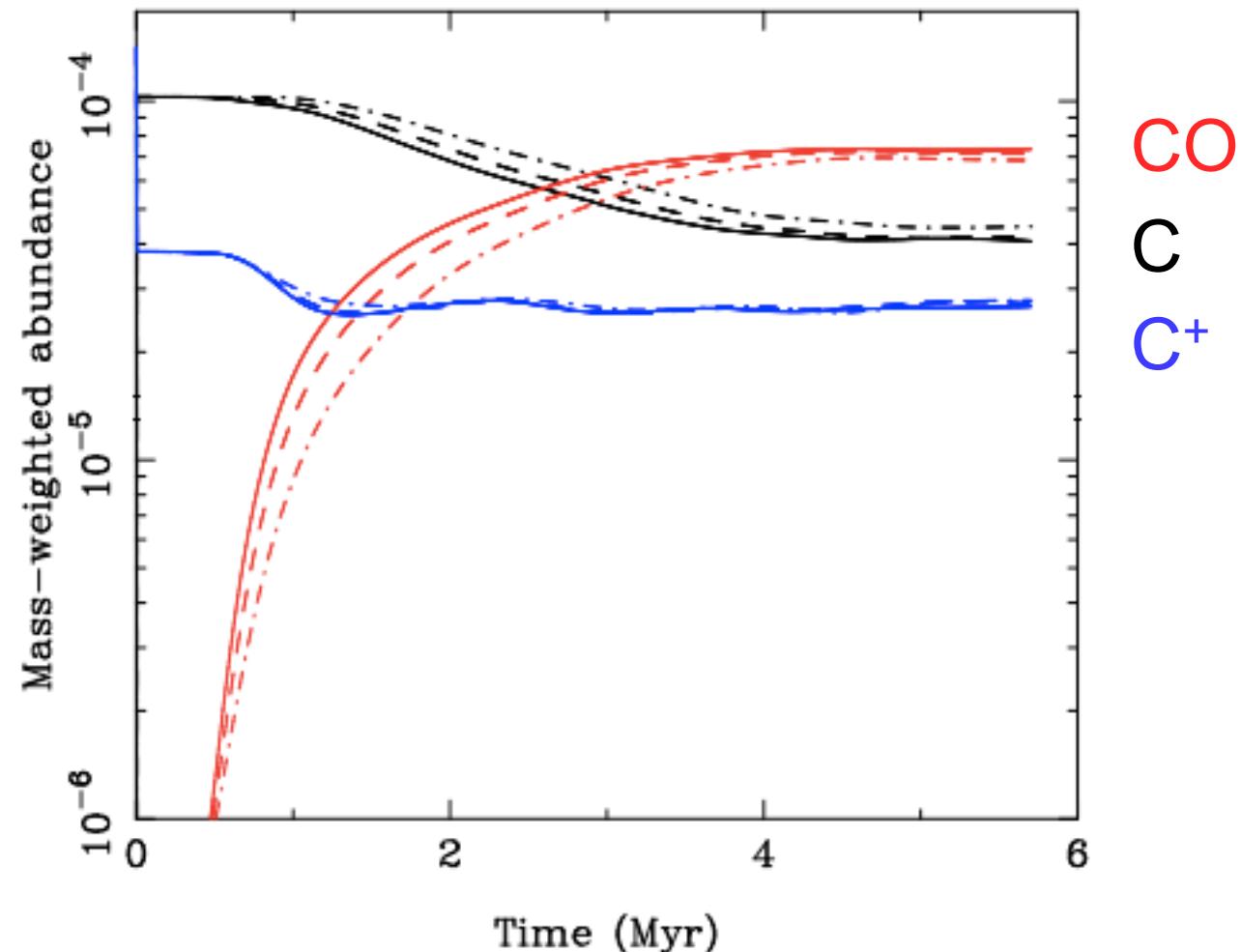
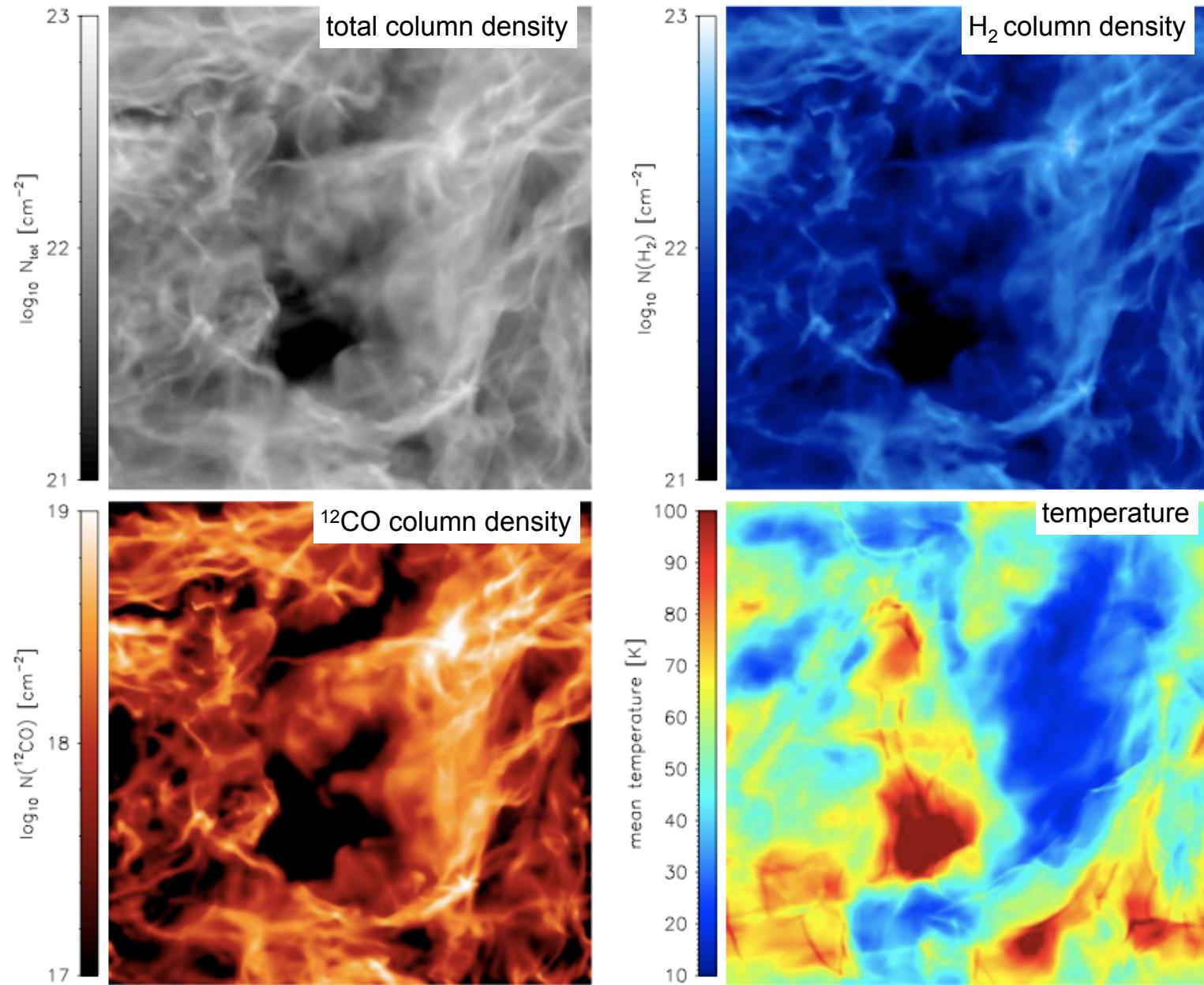


Figure 5. Time evolution of the mass-weighted abundances of atomic carbon (black lines), CO (red lines), and C⁺ (blue lines) in simulations with numerical resolutions of 64^3 zones (dot-dashed), 128^3 zones (dashed) and 256^3 zones (solid).

