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Joint cluster reconstructions on GPUs

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& Matthias Bartelmann (ITA)



CLASH / Granada



Cluster mass reconstruction zoology

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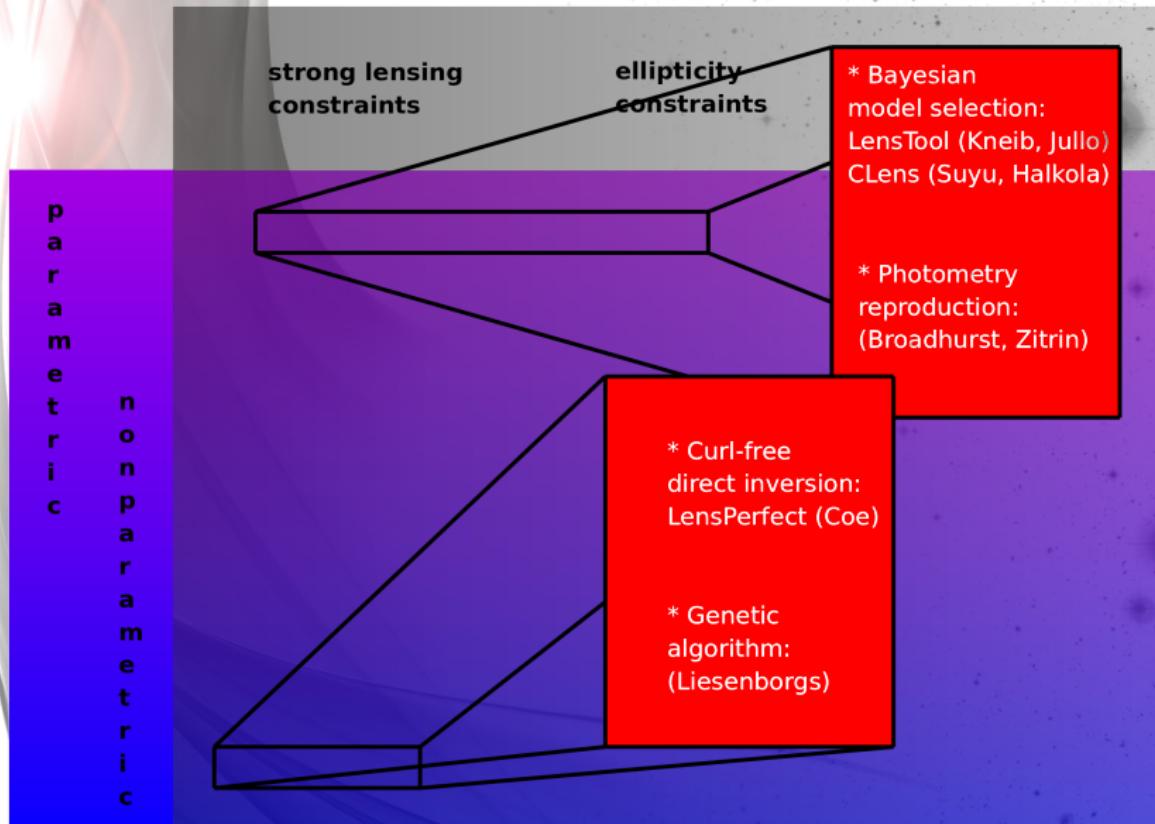
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**strong lensing
constraints**