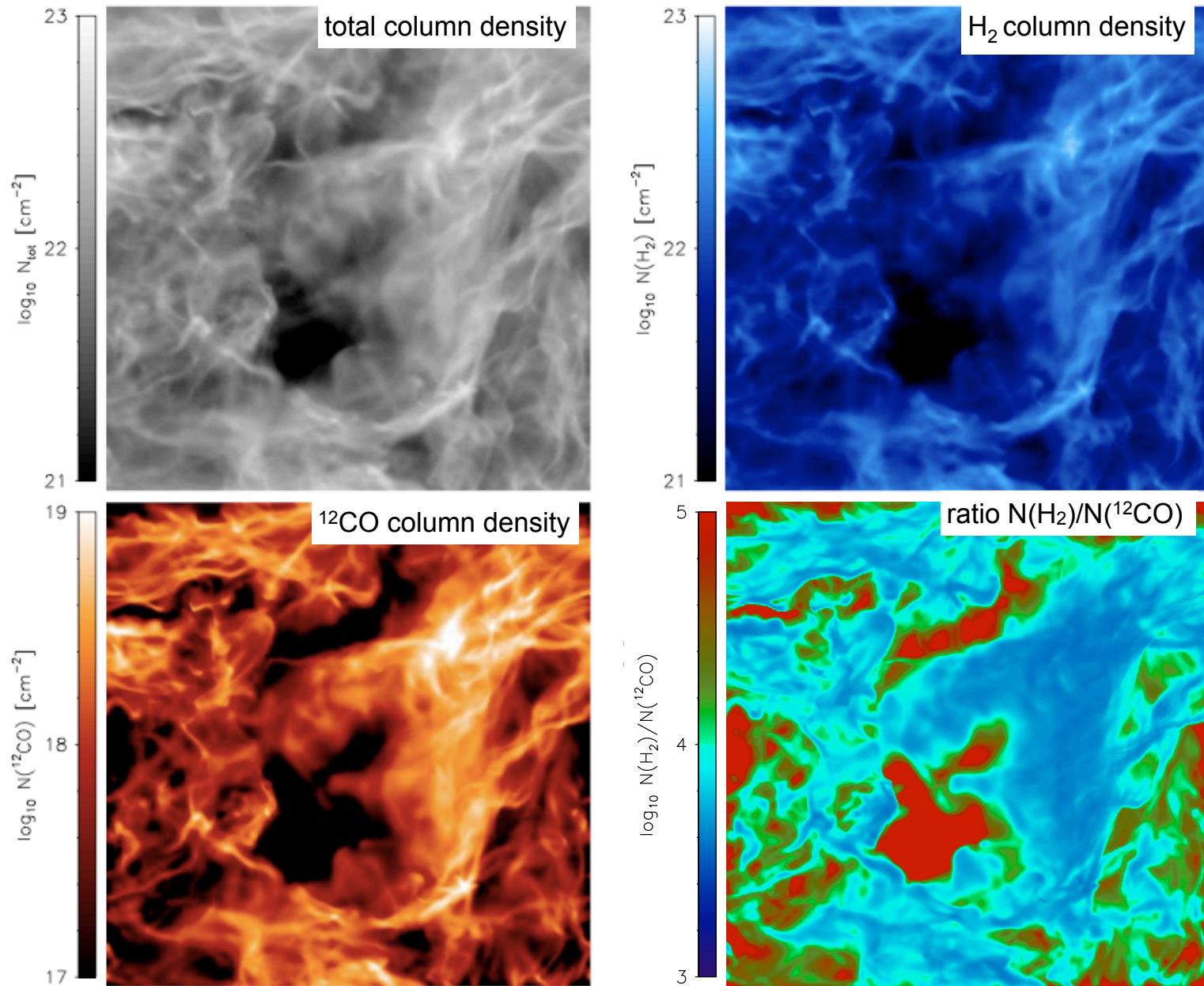


effects of chemistry 1



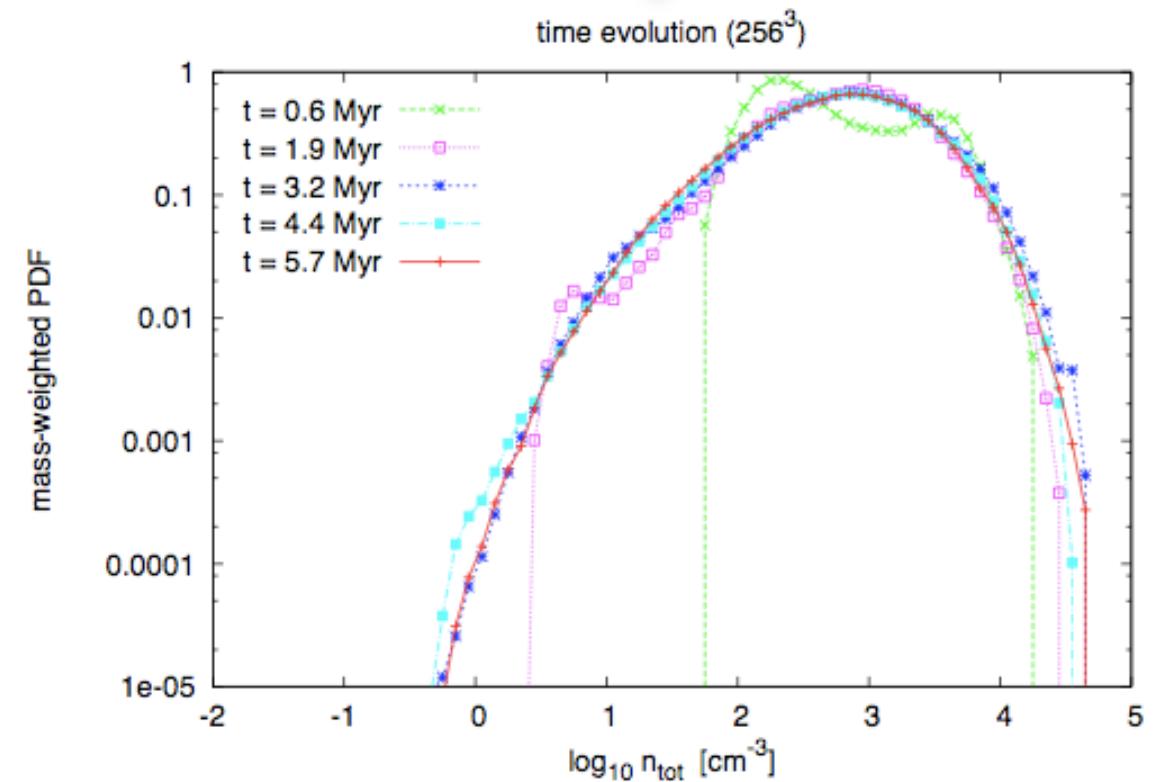


effects of chemistry 2



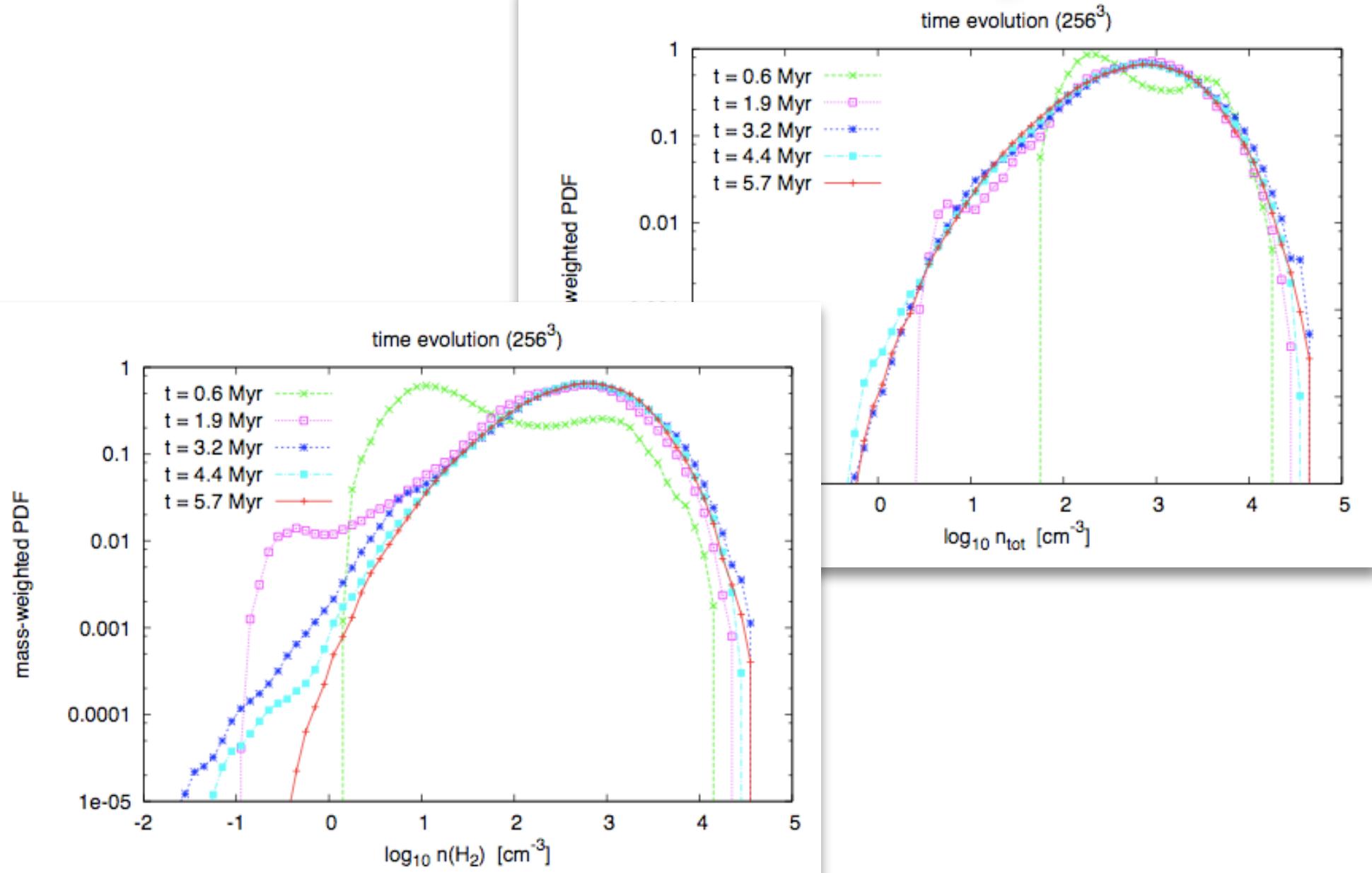


effects of chemistry 3

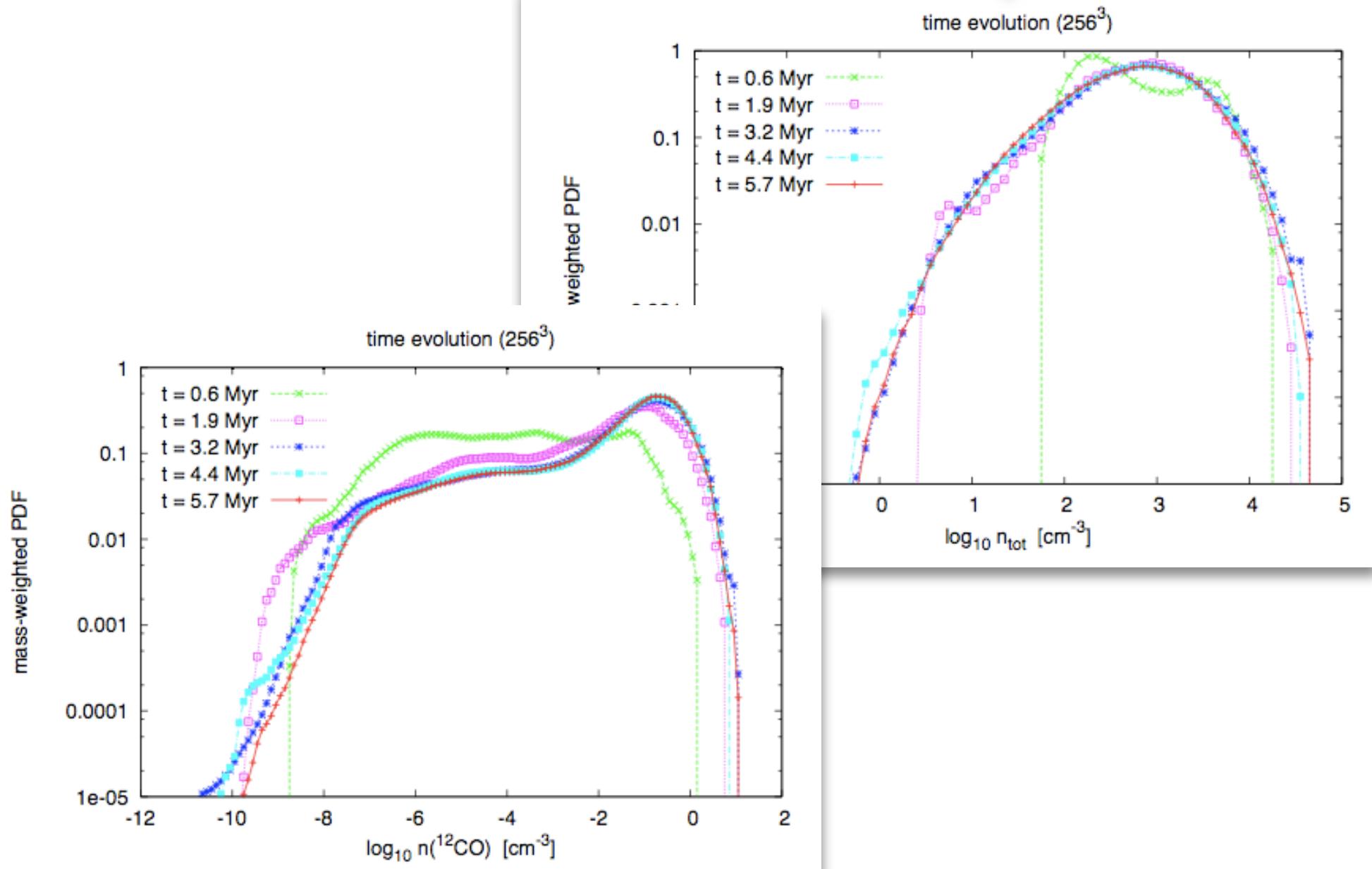




effects of chemistry 3

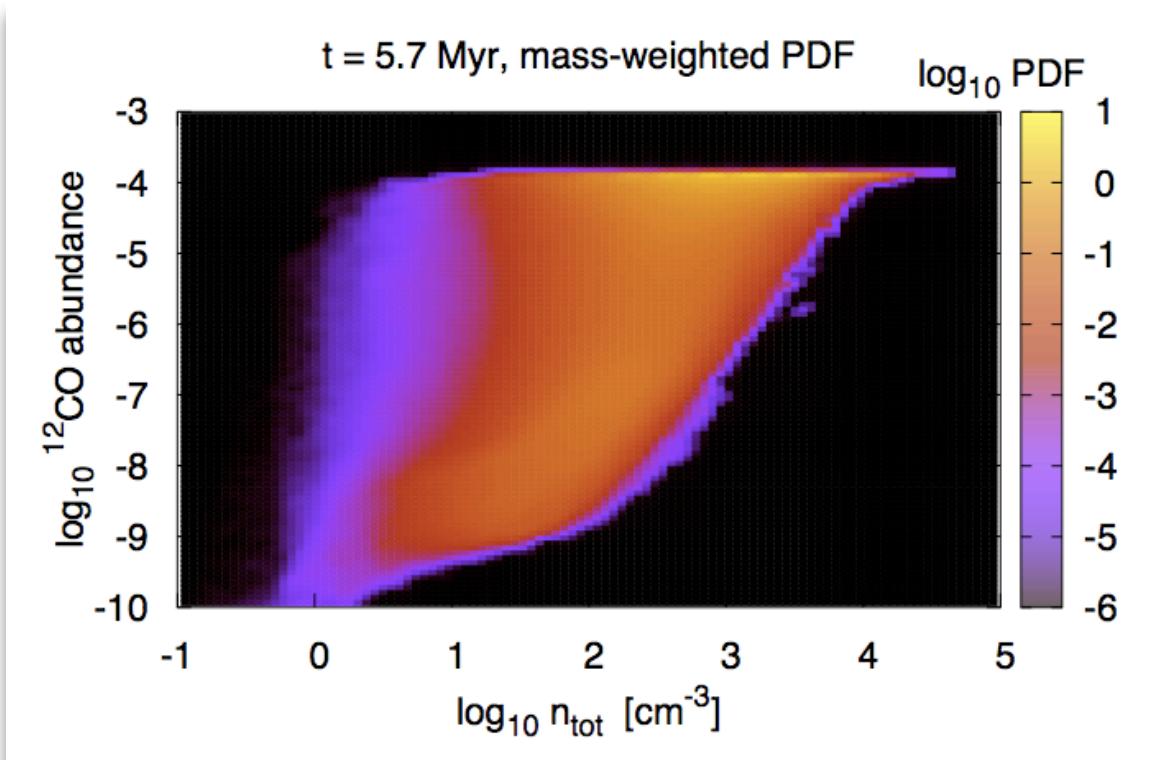


effects of chemistry 3



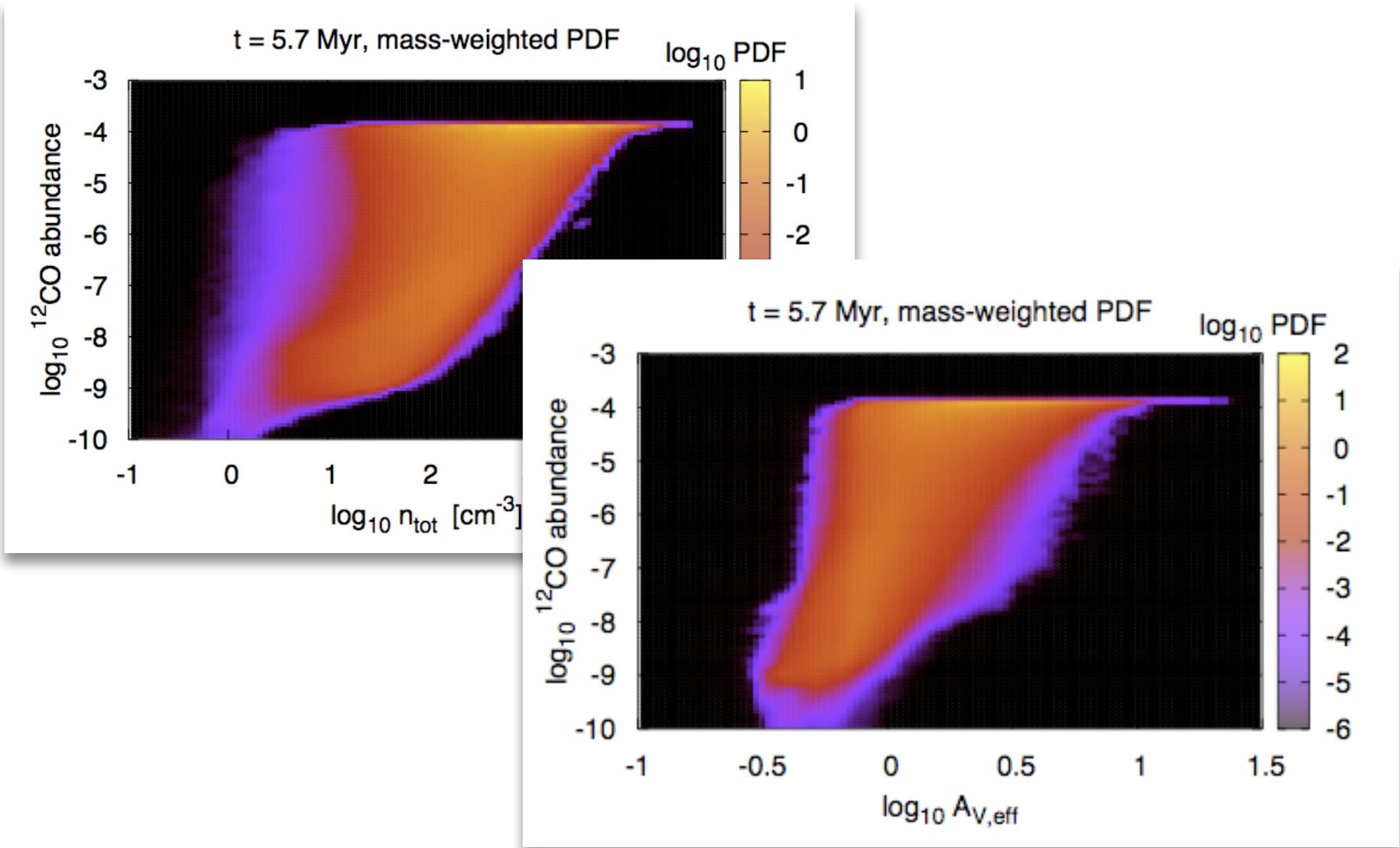


effects of chemistry 3





effects of chemistry 3



density pdf

1200³ hydrodynamic simulation

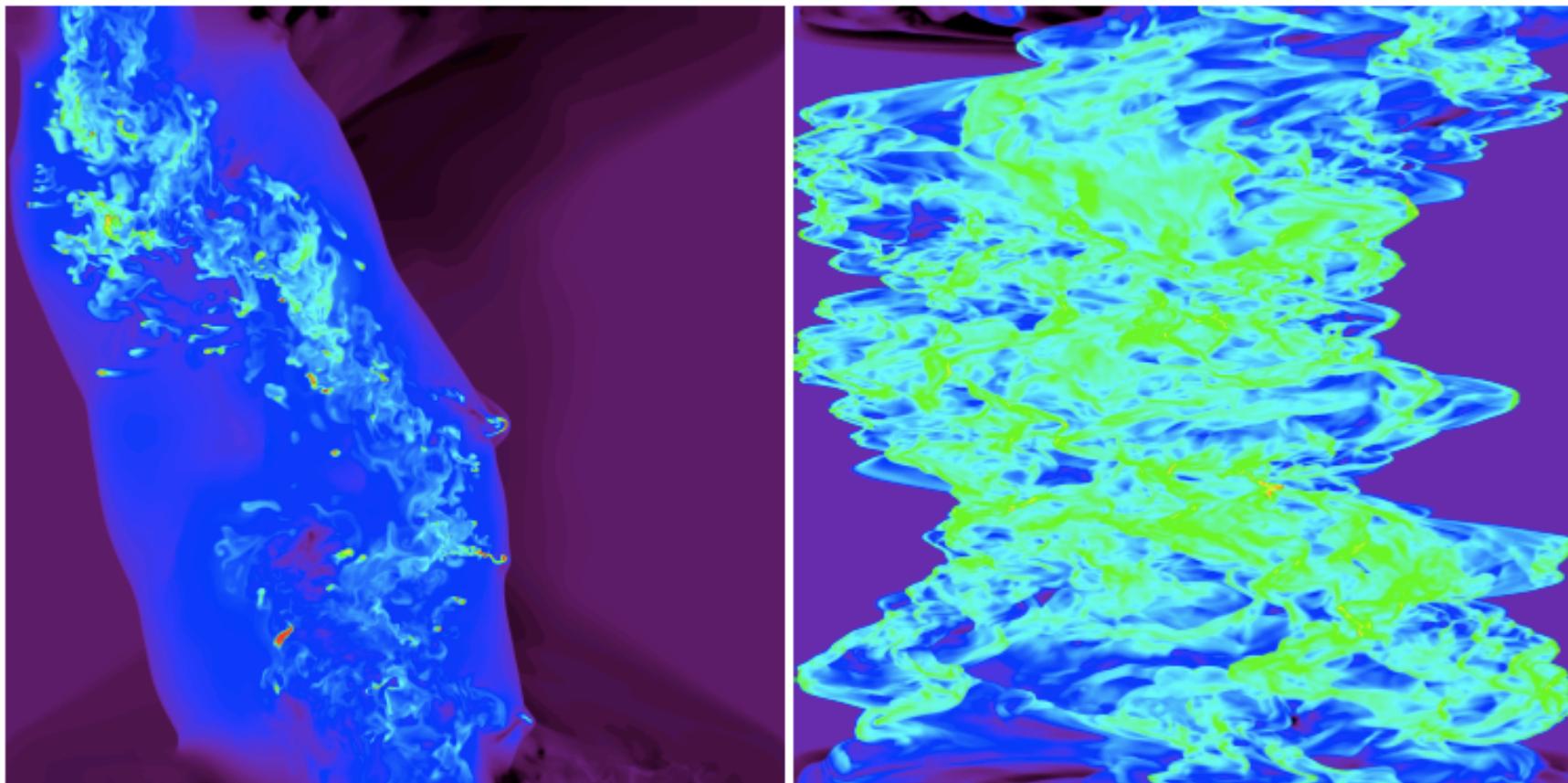


Fig. 3. Density cut through the simulations. The left plot corresponds to the 2-phase run and the right one to the isothermal run. Dark-blue, blue, green and red correspond respectively to densities of the order of 1 cm^{-3} , 3 cm^{-3} , 20 cm^{-3} and 100 cm^{-3} .

(Audit & Hennebelle, submitted)

Ralf Klessen: Spineto 09.07.09

density pdf

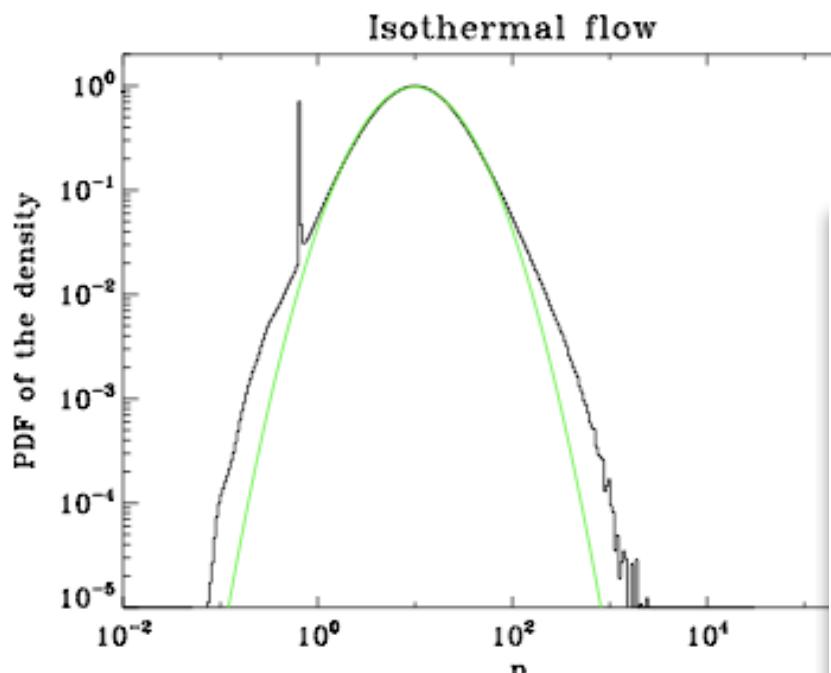


Fig. 5. Probability distribution function of the density for the isothermal run.

1200³ hydrodynamic simulation

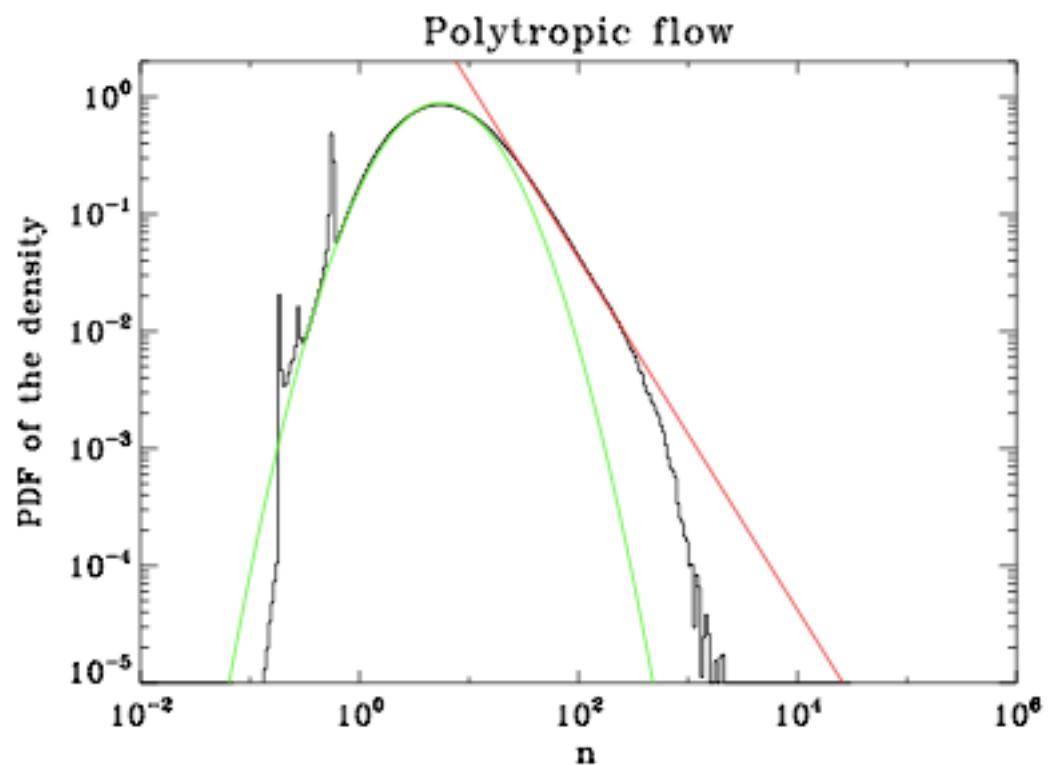


Fig. 6. Probability distribution function of the density for the polytropic run.

(Audit & Hennebelle, submitted)



dilatational vs. solenoidal

density as function of time / cut through 1024^3 cube simulation (FLASH)



compressive
larger structures, higher ρ -contrast



rotational
smaller structures, small ρ -pdf

dilatational vs. solenoidal

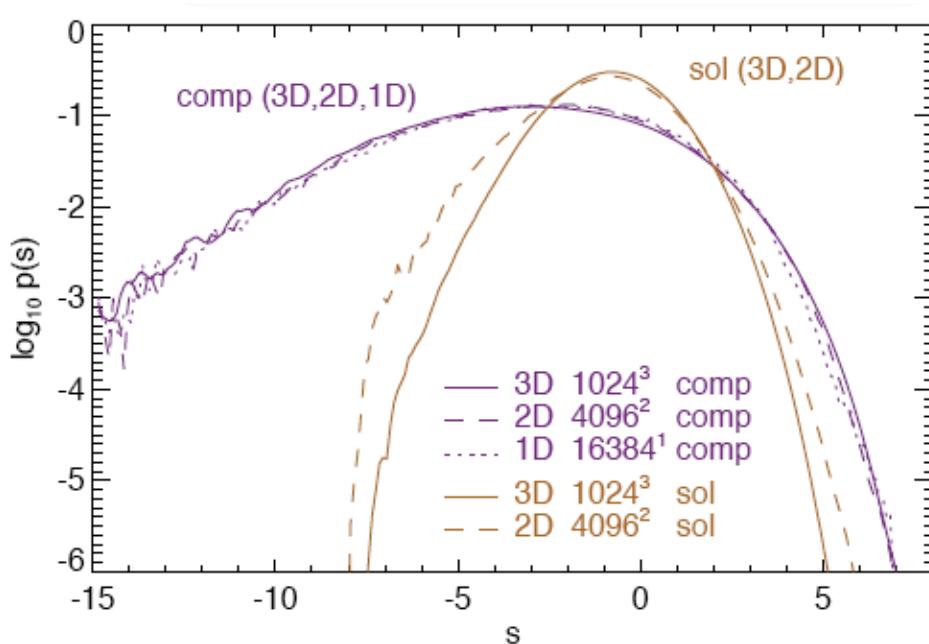


FIG. 3.— Volume-weighted density PDFs $p(s)$ obtained from 3D, 2D and 1D simulations with compressive forcing and from 3D and 2D simulations using solenoidal forcing. Note that in 1D, only compressive forcing is possible as in the study by Passot & Vázquez-Semadeni (1998). As suggested by eq. (5), compressive forcing yields almost identical density PDFs in 1D, 2D and 3D with $b \sim 1$, whereas solenoidal forcing leads to a density PDF with $b \sim 1/2$ in 2D and with $b \sim 1/3$ in 3D.

- density pdf depends on “dimensionality” of driving
 - relation between width of pdf and Mach number

$$\sigma_\rho / \rho_0 = b \mathcal{M}$$

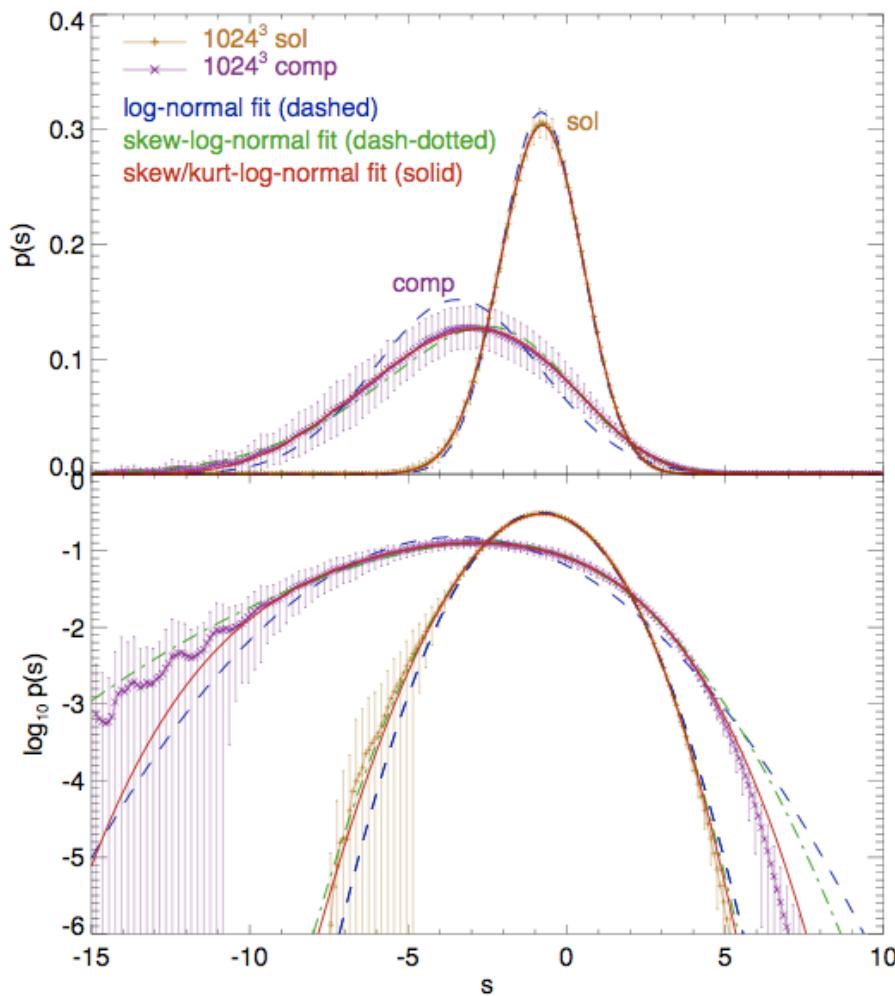
- with b depending on ζ via

$$b = 1 + \left[\frac{1}{D} - 1 \right] \zeta = \begin{cases} 1 - \frac{2}{3}\zeta & , \text{ for } D = 3 \\ 1 - \frac{1}{2}\zeta & , \text{ for } D = 2 \\ 1 & , \text{ for } D = 1 \end{cases}$$

- with ζ being the ratio of dilatational vs. solenoidal modes:

$$\mathcal{P}_{ij}^\zeta = \zeta \mathcal{P}_{ij}^\perp + (1 - \zeta) \mathcal{P}_{ij}^{\parallel} = \zeta \delta_{ij} + (1 - 2\zeta) \frac{k_i k_j}{|k|^2}$$

dilatational vs. solenoidal



good fit needs 3rd and 4th moment of distribution!

Federrath, Klessen, Schmidt (2008b)

- density pdf depends on “dimensionality” of driving
→ is that a problem for the Krumholz & McKee model of the SF efficiency?
- density pdf of compressive driving is *NOT log-normal*
→ is that a problem for the Padoan & Nordlund IMF model?
- most “physical” sources should be **compressive** (convergent flows from spiral shocks or SN)



effects of chemistry 4

- deliverables / predictions:

- x-factor estimates (as function of environmental conditions)
- synthetic line emission maps (in combination with line transfer)
- pdf's of density, velocity, emissivity / structure functions (to directly connect to observational regime)
- **COMMENT:** density pdf is *NOT* lognormal!
 <-- gravity (poster by Kim), driving scheme
 (Federrath et al. 2008), EOS (Hennebelle & Audit 2009)



initial mass
function



initial mass function

- what is the relation between molecular cloud fragmentation and the distribution of stars?
- important quantity: *IMF*
- IMPORTANT CAVEAT:
“everyone” gets the right IMF
→ better look for secondary indicators
 - *stellar multiplicity*
 - protostellar *spin* (including disk)
 - *spatial distribution + kinematics* in young clusters
 - *magnetic field strength and orientation*



IMF

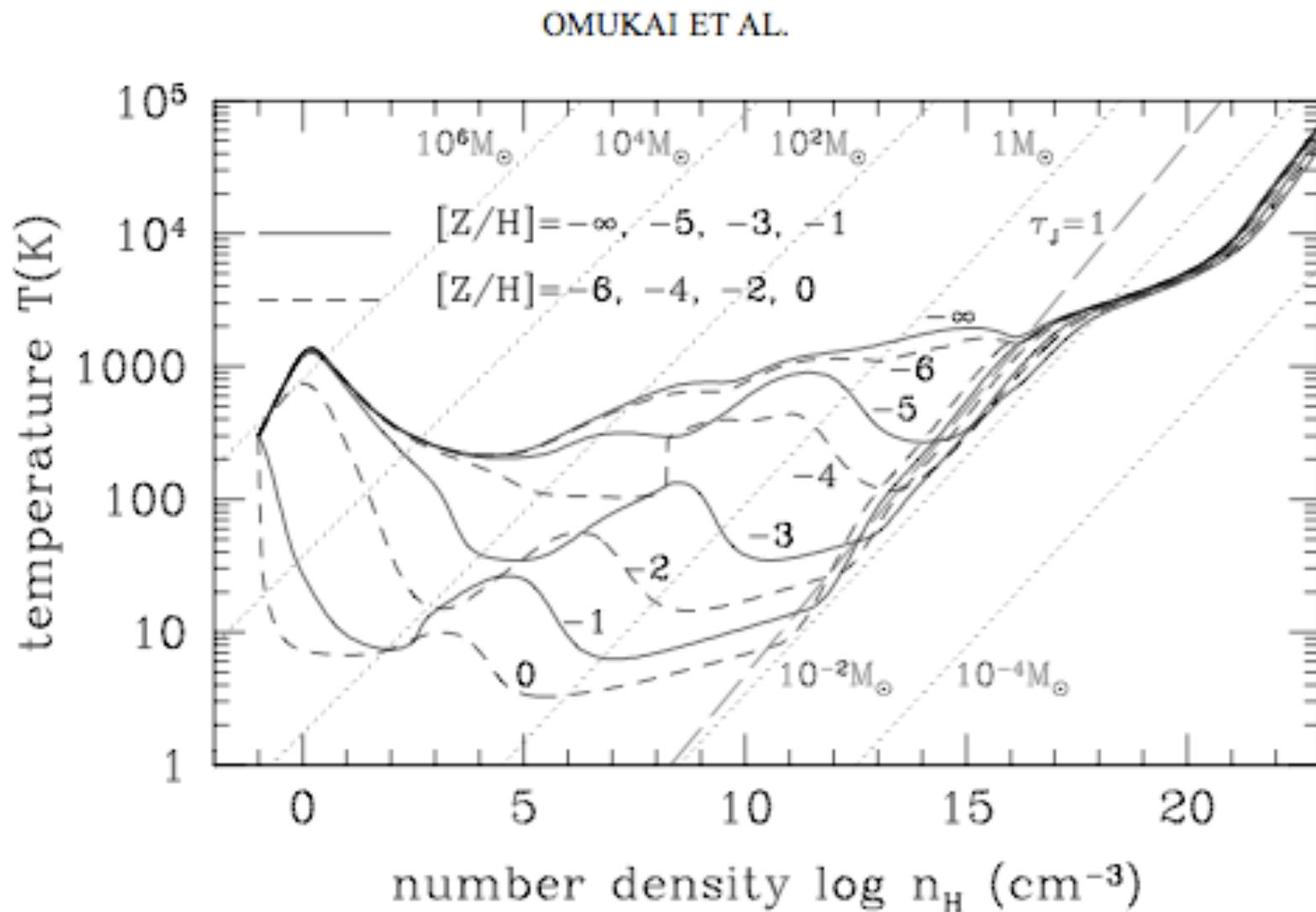
- distribution of stellar masses depends on
 - turbulent initial conditions
--> mass spectrum of prestellar cloud cores
 - collapse and interaction of prestellar cores
--> competitive accretion and N -body effects
 - thermodynamic properties of gas
--> balance between heating and cooling
--> EOS (determines which cores go into collapse)
 - (proto) stellar feedback terminates star formation
ionizing radiation, bipolar outflows, winds, SN