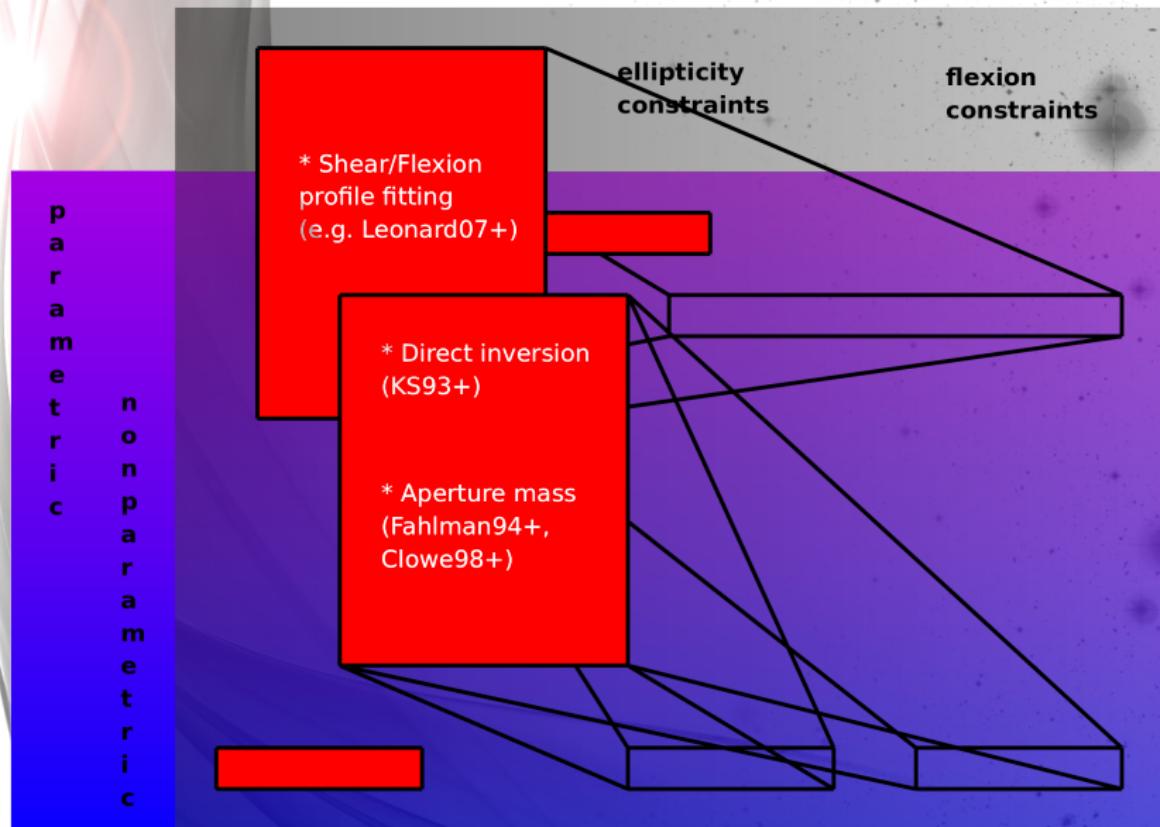
**ellipticity
constraints**

**flexion
constraints**

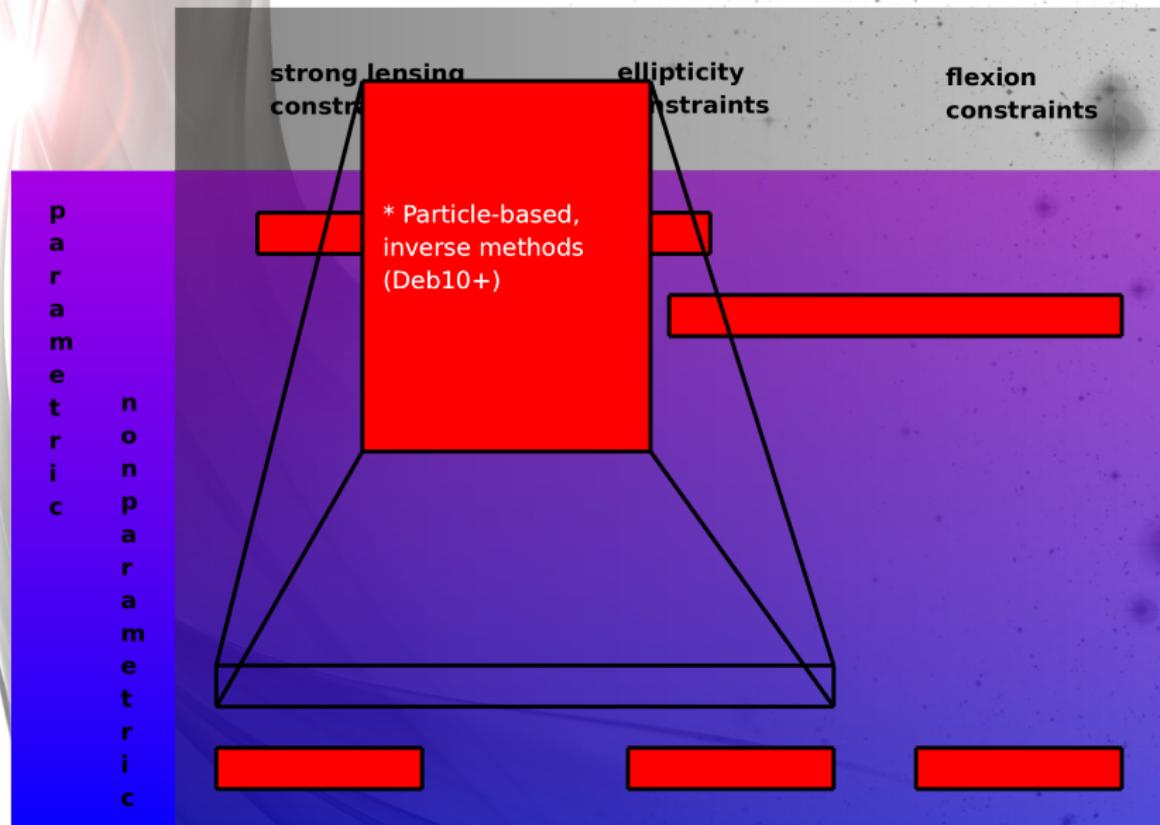
Cluster mass reconstruction zoology



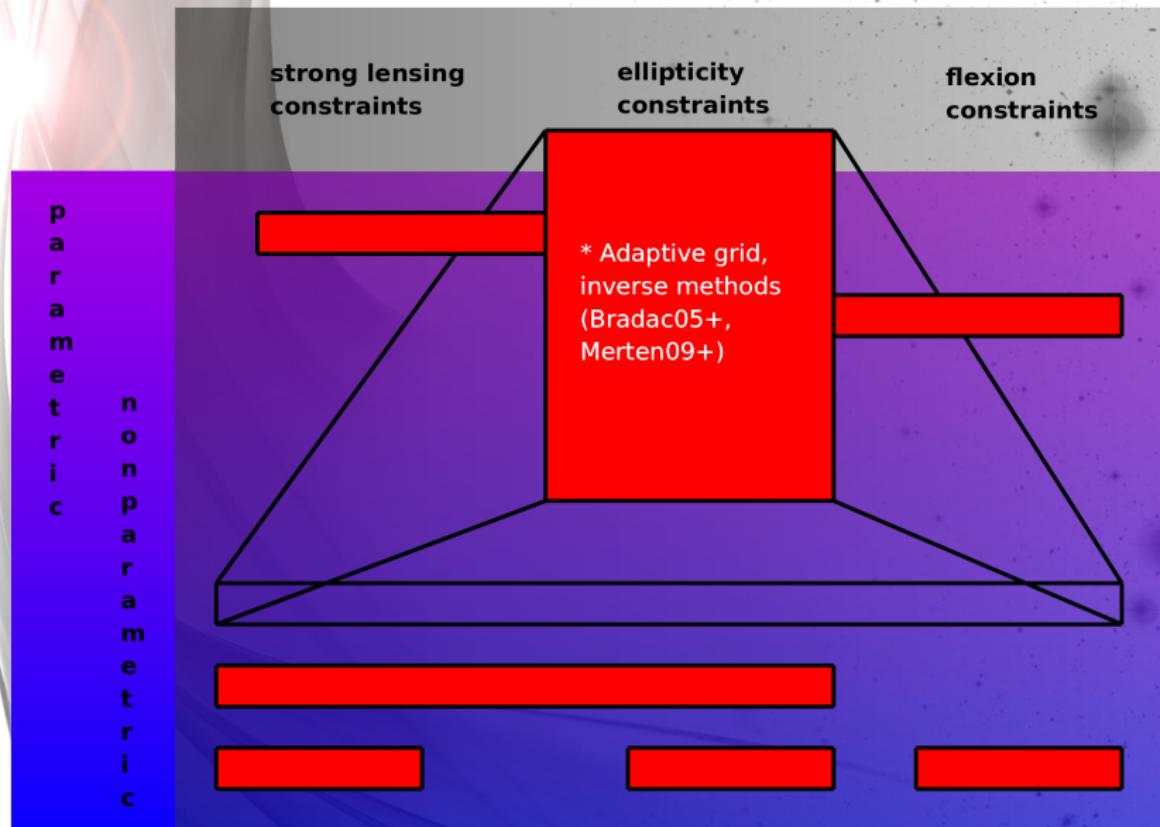
Cluster mass reconstruction zoology



Cluster mass reconstruction zoology



Cluster mass reconstruction zoology



Cluster mass reconstruction zoology



The basic idea of an “inverse” method (Bartelmann96)