IMF

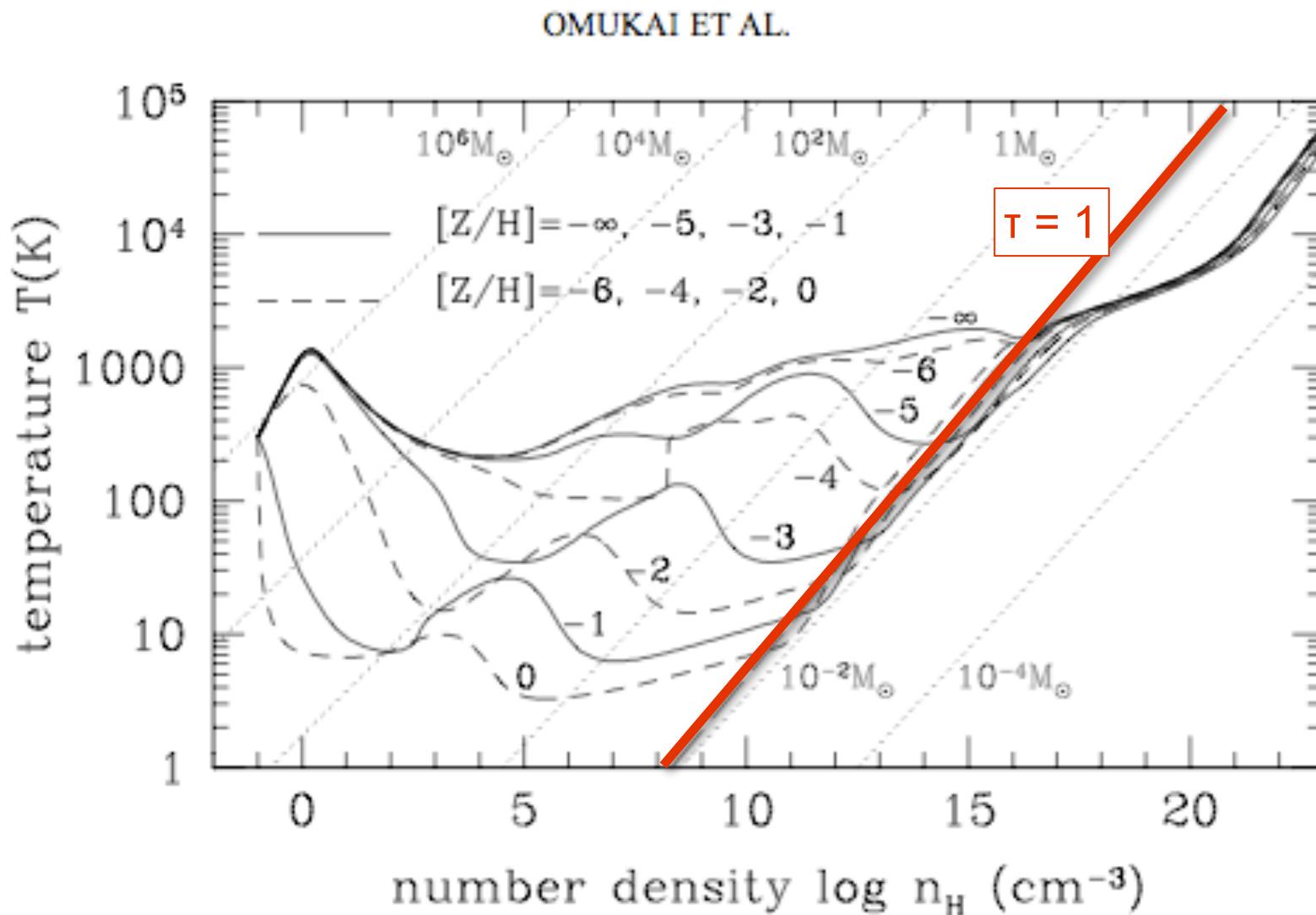
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EOS as function of metallicity



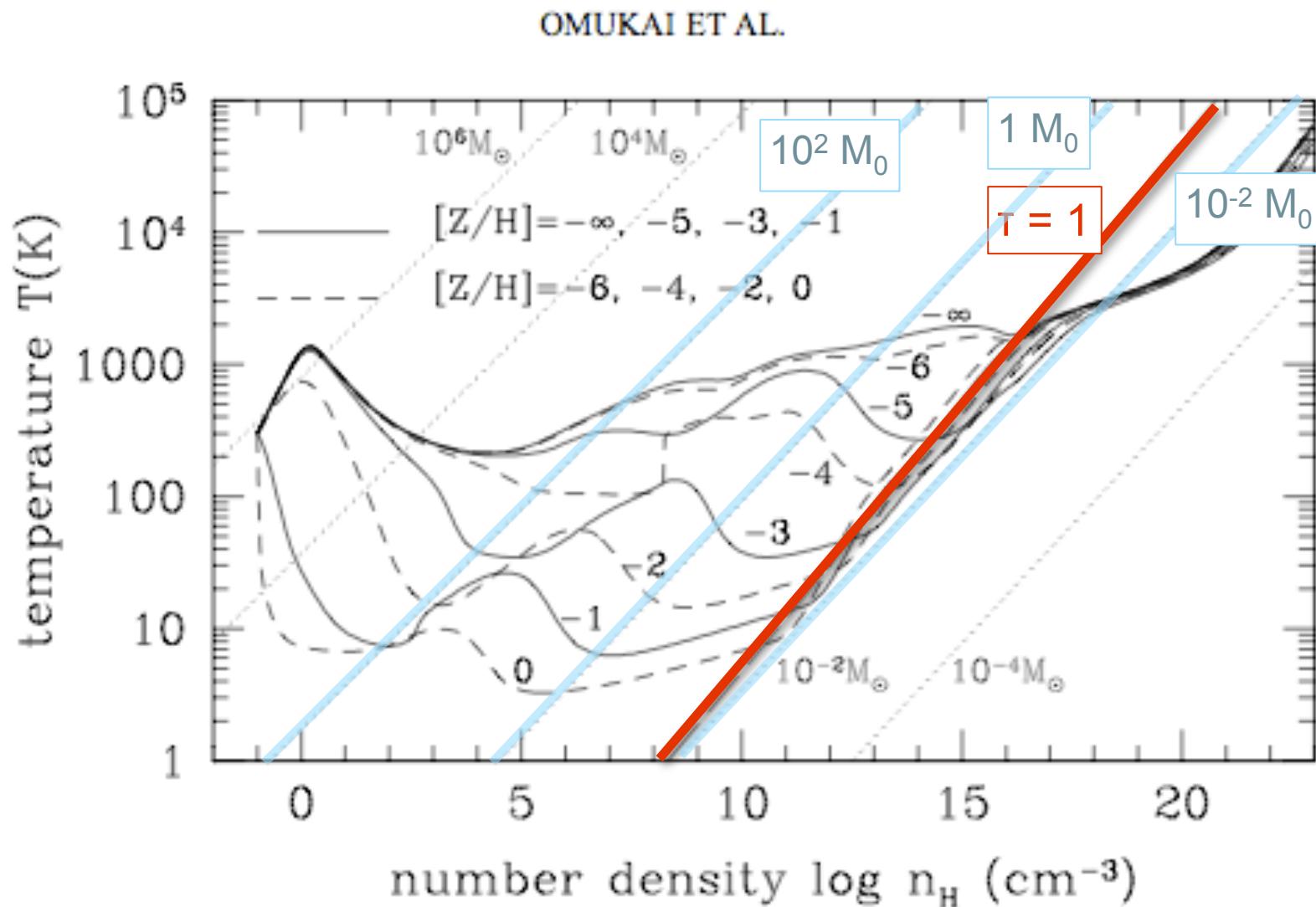
(Omukai et al. 2005)

EOS as function of metallicity



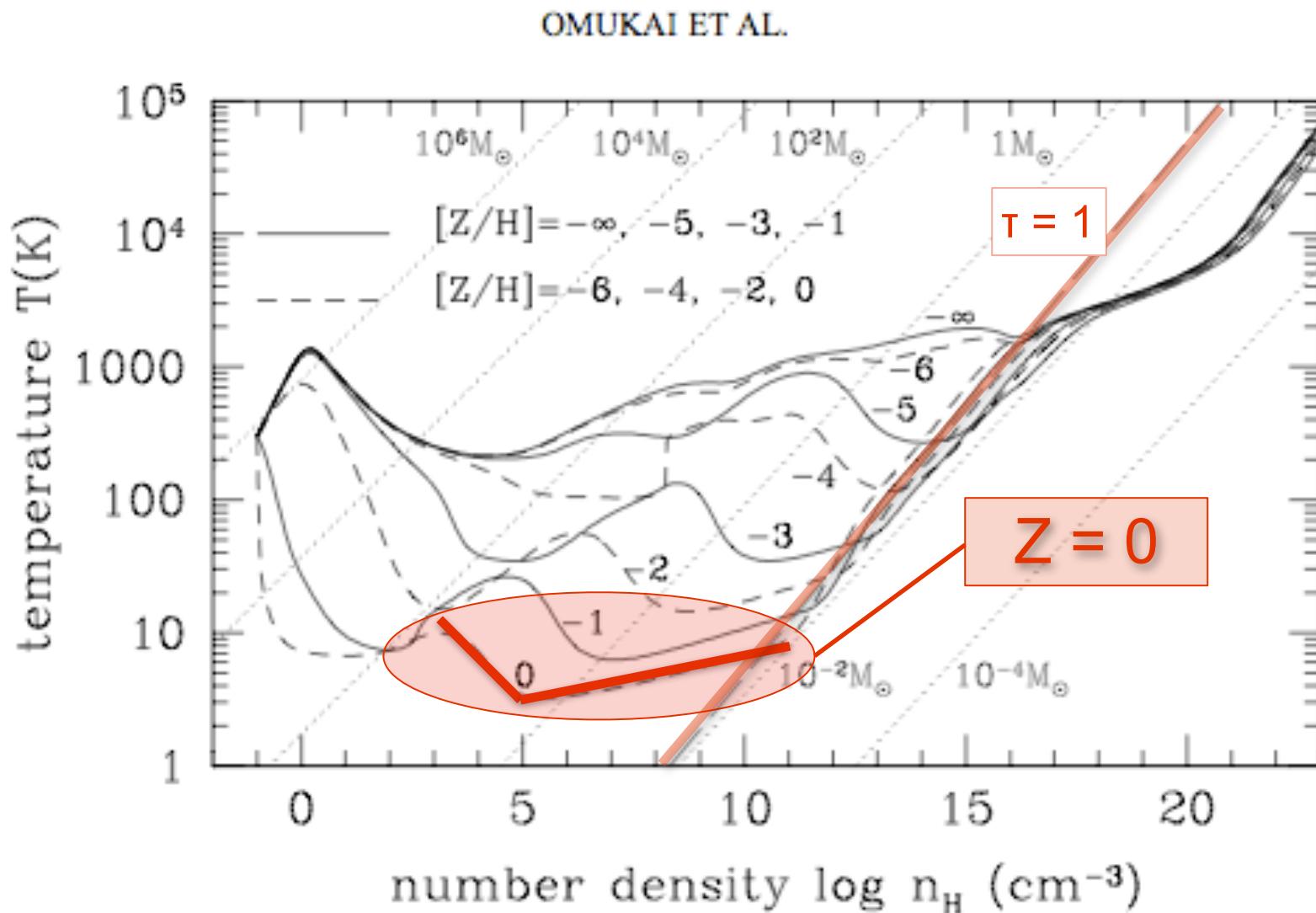
(Omukai et al. 2005)

EOS as function of metallicity



(Omukai et al. 2005)

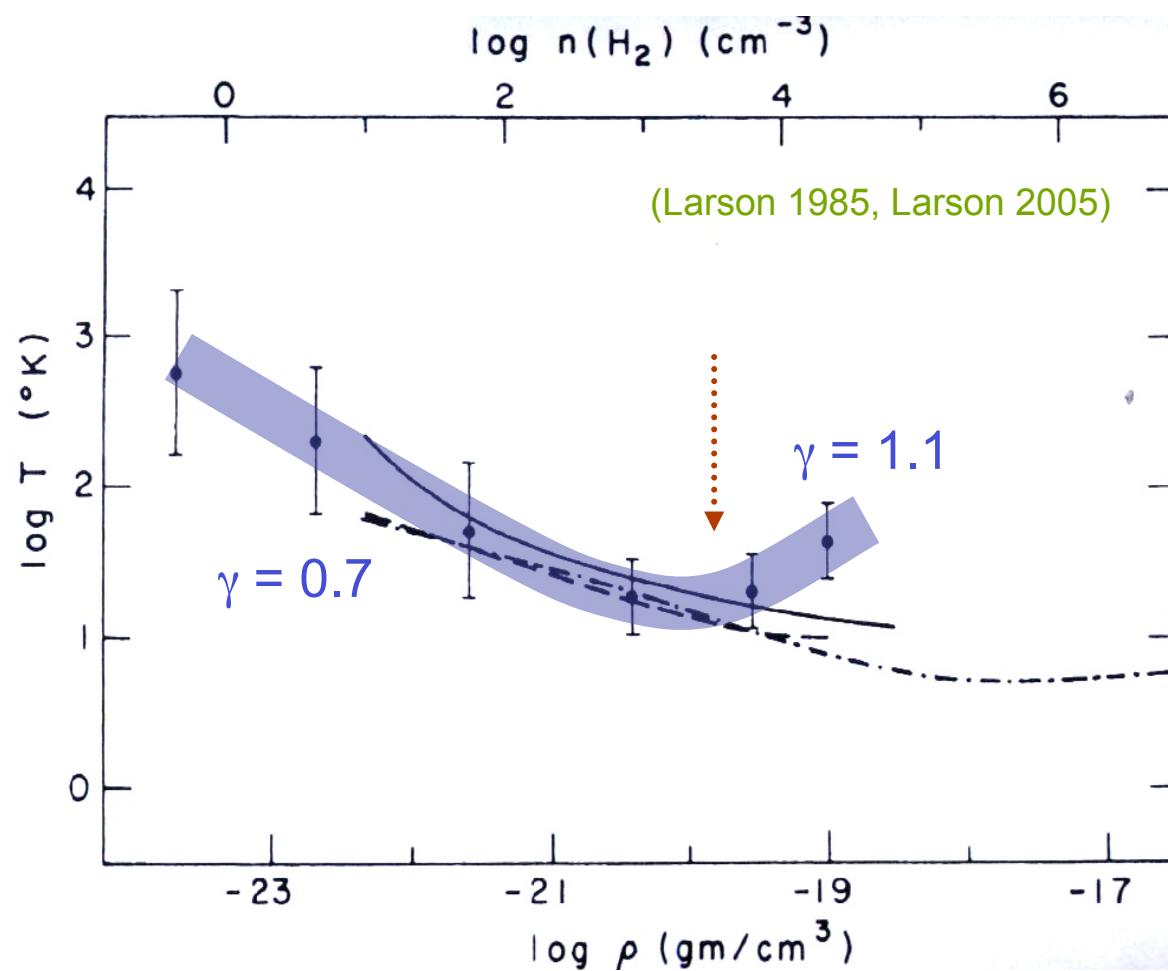
present-day star formation



(Omukai et al. 2005, Jappsen et al. 2005, Larson 2005)

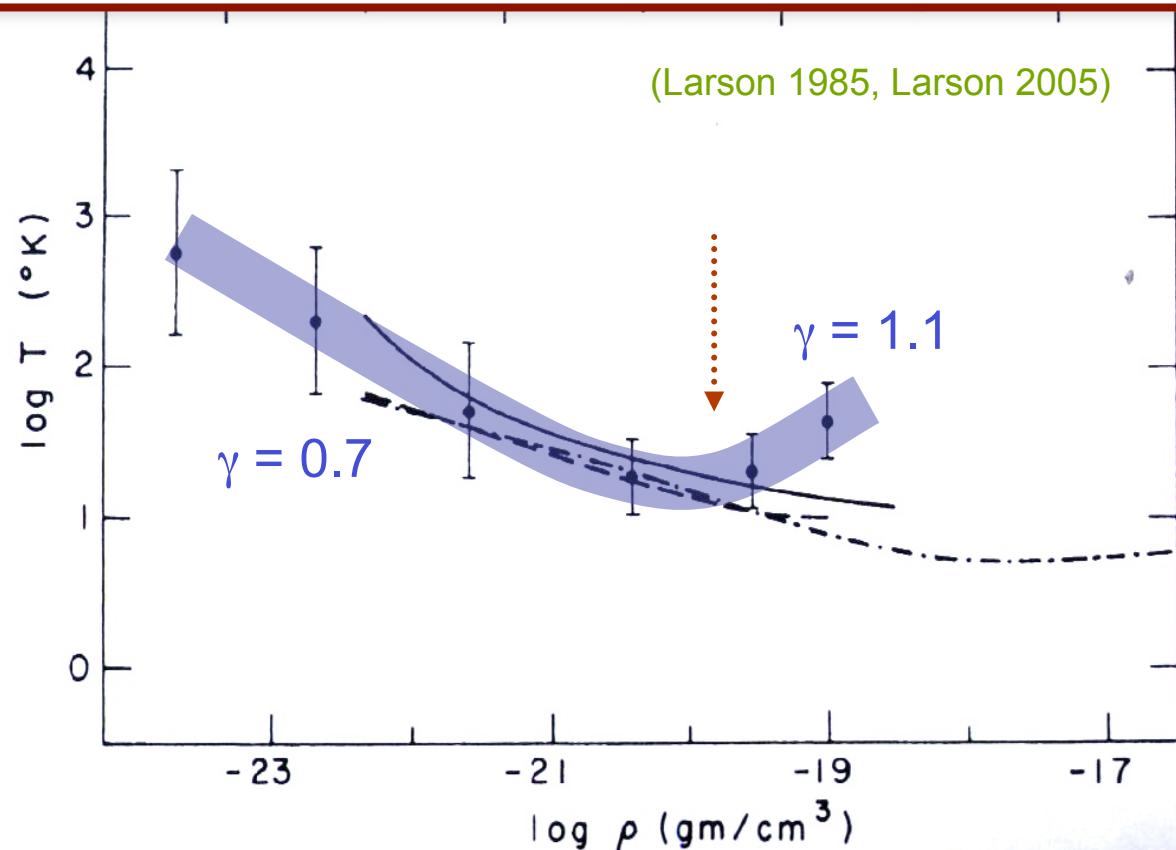


present-day star formation



present-day star formation

This kink in EOS is very insensitive to environmental conditions such as ambient radiation field
--> reason for universal for of the IMF? (Elmegreen et al. 2008)





IMF from simple piece-wise polytropic EOS

$$\gamma_1 = 0.7$$

$$\gamma_2 = 1.1$$

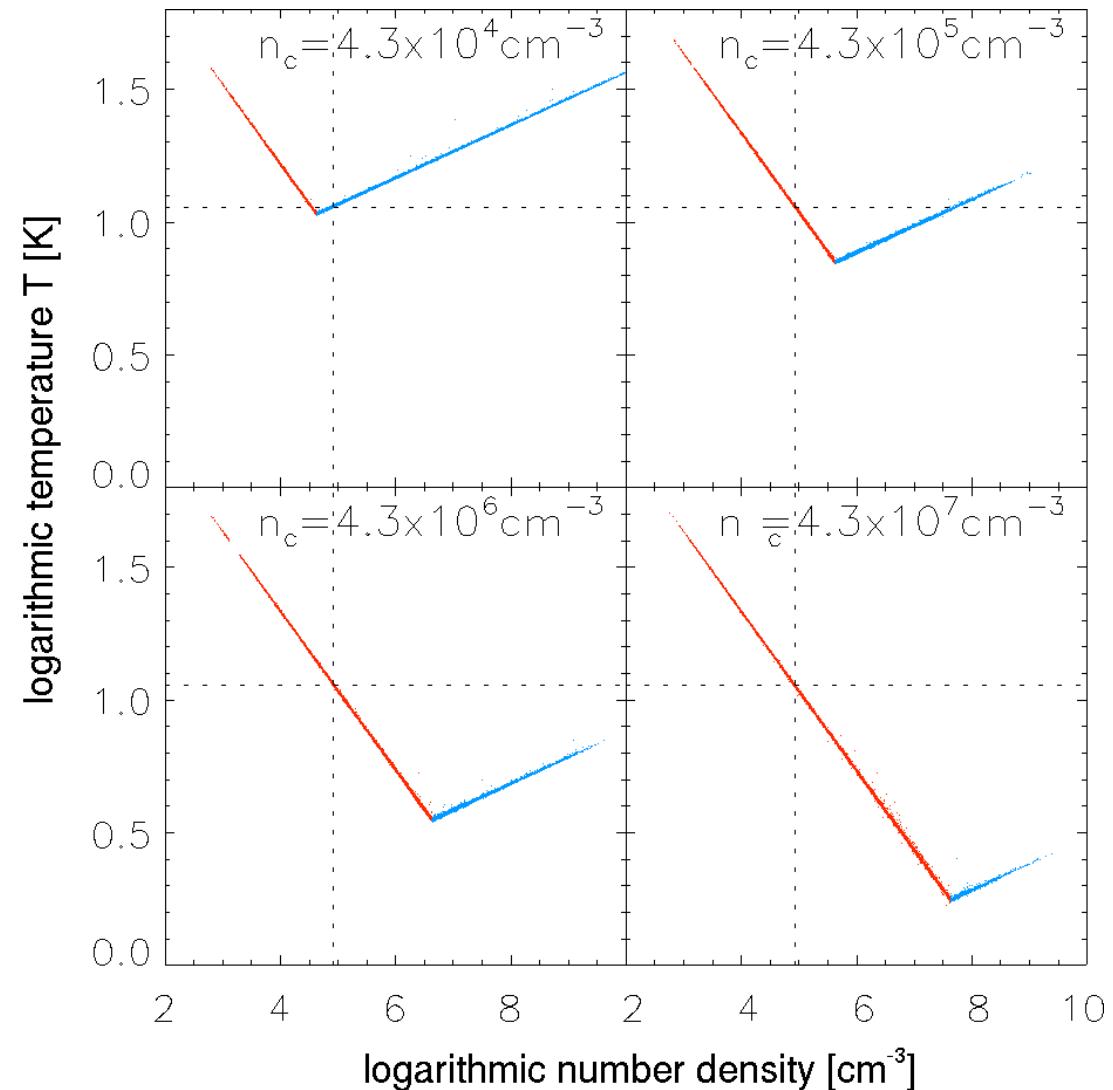
$$T \sim \rho^{\gamma-1}$$

EOS and Jeans Mass:

$$p \propto \rho^\gamma \rightarrow \rho \propto p^{1/\gamma}$$

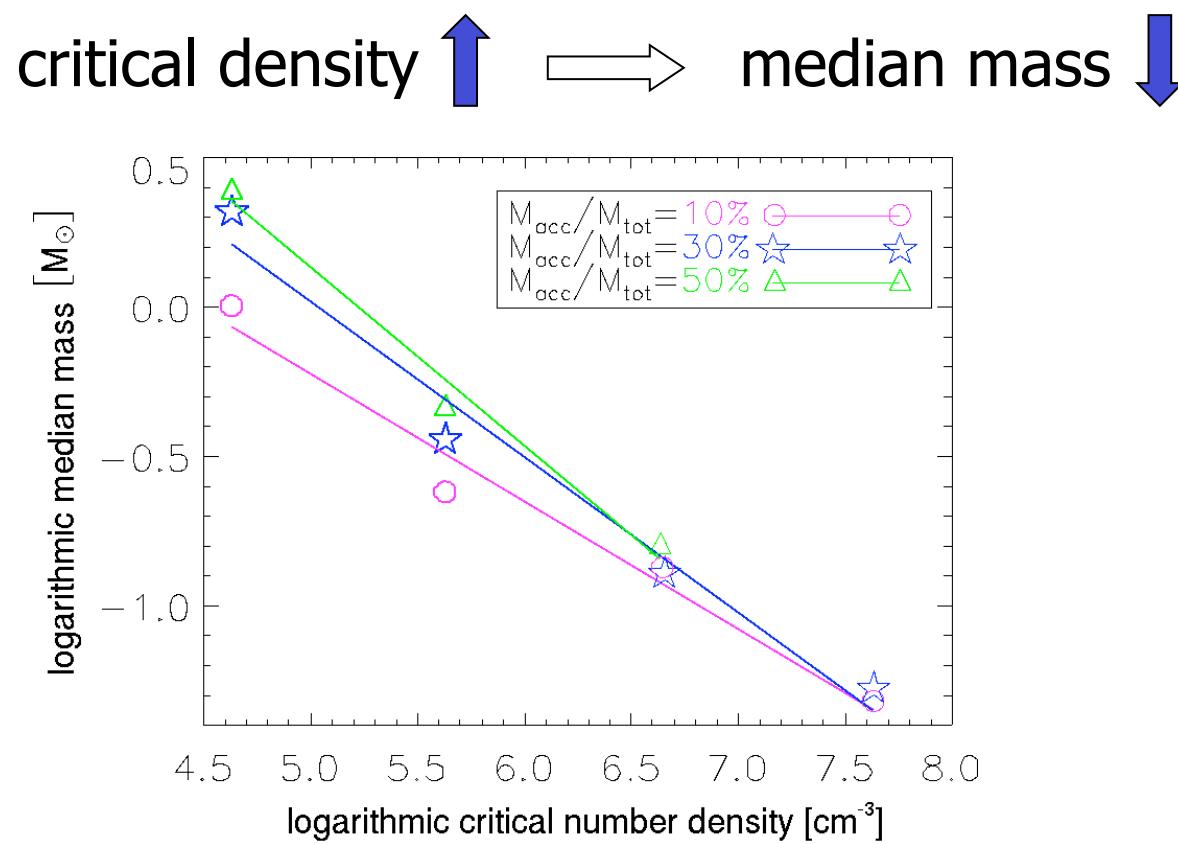
$$M_{\text{jeans}} \propto \gamma^{3/2} \rho^{(3\gamma-4)/2}$$

(Jappsen et al. 2005)