Cluster lensing in a box

$$\beta = \theta - \alpha(\theta)$$

$$\partial = \partial_1 + i\partial_2$$

$$\psi$$

$$2\gamma = \partial\partial\psi$$

$$2F = \partial^*\partial\psi$$

$$\partial^* = \partial_1 - i\partial_2$$

$$\alpha = \partial\psi$$

$$2\kappa = \partial^*\partial\psi$$

$$2G = \partial\partial\partial\psi$$

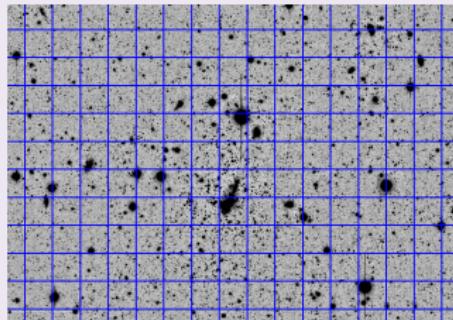
Statistical approach

$$\chi^2(\psi) = \chi_1^2 + \chi_2^2 + \chi_3^2 + \dots$$

Possible constraints:

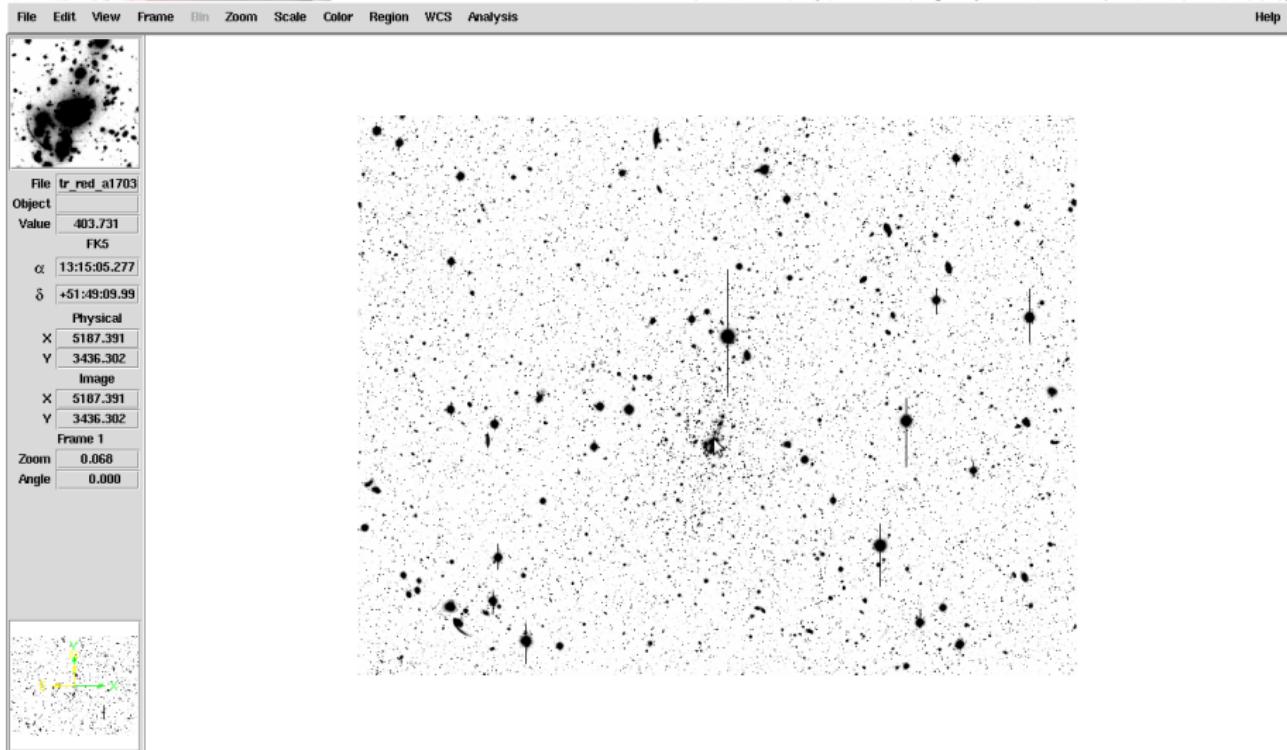
- Ellipticities of background sources
- Flexion (JM10 in prep.)
- Multiple image systems (Bradač05+)
- Critical curve estimates (JM09+)

The trick



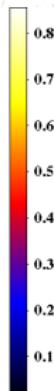
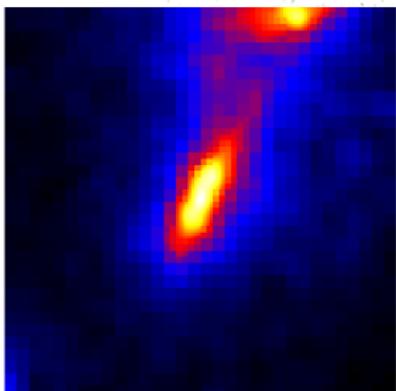
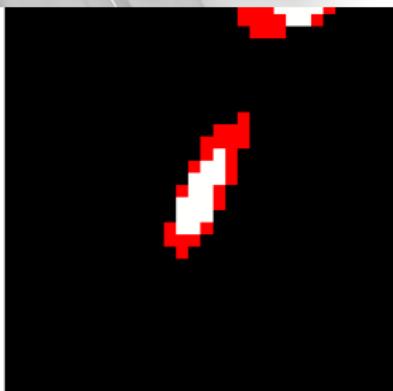
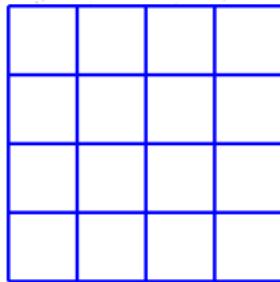
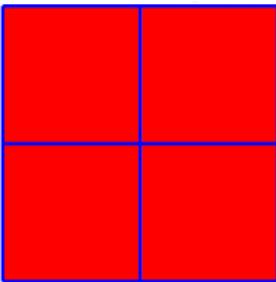
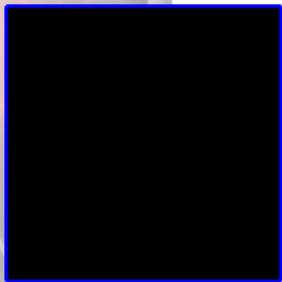
$$\frac{\partial \chi^2(\psi_k)}{\partial \psi_1} \stackrel{!}{=} 0$$
$$\Rightarrow \mathcal{B}_{lk}\psi_k = \mathcal{V}_l$$

A problem of different scales (JM10, Bradač09)



(Abell 1703 in SUBARU r-band)

A problem of different scales (JM10, Bradač09)



To go or not to go nonparametric

PROs

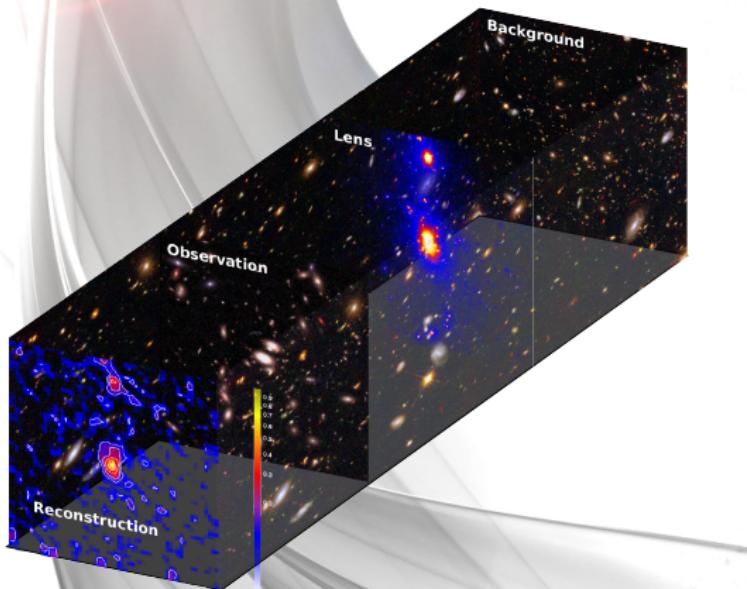
- Easily extendible
 - ▶ Lensing constraints (e.g. magnification)
 - ▶ Other observables (e.g. kinematics, X-ray)
 - ▶ More exotic (Parity, spin-properties of the output field)
- No model assumptions
 - ▶ No wrong choices (esp. baryonic component)
 - ▶ By construction: sensitive to substructure
 - ▶ Accurate characterisation of lens properties

CONS

- Need for rather complex algorithms
 - ▶ “Numerical” stability
 - ▶ Problem of overfitting
 - ▶ Runtime
- Error estimation
 - ▶ No analytical approach found yet
 - ▶ MCMC clearly out of range (, so far)
 - ▶ Resampling via bootstrapping
⇒ Runtime

Realistic lensing simulations: *SkyLens* (Meneghetti, JM 08/10)

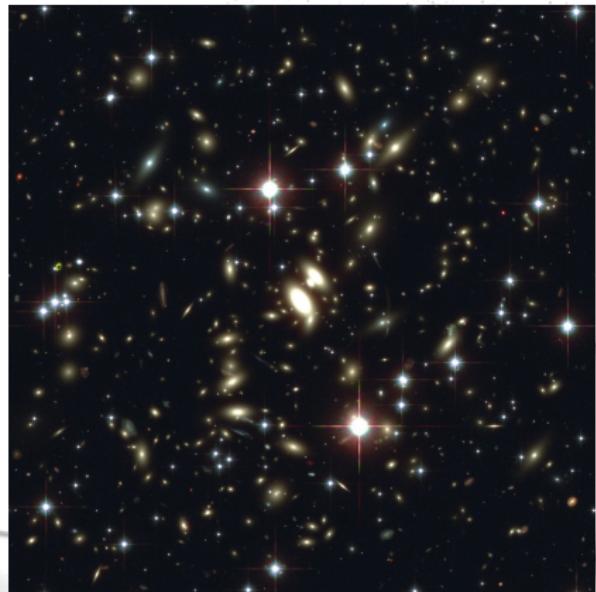
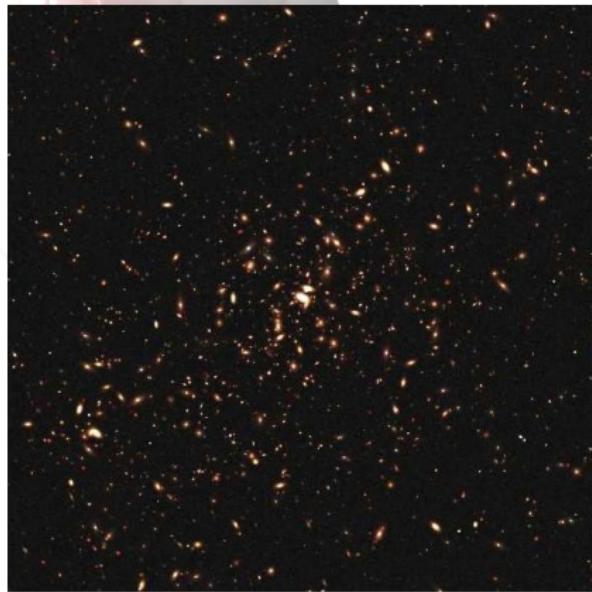
Developers: Massimo Meneghetti, Peter Melchior, Fabio Bellagamba, JM



Name	Description
D	aperture diameter
g	detector gain
A_{pix}	pixel area
$F(\lambda)$	used filter
$M(\lambda)$	mirror filter curve
$O(\lambda)$	optics filter curve
$C(\lambda)$	CCD filter curve
FoV	total field-of-view
RON	detector readout-noise
f	flat-field accuracy
a	residual flat-field error
PSF	PSF model
t_{exp}	exposure time
$A(\lambda)$	atmospheric extinction
m_a	airmass
SED_{sky}	sky-background emission
SED_{gal}	background population
α	deflection angle map