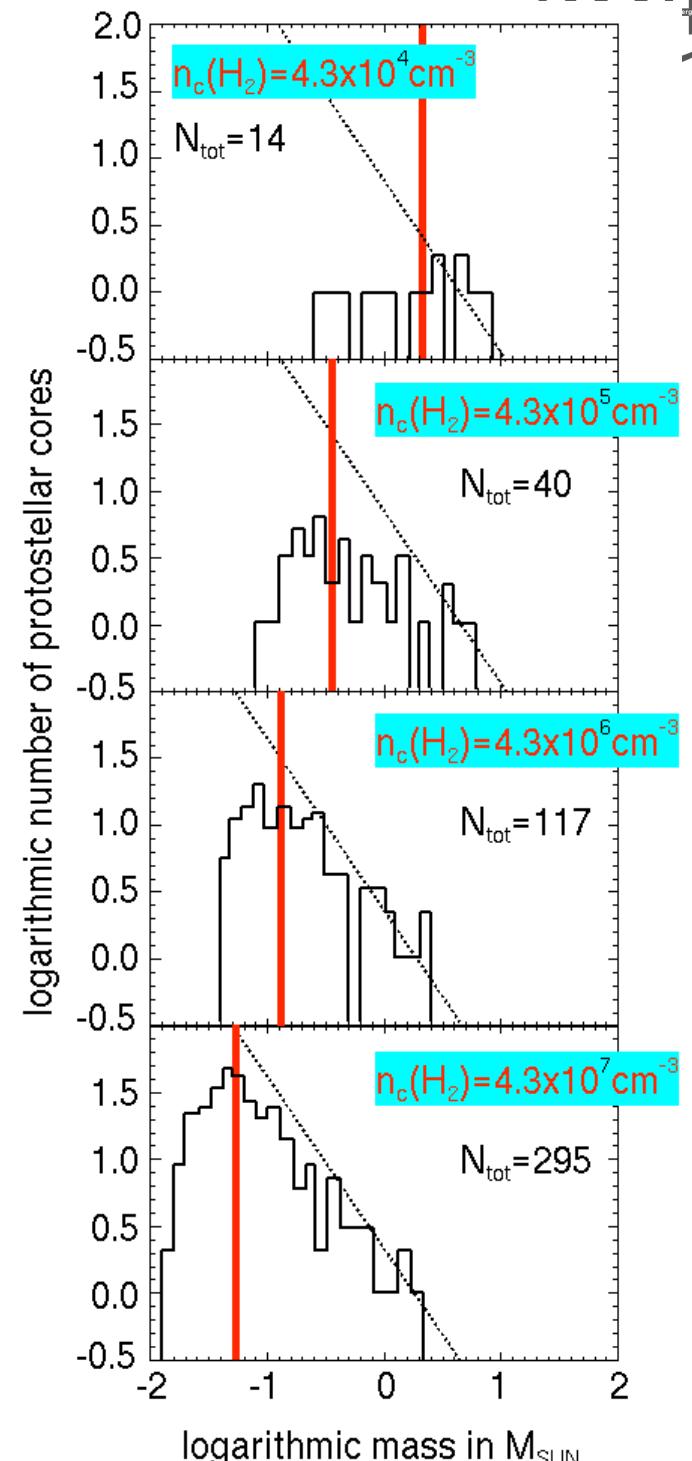




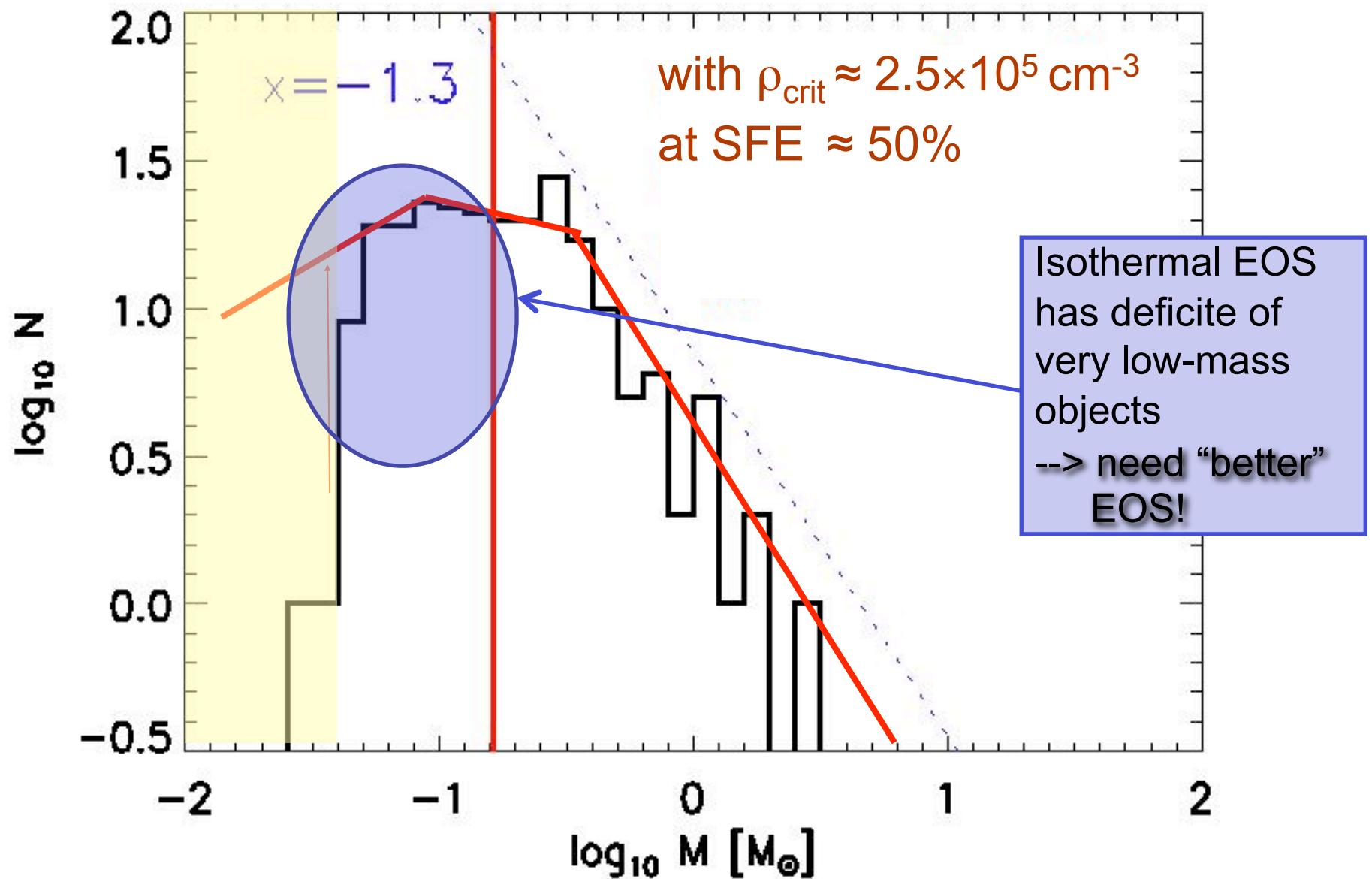
IMF from simple piece-wise EOS



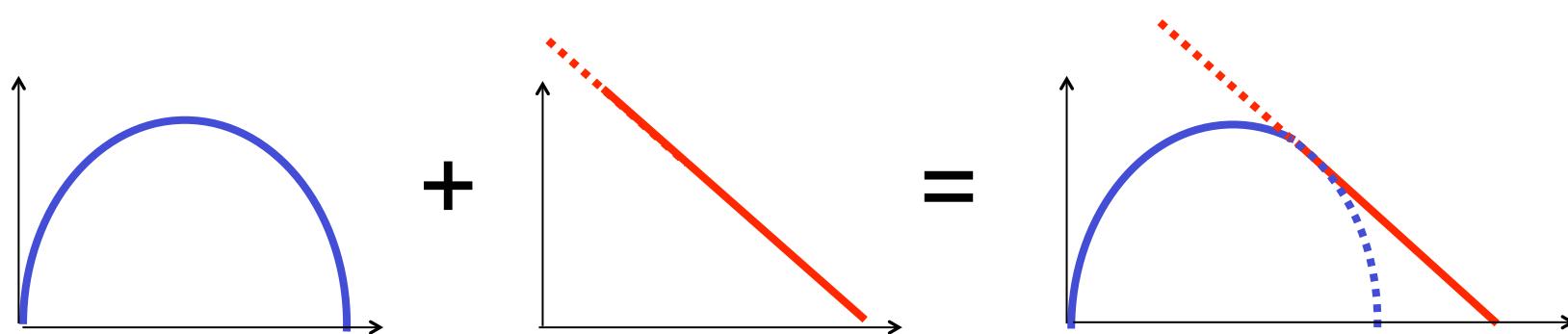
(Jappsen et al. 2005)



IMF in nearby molecular clouds

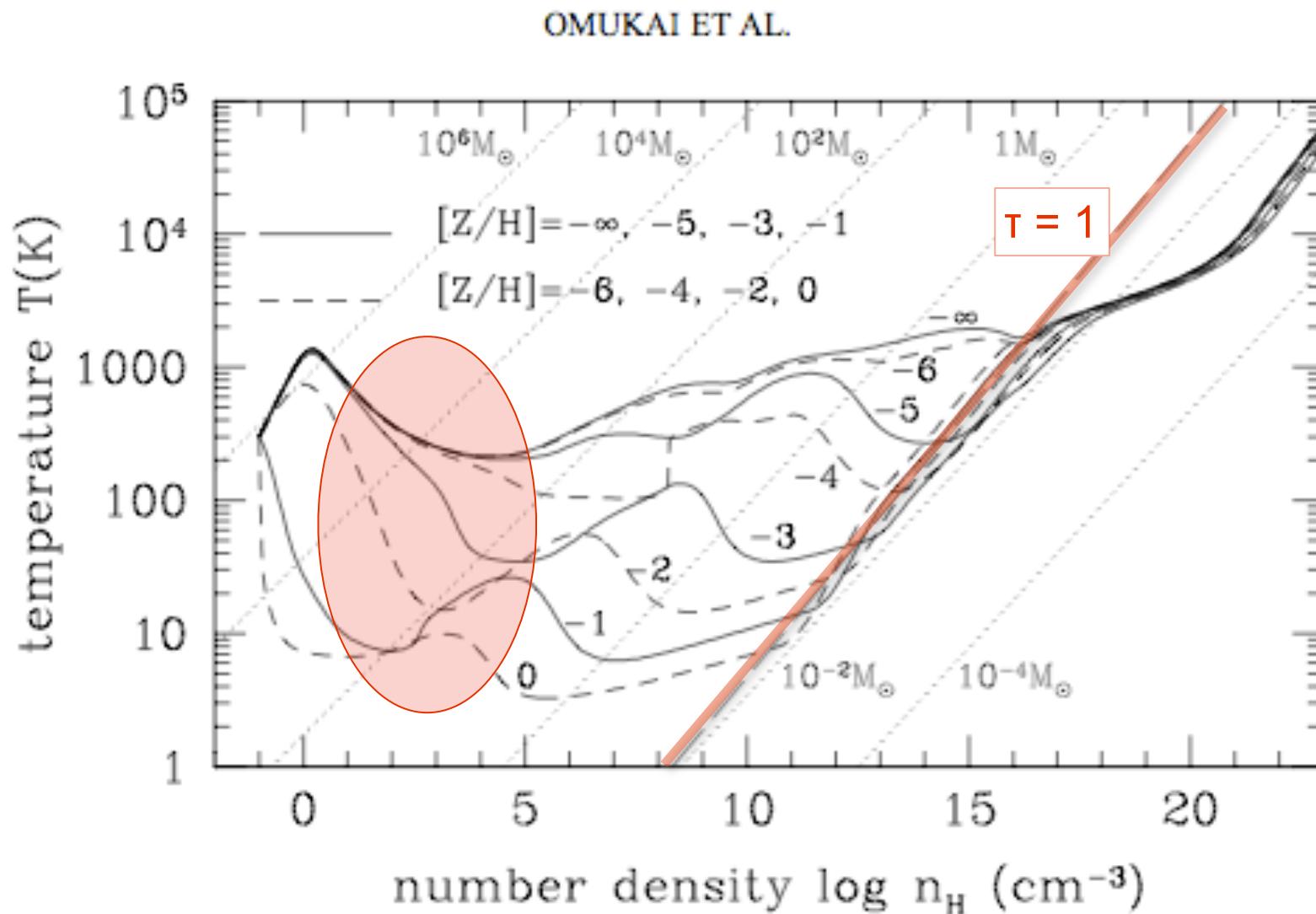


IMF shape and universality



- combine scale free process → **POWER LAW BEHAVIOR**
 - turbulence (Padoan & Nordlund 2002, Hennebelle & Chabrier 2008)
 - gravity in dense clusters (Bonnell & Bate 2006, Klessen 2001)
 - universality: dust-induced EOS kink insensitive to radiation field (Elmegreen et al. 2008)
- with highly stochastic processes → central limit theorem
→ **GAUSSIAN DISTRIBUTION**
 - basically mean thermal Jeans length (or feedback)
 - universality: insensitive to metallicity (Clark et al. 2009, submitted)

dependence on Z at low density

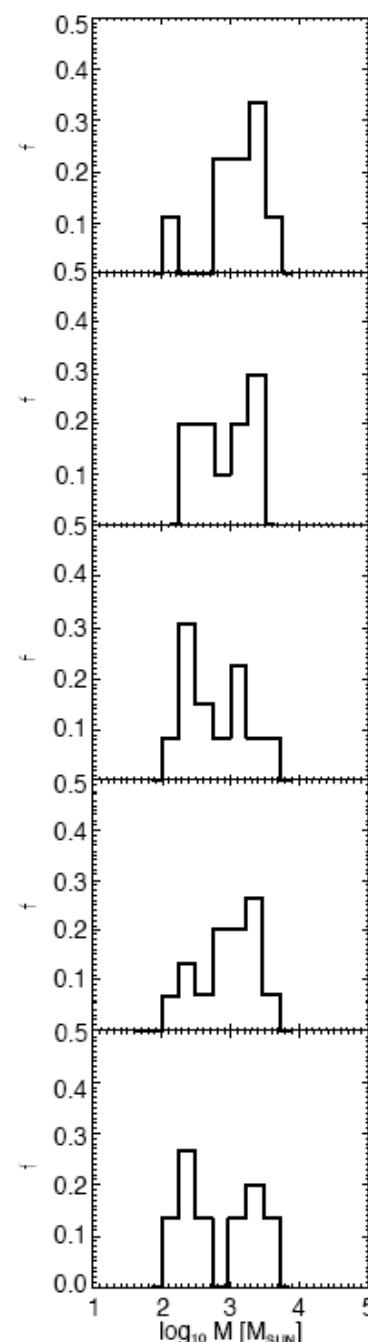
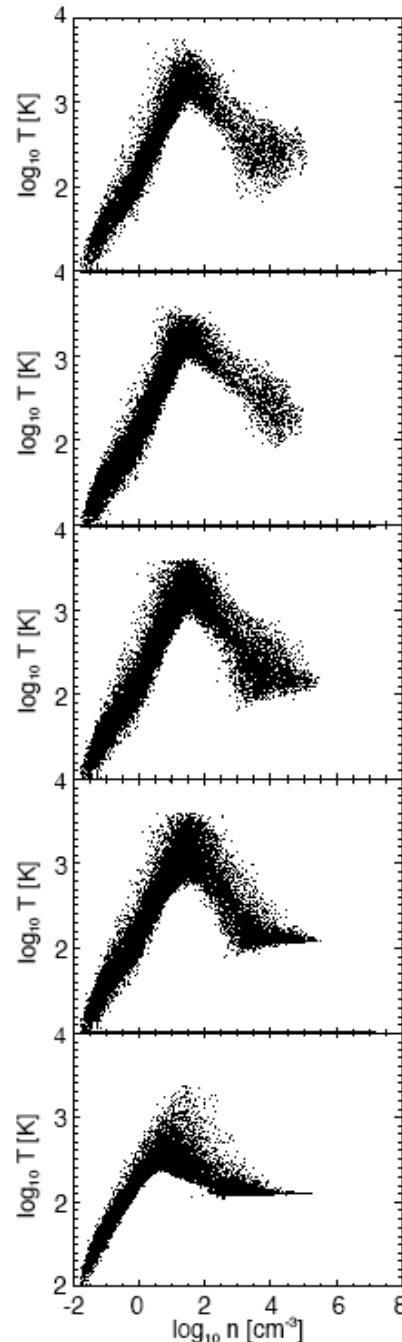




dependence on Z at low density

- at densities below $n \approx 10^2 \text{ cm}^{-3}$ H_2 cooling dominates the behavior. (Jappsen et al. 2007)
- fragmentation depends on *initial conditions then*
 - example: *solid-body rotating top-hat* initial conditions with dark matter fluctuations (a la Bromm et al. 1999) fragment no matter what metallicity you take (in regime $n \leq 10^6 \text{ cm}^{-3}$)
→ because *unstable disk* builds up
(Jappsen et al. 2008a)

dependence on Z at low density



$Z = 0$

rotating top-hat
with dark matter
fluctuations
fragments, no
matter what

$Z = -4$

$Z = -3$

$Z = -2$

$Z = -1$

(Jappsen et al. 2008a,
see also Clark et al. 2008)



dependence on Z at low density

- fragmentation depends on *initial conditions then*
 - example: *centrally concentrated halo* does *not* fragment up to densities of $n \approx 10^6 \text{ cm}^{-3}$ up to metallicities $Z \approx -1$
(Jappsen et al. 2008b)

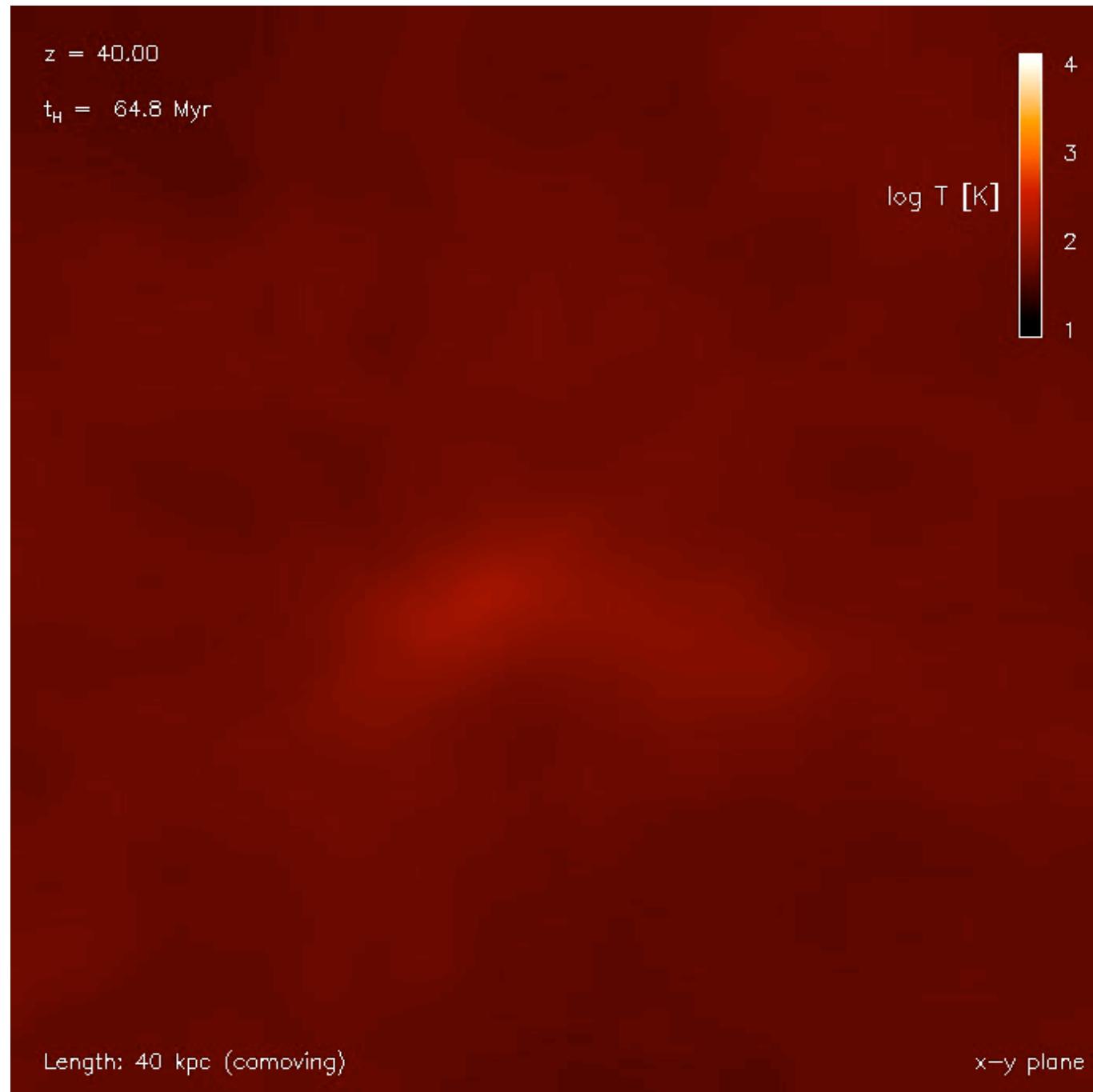


implications for Pop III

- star formation will depend on *degree of turbulence* in protogalactic halo
- speculation: *differences in stellar mass function?*
- speculation:
 - low-mass halos → low level of turbulence
→ relatively massive stars
 - high-mass halos (atomic cooling halos) → high degree of turbulence → wider mass spectrum with peak at lower-masses?