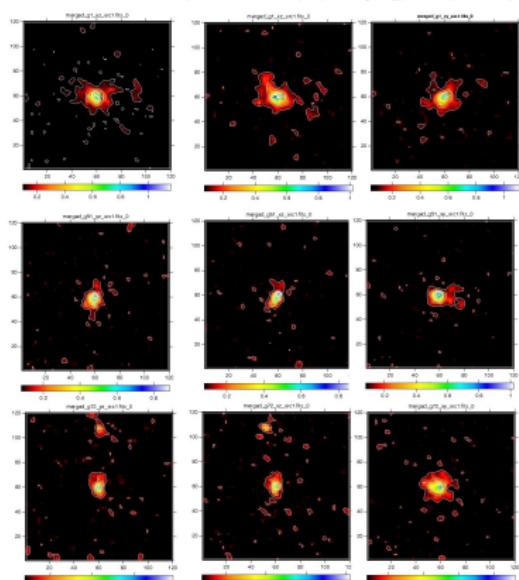
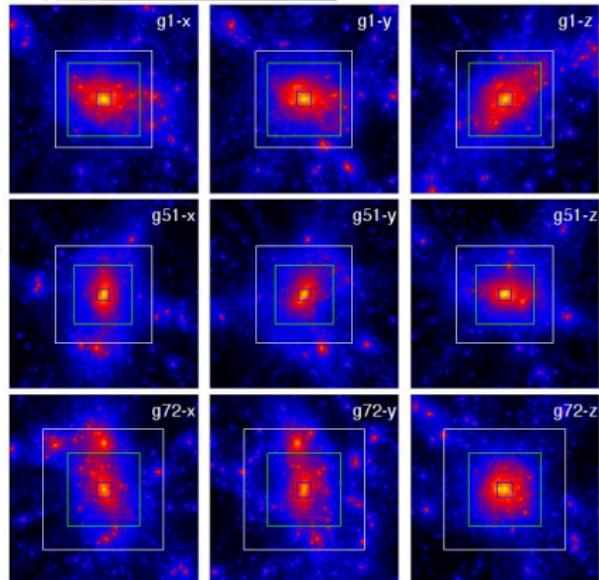
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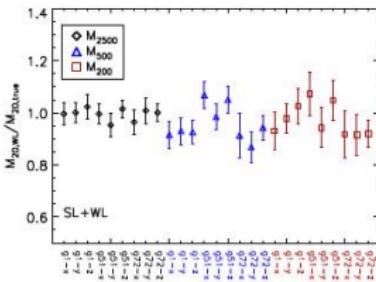
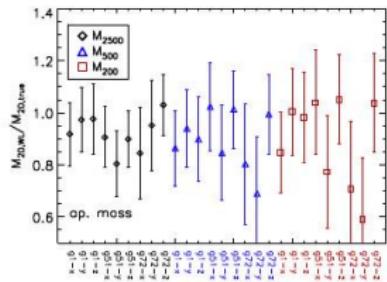
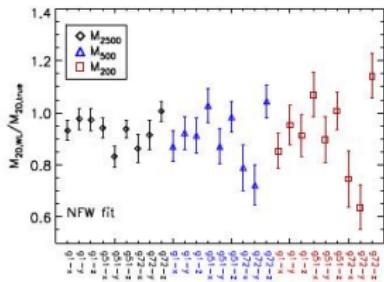
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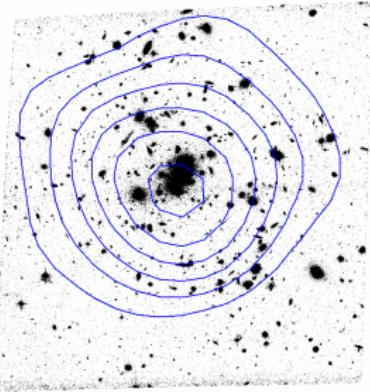
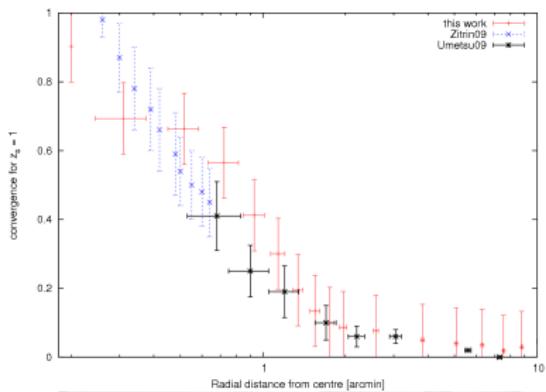
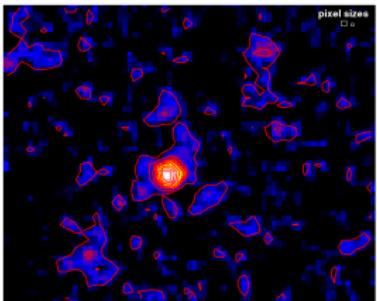
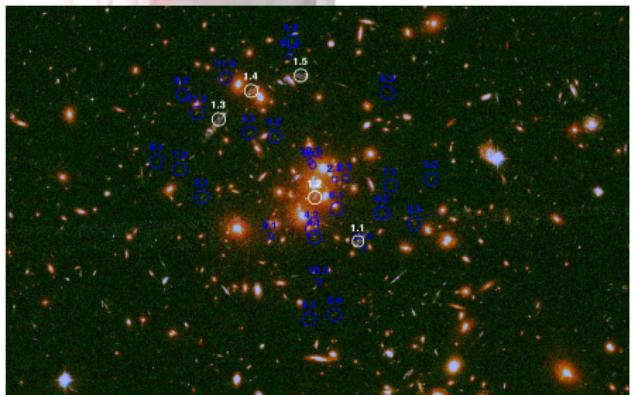


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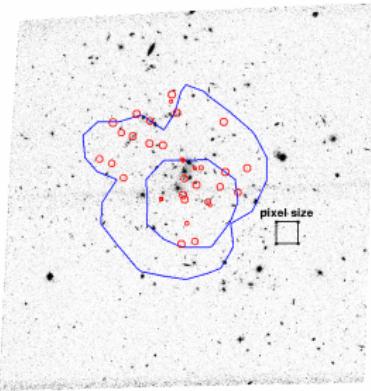
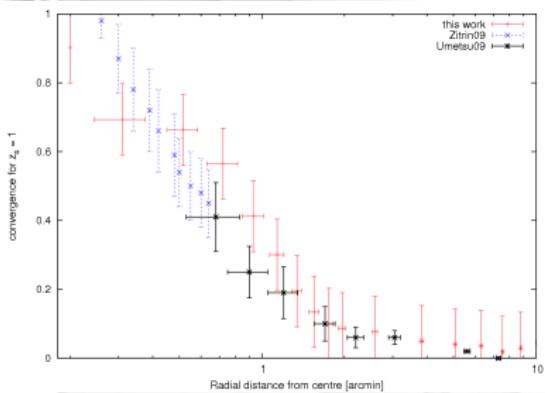
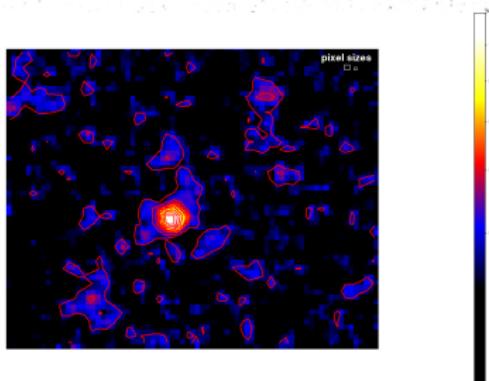
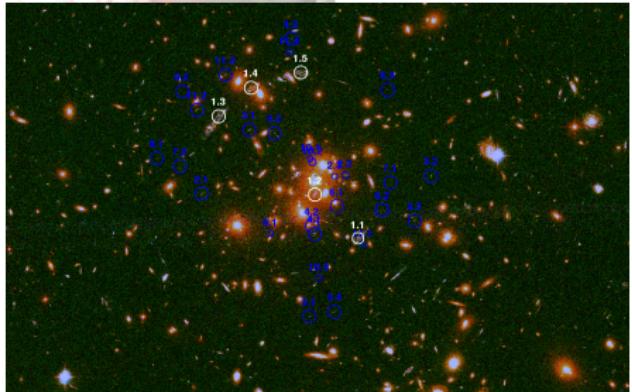
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CL0024 (with: T. Broadhurst, A. Zitrin, K. Umetsu)

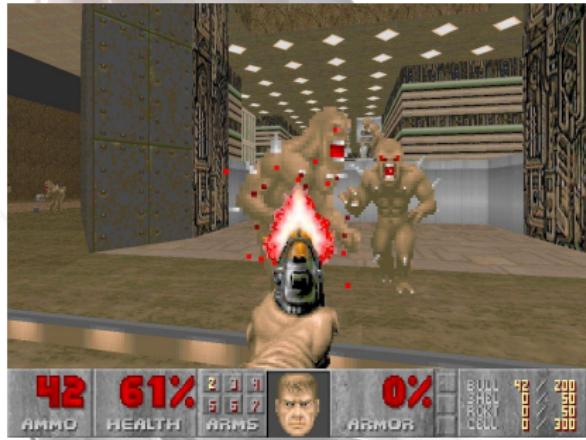


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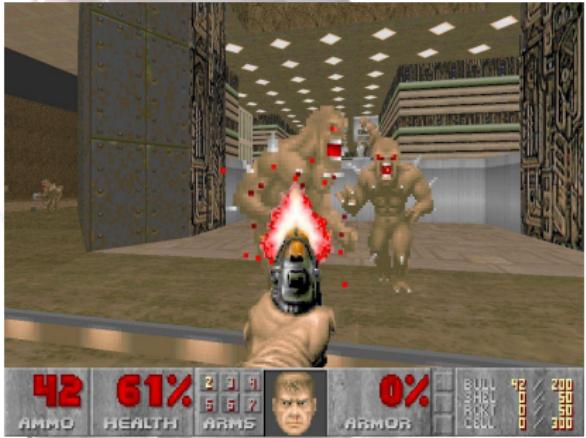
The advent of GPU's...or the art of shooting monsters

1993



The advent of GPU's...or the art of shooting monsters

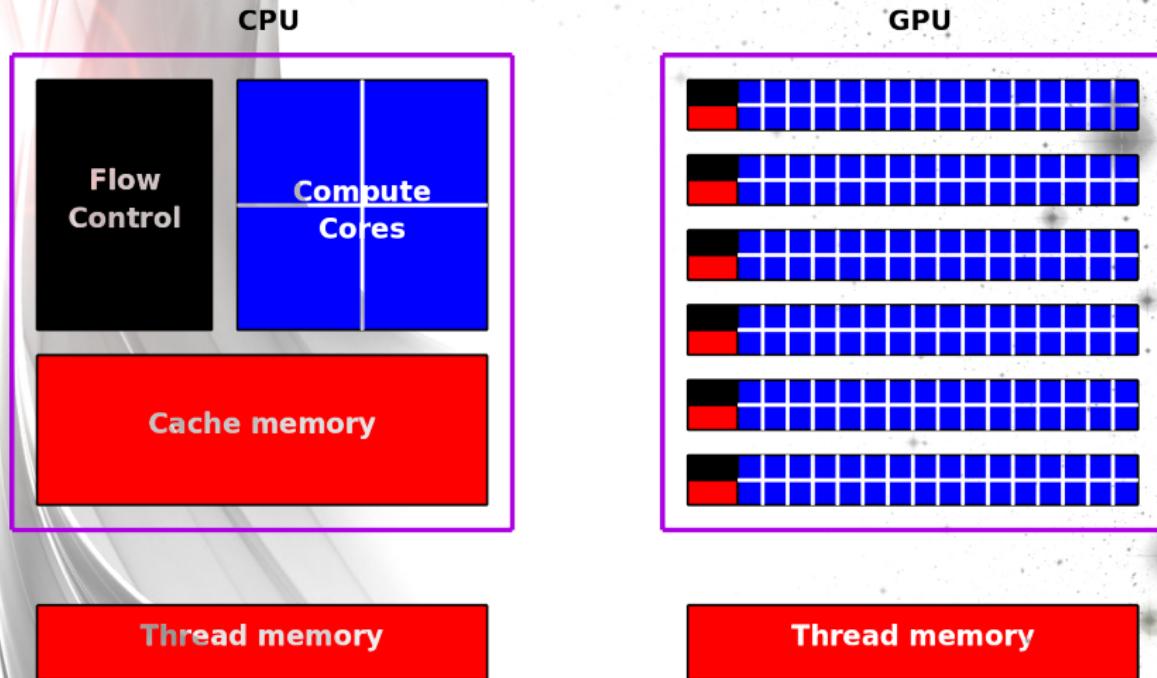
1993



2004



Data-parallel single node GPU Parallelisation



- One single GPU allows for massive parallelisation at a fraction of the cost of a CPU cluster, if problem is suited for ⇒ **Data-parallel**.

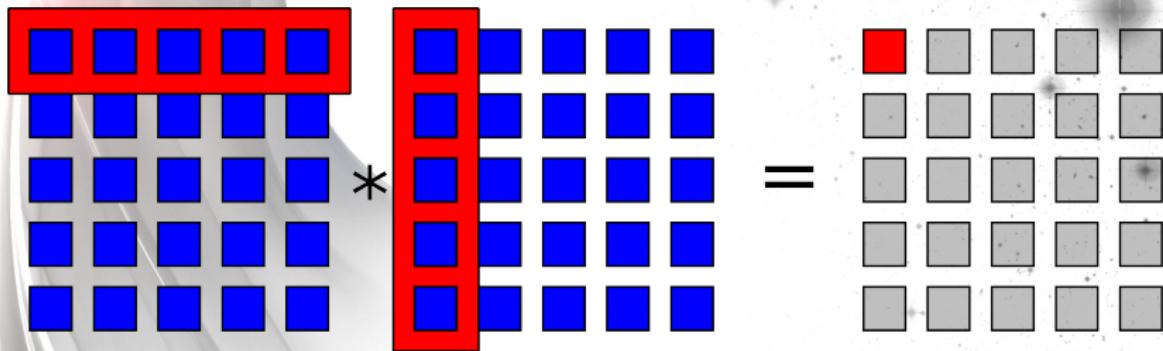
Data-parallel single node GPU Parallelisation

$$\begin{matrix} \text{blue square} & \times & \text{blue square} & = & \text{grey square} \end{matrix}$$

A diagram illustrating matrix multiplication. On the left, there are two 5x5 grids of blue squares, representing matrices A and B. An asterisk (*) between them indicates multiplication. To the right of an equals sign (=) is a 5x5 grid of grey squares, representing the resulting matrix C. This visualizes how a GPU can perform parallel operations on large datasets.