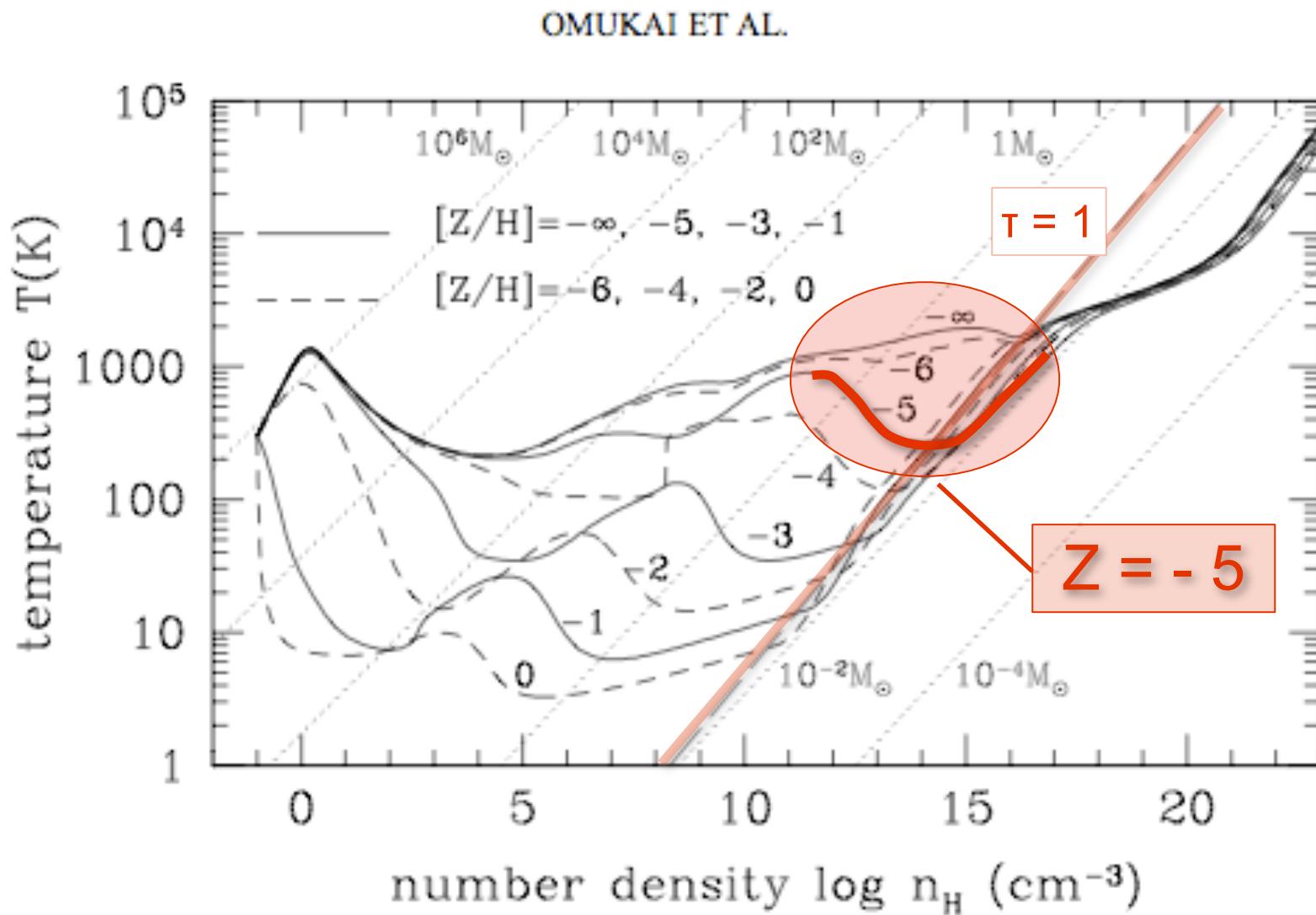
turbulence developing in an atomic cooling halo



(Greif et al. 2008)



transition: Pop III to Pop II.5

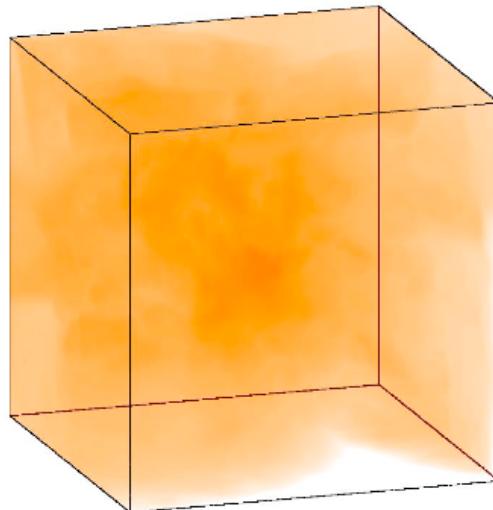


(Omukai et al. 2005)

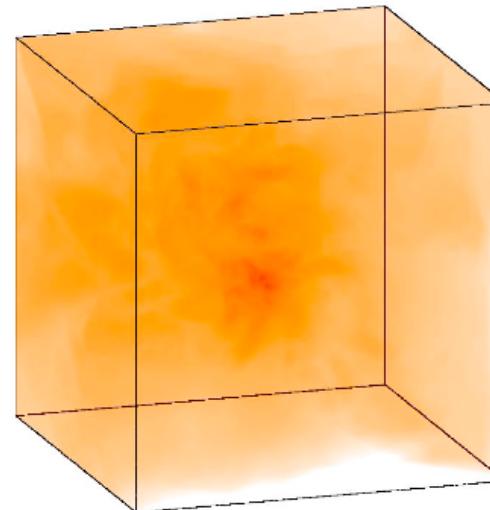


dust induced fragmentation at $Z=10^{-5}$

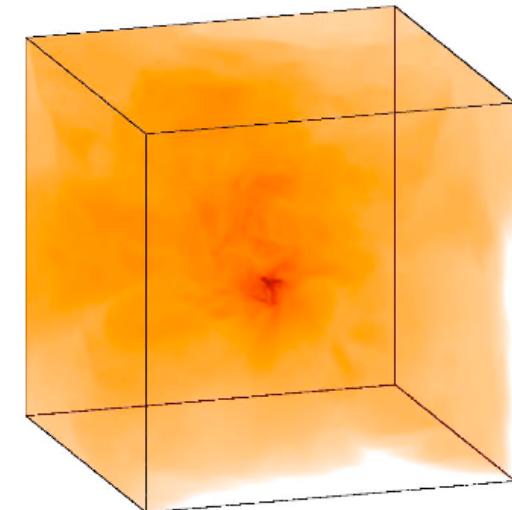
$t = t_{SF} - 67 \text{ yr}$



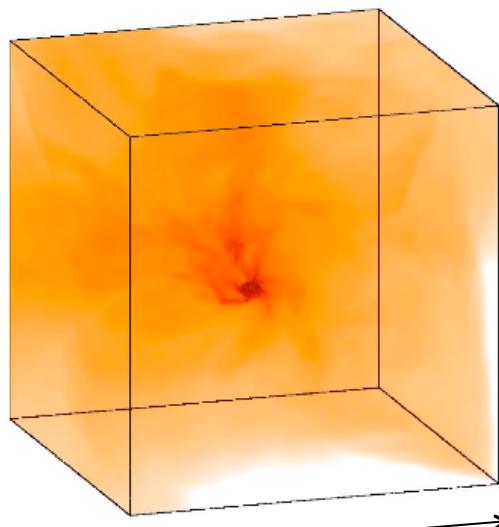
$t = t_{SF} - 20 \text{ yr}$



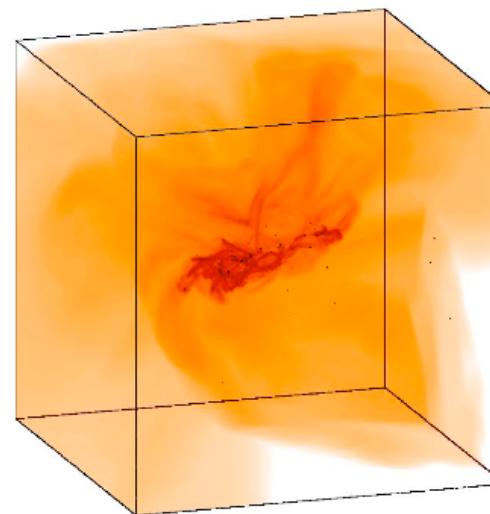
$t = t_{SF}$



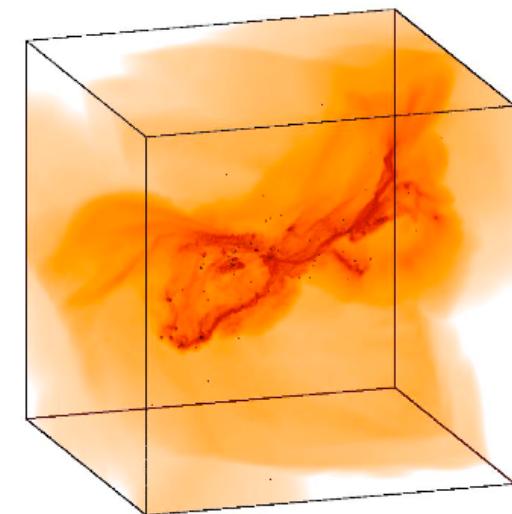
$t = t_{SF} + 53 \text{ yr}$



$t = t_{SF} + 233 \text{ yr}$



$t = t_{SF} + 420 \text{ yr}$

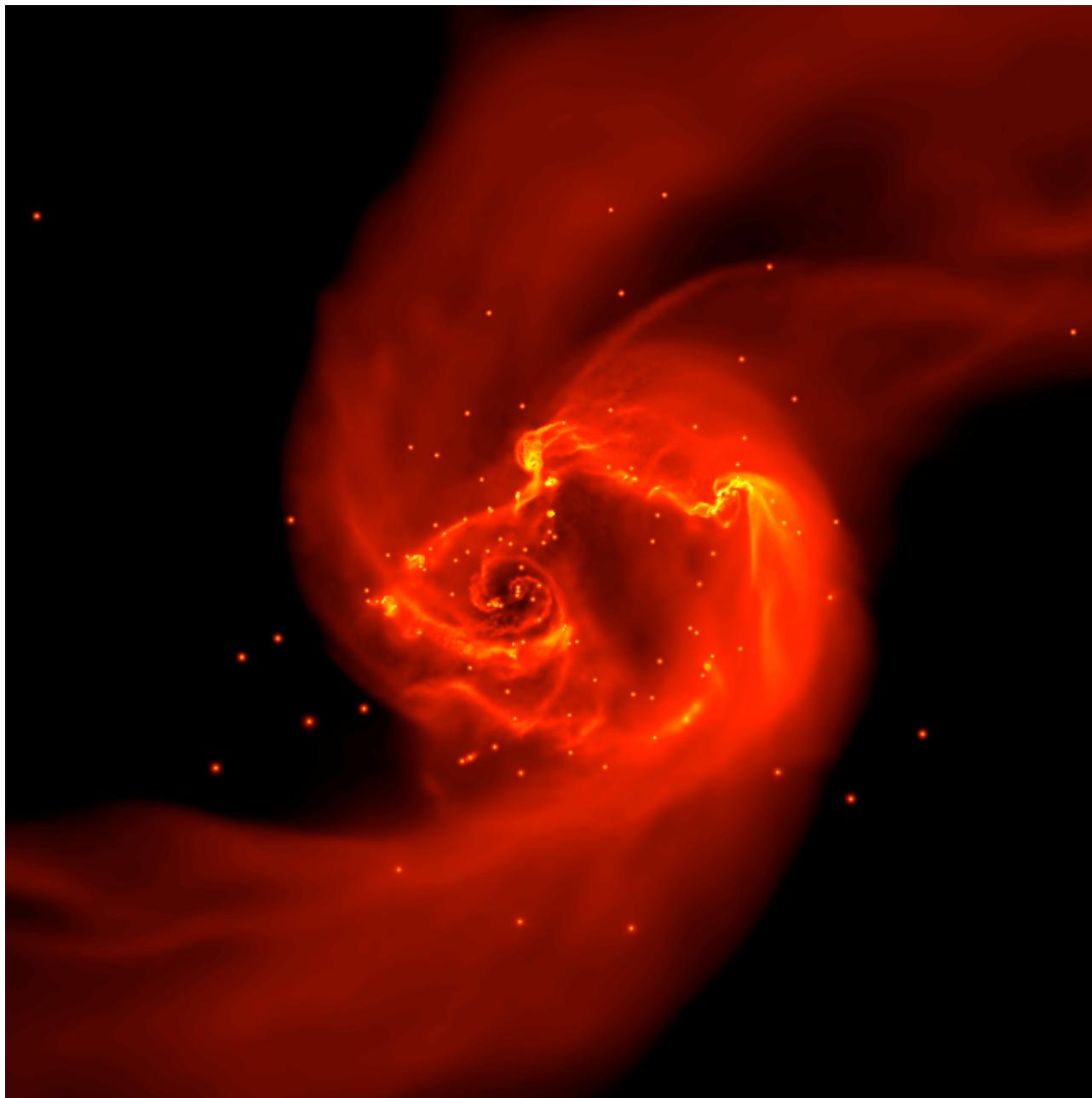


← 400 AU →

(Clark et al. 2007)