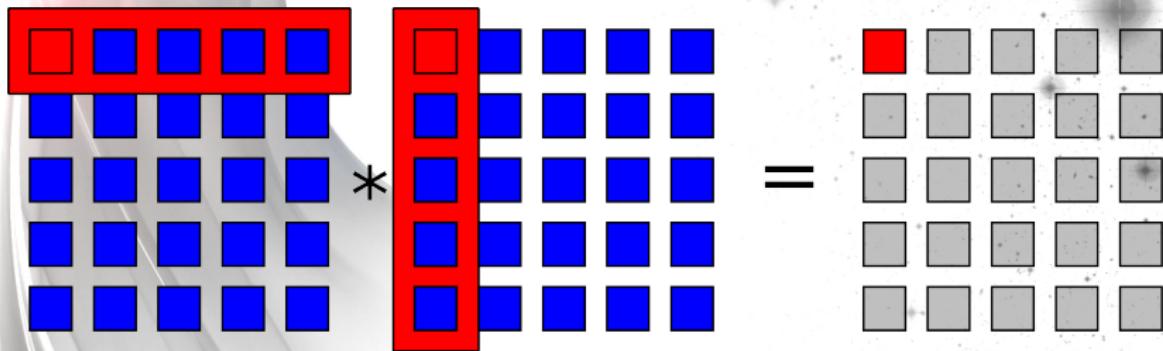
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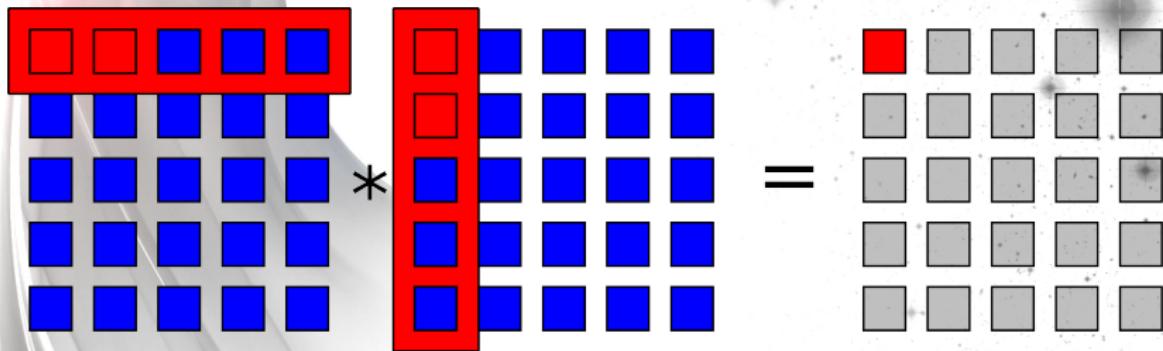
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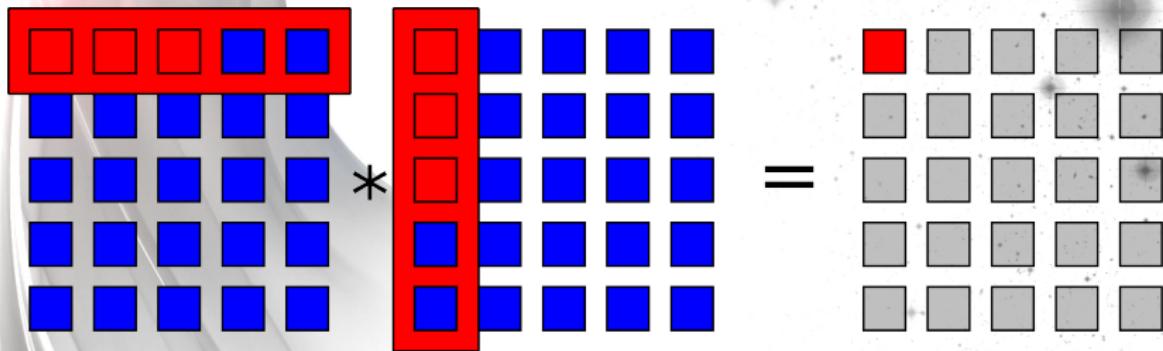
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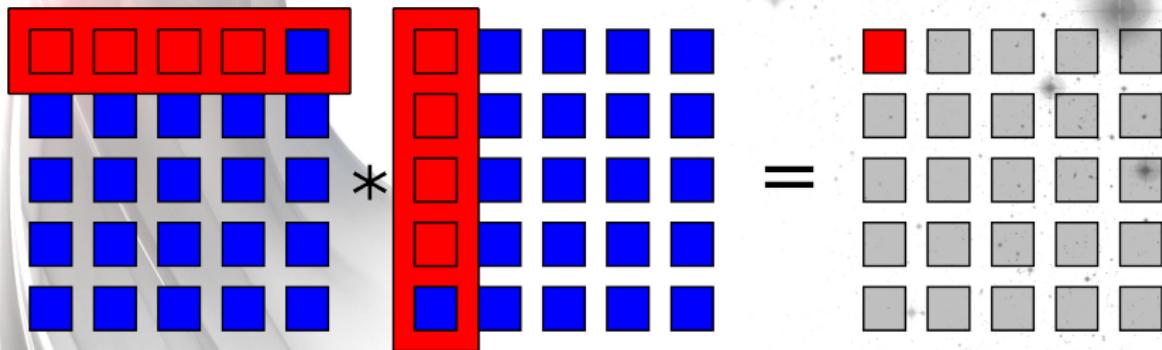
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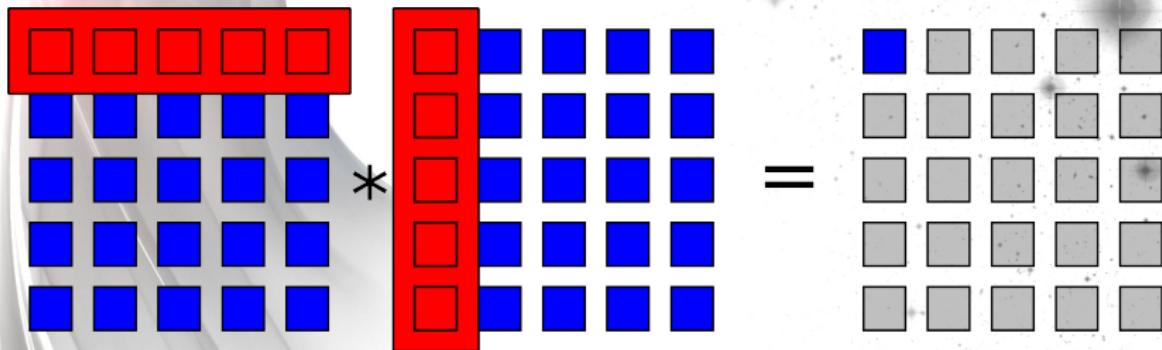
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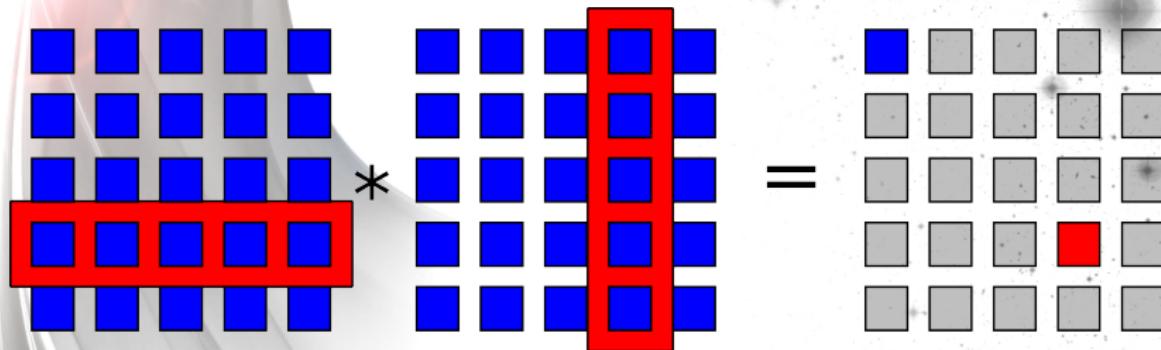
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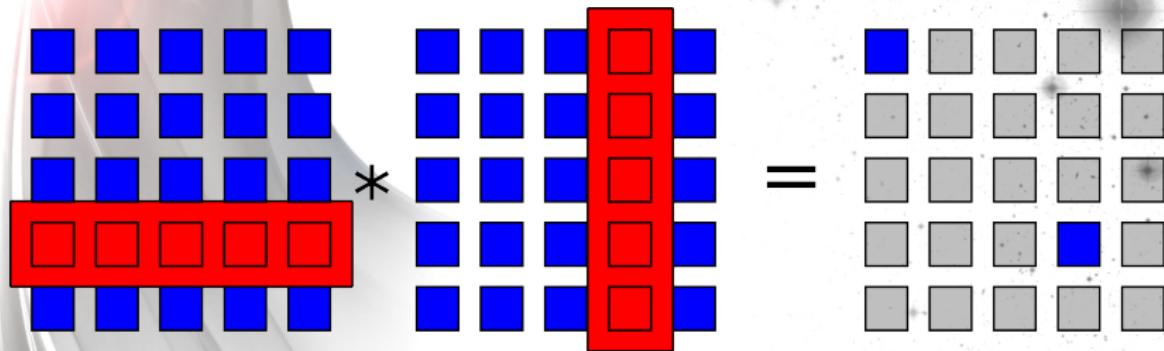
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Data-parallel single node GPU Parallelisation



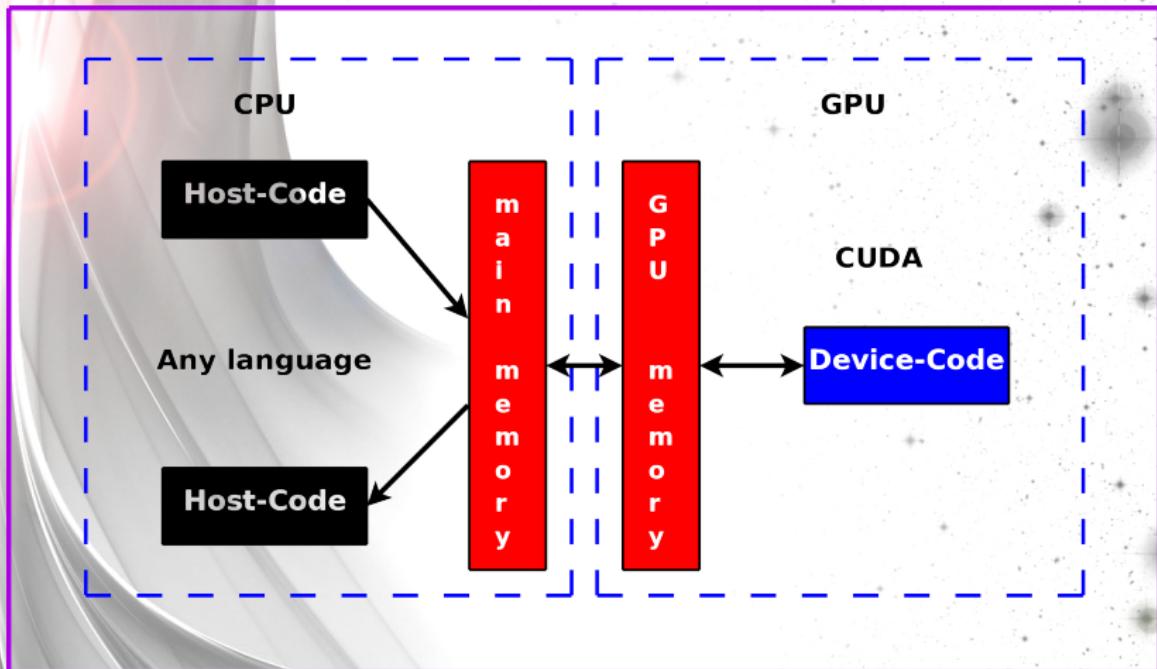
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Data-parallel single node GPU Parallelisation



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Data-parallel single node GPU Parallelisation



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GPUs in practice (JM10 in prep.)

NVIDIA Tesla C1060

- 240 streaming cores
- 4 GB DDR3 GPU memory
- 933 GFLOPS peak performance
- Fermi cards out by now, update planned



Speed-up

- Calculate:

$$\mathcal{B}_{lk} = a_i b_j \mathcal{C}_{ij} \mathcal{D}_{ik} \mathcal{E}_{jl}$$

- one-core CPU: 82.3 s
- 240 core GPU: 1.03 s

To use or not to use GPU implementations

PROs

- Speed
 - ▶ Single-node servers ~ 4 TFLOPS
 - ▶ GPU clusters are possible
- Cost
 - ▶ Notebooks
 - ▶ Common standards (CUDA, OpenCL)
 - ▶ Extremely low prices (1/10 - 1/100)
- Astrophysical applications are well suited
 - ▶ Every algo. on an image
 - ▶ Ray-tracing

CONS

- Codes have to be ported
 - ▶ Data-parallelism
 - ▶ Parallel thinking
 - ▶ Machine access
- It is still a young field (at least in Astrophysics)
 - ▶ Framework not perfect yet (missing libs etc.)
 - ▶ Debugging more problematic
 - ▶ No real support in the community (, yet)

Conclusions

- ➊ Methods using multiple input constraints allow to constrain the cluster mass profile on all scales.
- ➋ Nonparametric methods can reliably reconstruct this profile without any model assumptions.
⇒ Good characterisation of a cosmic telescope.
- ➌ GPUs are able to outperform “classical” compute clusters at a fraction of the cost.
- ➍ Astrophysical algorithms appear very well suited for such an implementation.