Ralf Klessen: Paris 03.04.2009

dust induced fragmentation at $Z=10^{-5}$

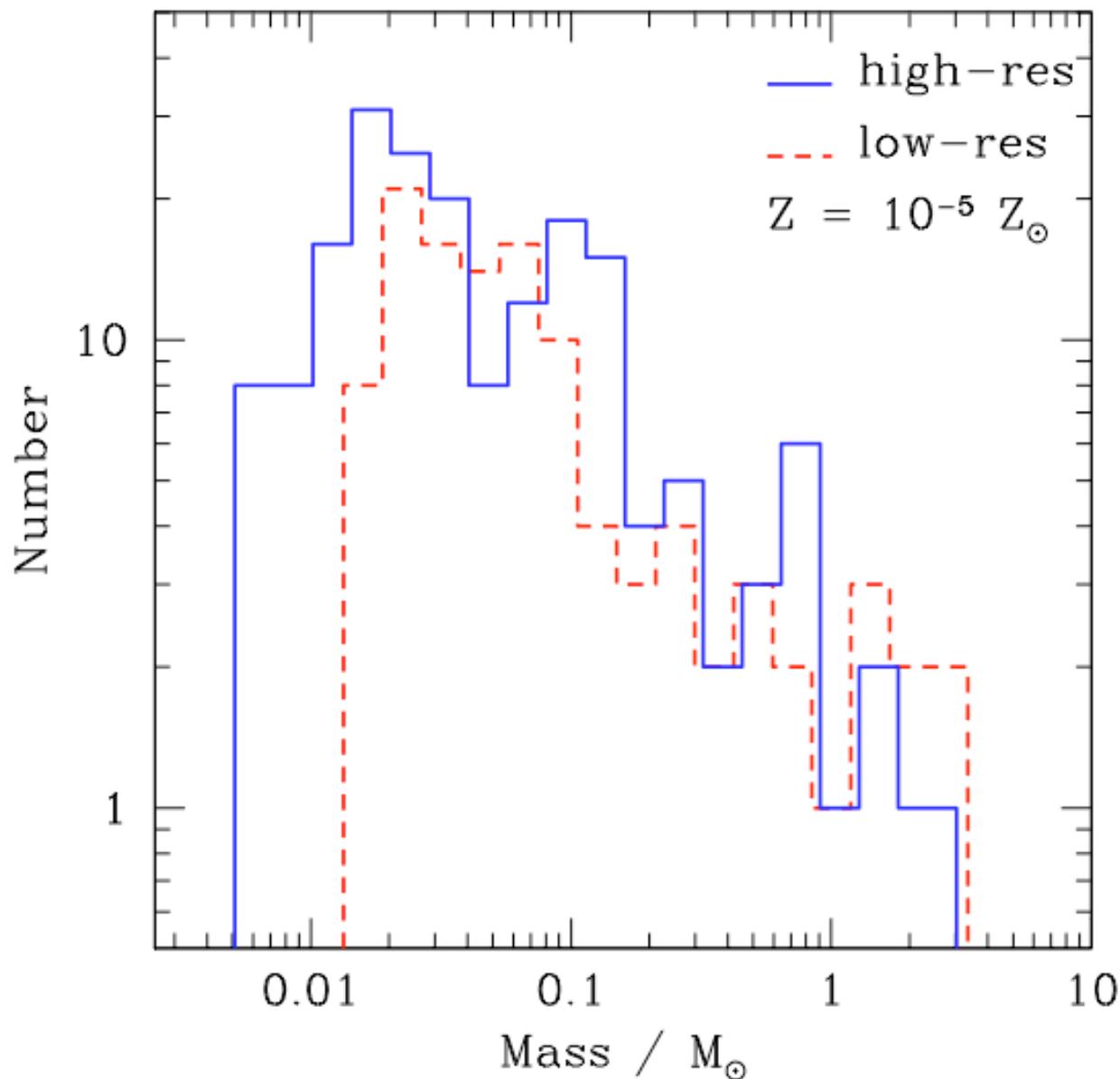


dense cluster of low-mass protostars builds up:

- mass spectrum peaks *below* $1 M_{\text{sun}}$
- cluster VERY dense $n_{\text{stars}} = 2.5 \times 10^9 \text{ pc}^{-3}$
- fragmentation at density $n_{\text{gas}} = 10^{12} - 10^{13} \text{ cm}^{-3}$

(Clark et al. 2008, ApJ 672, 757)

dust induced fragmentation at $Z=10^{-5}$



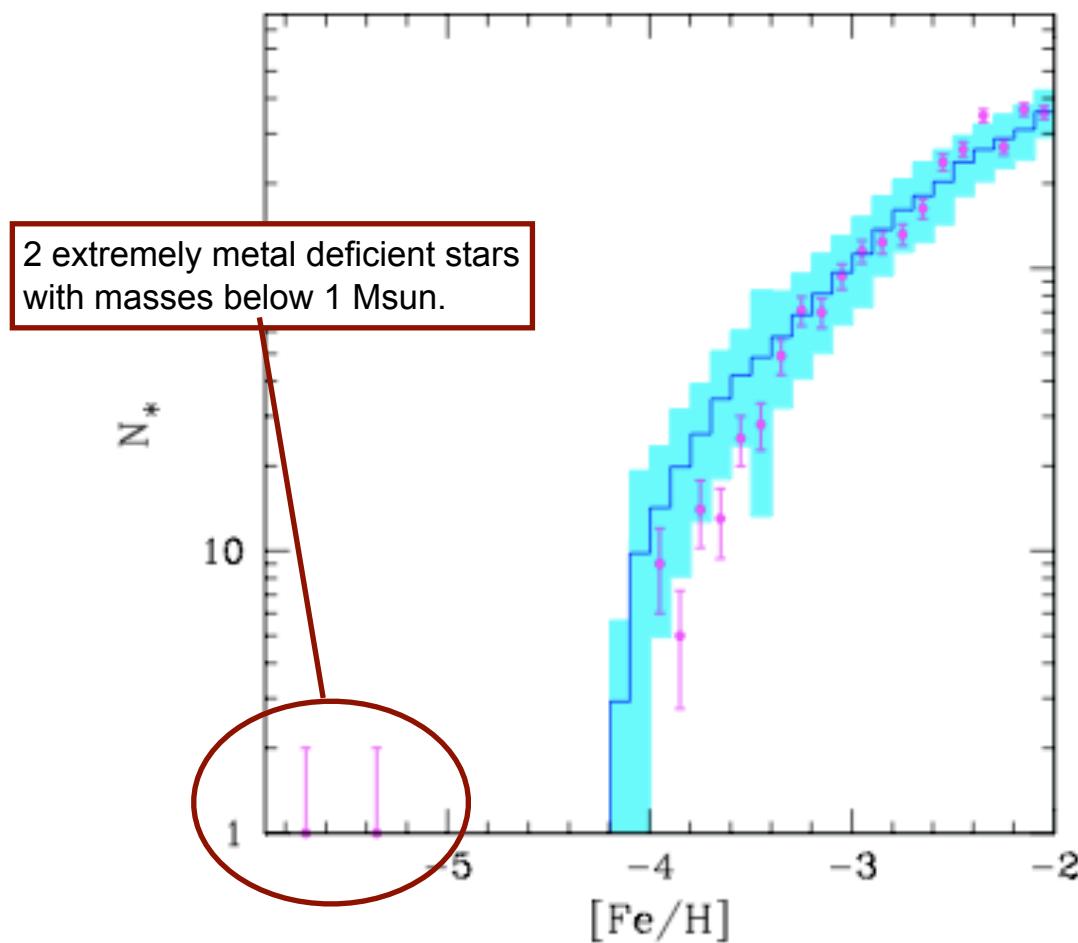
dense cluster of low-mass protostars builds up:

- mass spectrum peaks below $1 M_{\text{sun}}$
- cluster VERY dense $n_{\text{stars}} = 2.5 \times 10^9 \text{ pc}^{-3}$

- *predictions:*
- * low-mass stars with $[\text{Fe}/\text{H}] \sim 10^{-5}$
 - * high binary fraction

(Clark et al. 2008)

dust induced fragmentation at $Z=10^{-5}$



(plot from Salvadori et al. 2006, data from Frebel et al. 2005)

dense cluster of low-mass protostars builds up:

- mass spectrum peaks below $1 M_{\text{sun}}$
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(Clark et al. 2008)



summary



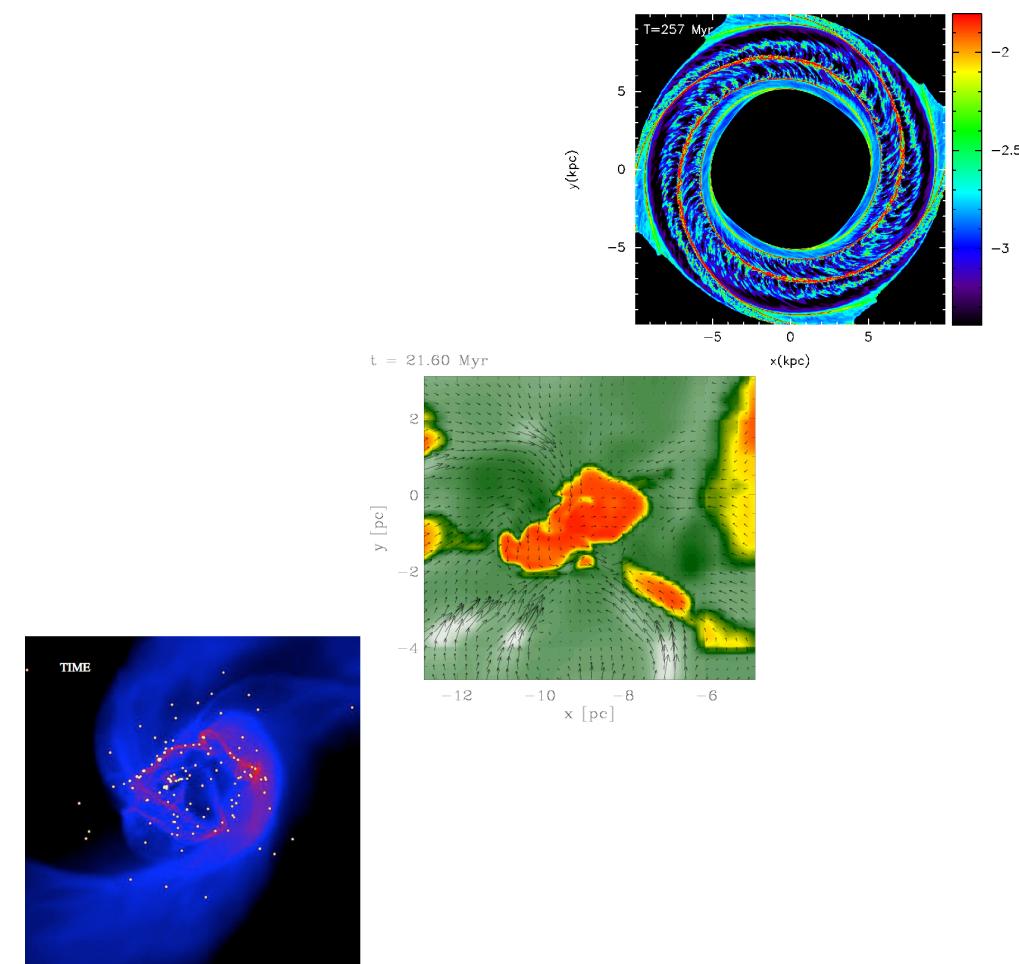
conclusions

- chemistry and thermodynamics are important:
 - for molecular cloud formation
 - for statistical properties of the ISM (turbulence, density distribution, pressure distribution, etc)
 - for star formation
 - and therefore for the Schmidt law.



conclusions

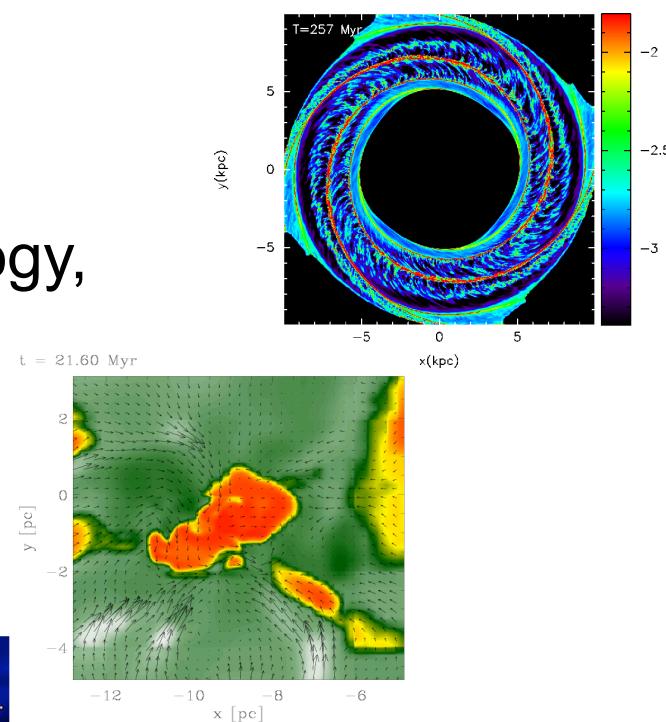
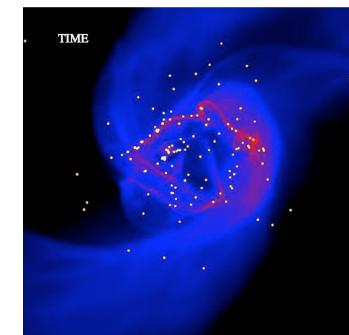
- chemistry and thermodynamics are important:
 - “YES WE CAN!!”





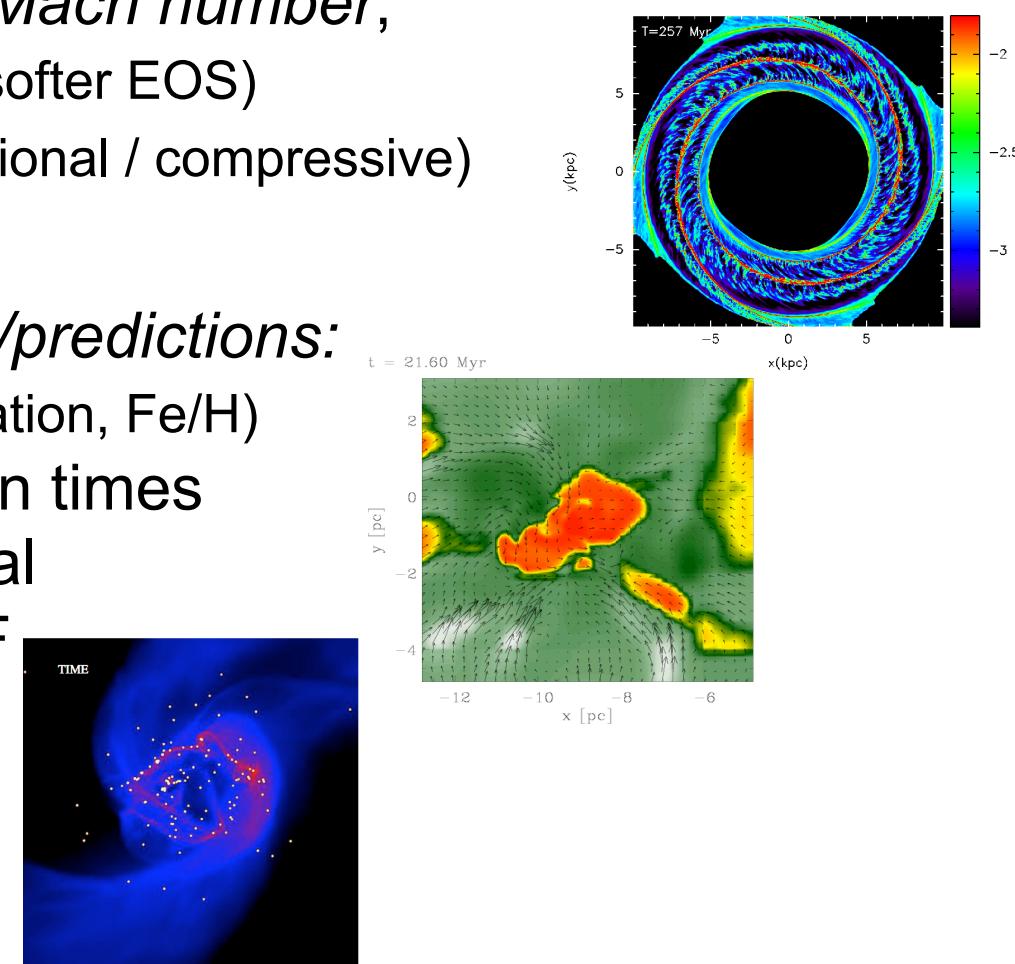
conclusions

- chemistry and thermodynamics are important:
 - YES WE CAN!!
 - *postdictions*:
 - global Schmidt law (from gravity)
 - molecular cloud properties (morphology, kinematics, etc.)
 - IMF (at least roughly)



conclusions

- chemistry and thermodynamics are important:
 - density pdf influenced by *Mach number*, but also by *EOS* (wider for softer EOS) and *modes of driving* (rotational / compressive)
--> **SFR, IMF**
 - *observational implications/predictions*:
 - variations of x-factor (location, Fe/H)
 - molecular cloud formation times
 - density pdf *not* log-normal
 - (local) universality of IMF
 - ultra-low metallicity stars with masses below M_{\odot} and high binarity





Thanks!